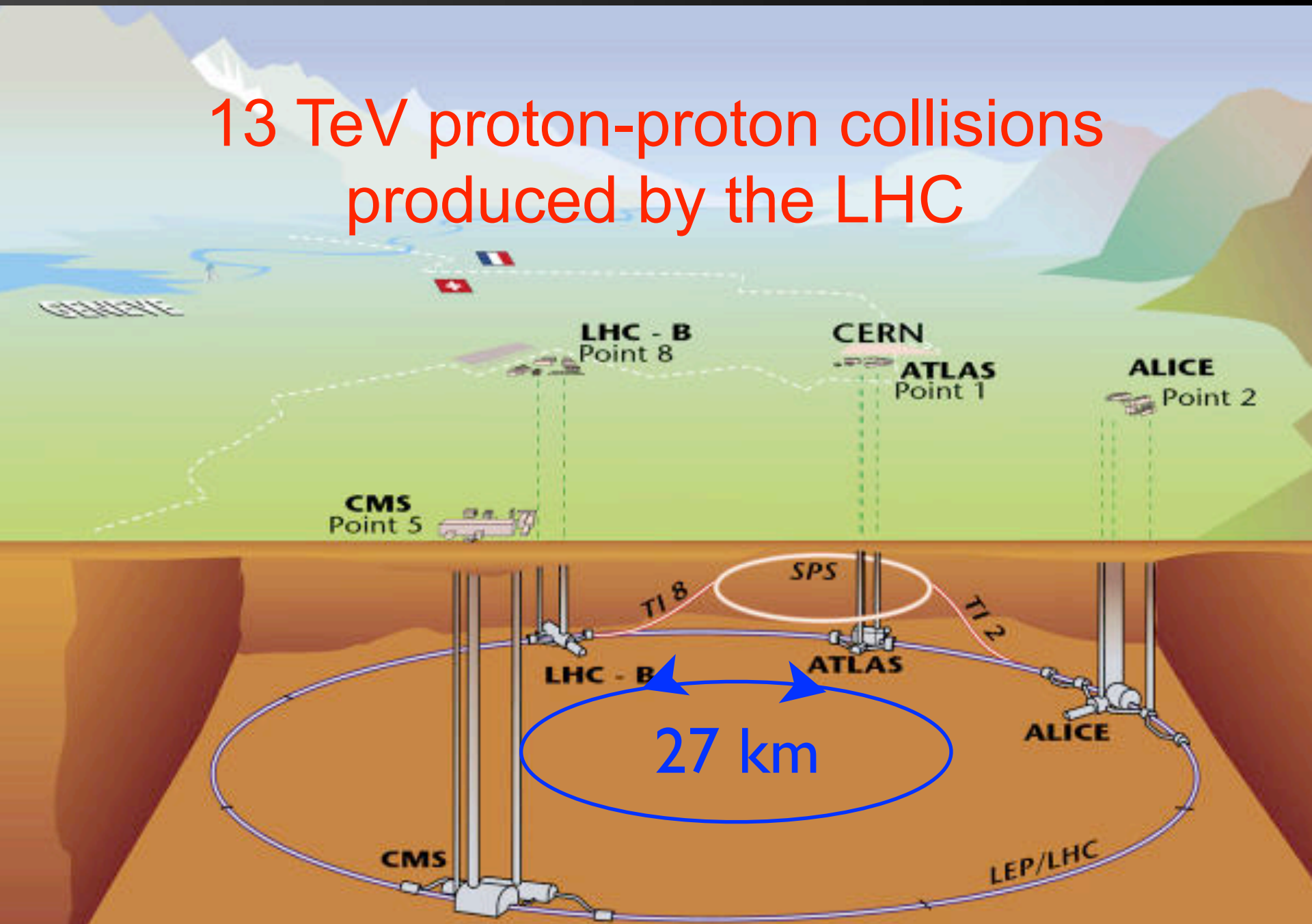


# 13 TeV proton-proton collisions produced by the LHC



# ATLAS (I can talk about my experiment for.. awhile)

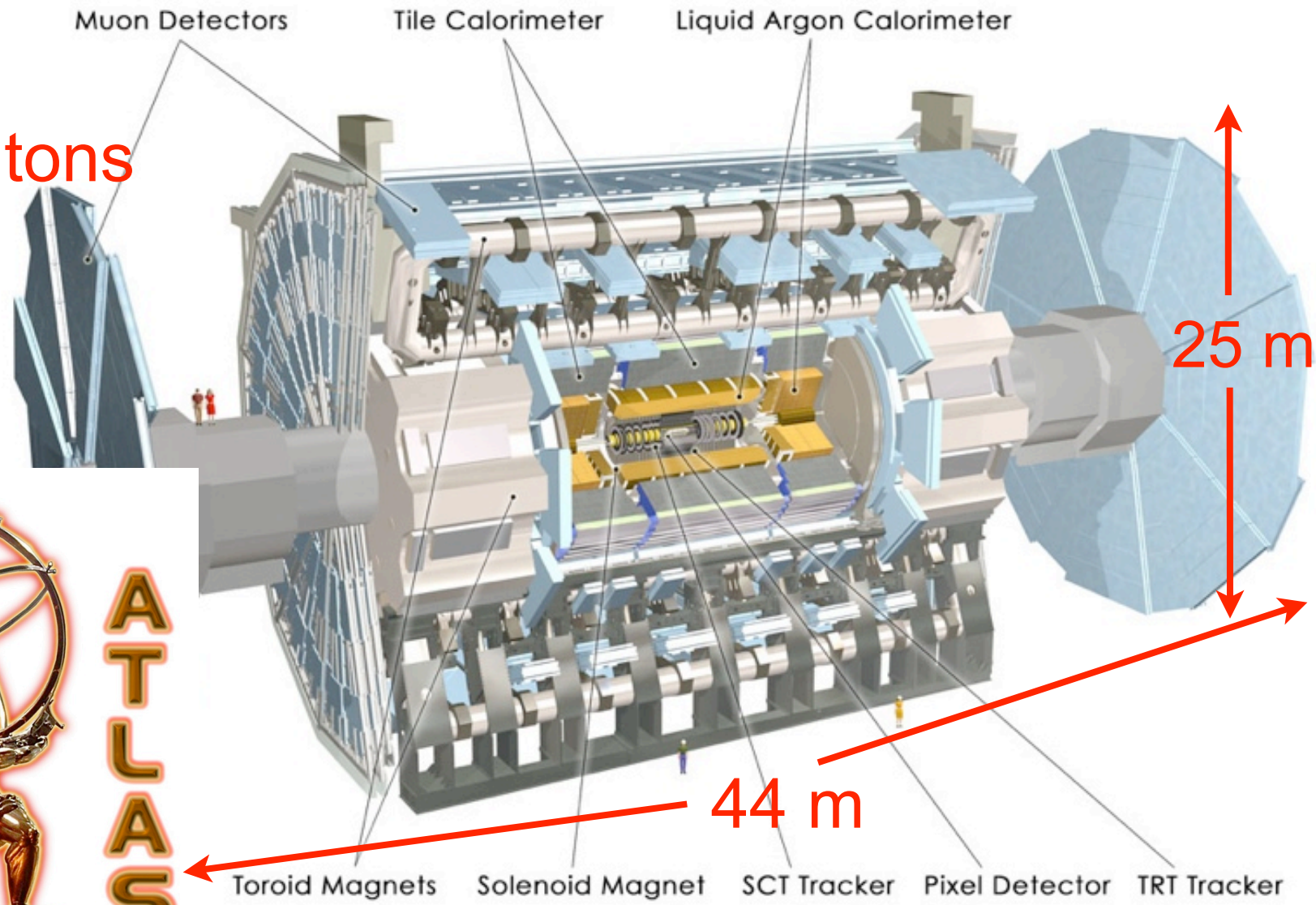
7000 tons

25 m

44 m



ATLAS





Trigger system: 40 MHz  
reduced to  $\sim 1$  kHz

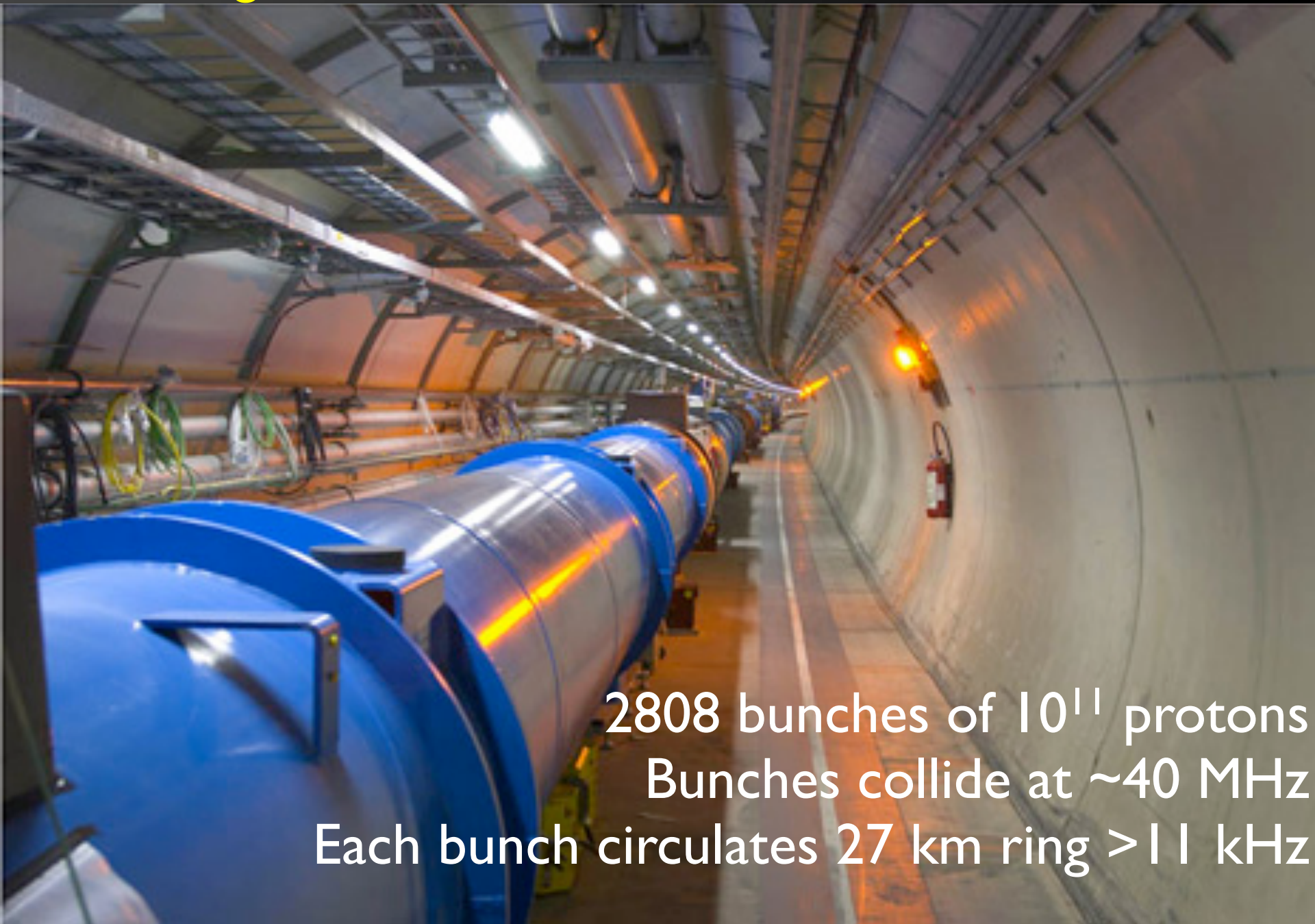
1 GB of data recorded  
every  $\sim 2$  seconds



# Life as a particle physicist







2808 bunches of  $10^{11}$  protons  
Bunches collide at  $\sim 40$  MHz  
Each bunch circulates 27 km ring  $> 11$  kHz



g-2  
mu2e  
neutrino expts (nuclear, solar, accelerator...)  
nuclear physics  
astroparticle physics  
dark matter searches  
dark energy surveys  
...

Not to mention all the accelerator physics  
that goes along with much of the above



## How do modern particle detectors work?

Want to see the effect of a particle, usually in the form of radiation or energy transfer that we can observe. **Goal is to infer as much about the original particle/object as possible.**

Problem is of course that we cannot just put things inside of a microscope for careful, lengthy study: **typically traveling close to speed of light, often very short-lived, occasionally produced with many other nearby objects, sometimes has no electric charge and can look like other, similar particles**



# What can we take advantage of?

Charged particles bend in a magnetic field (can measure electric charge and momentum)

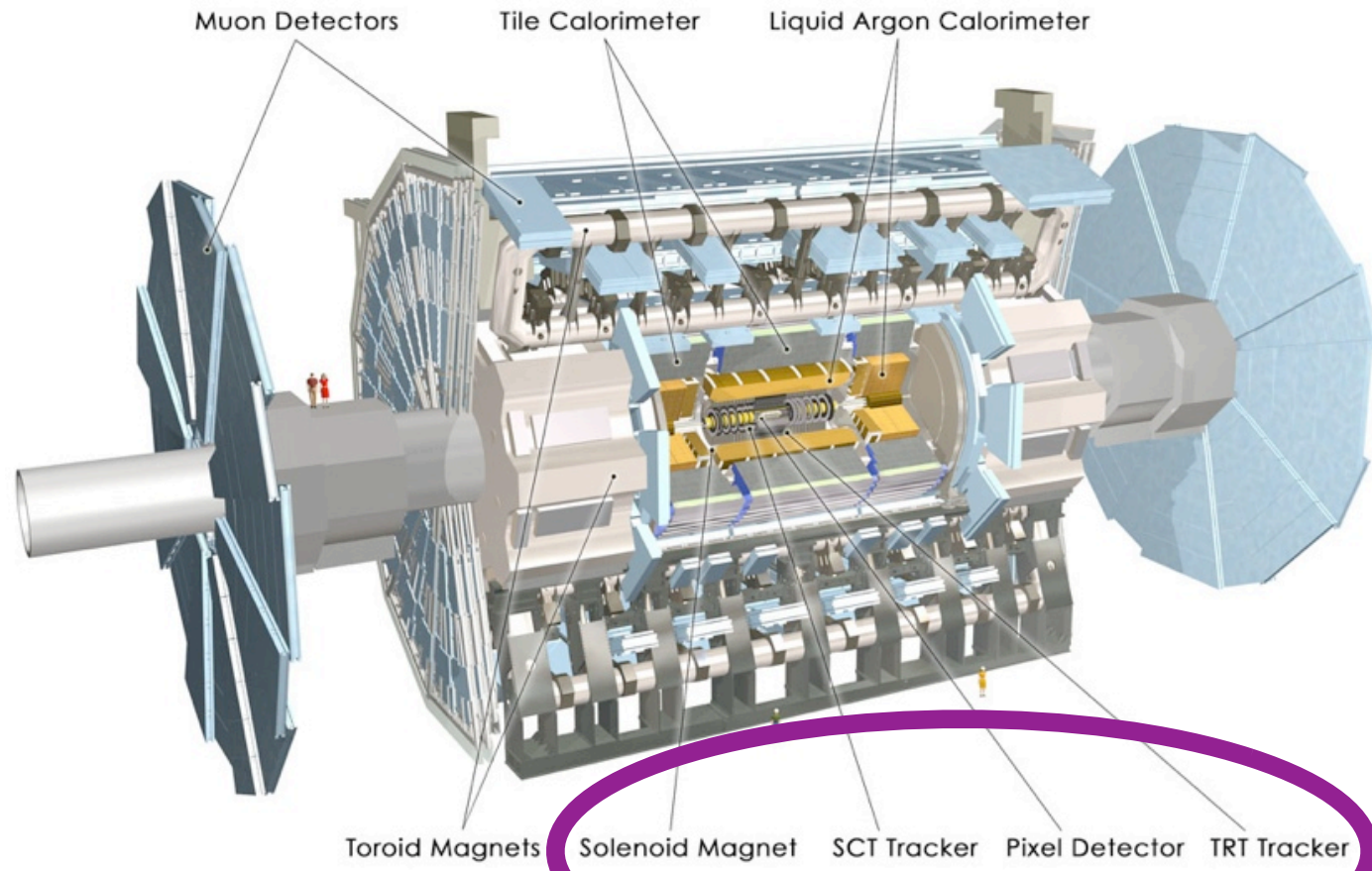
Careful timing measurements can give us particle velocity and other information (useful not only for the original particle, but also inside of a detector)

Calorimeter measurements give particle energy (different types of particles deposit energy electromagnetically vs via strong force, and at different rates)

Neutrinos escape ~undetected, leading to imbalance of momentum in detector

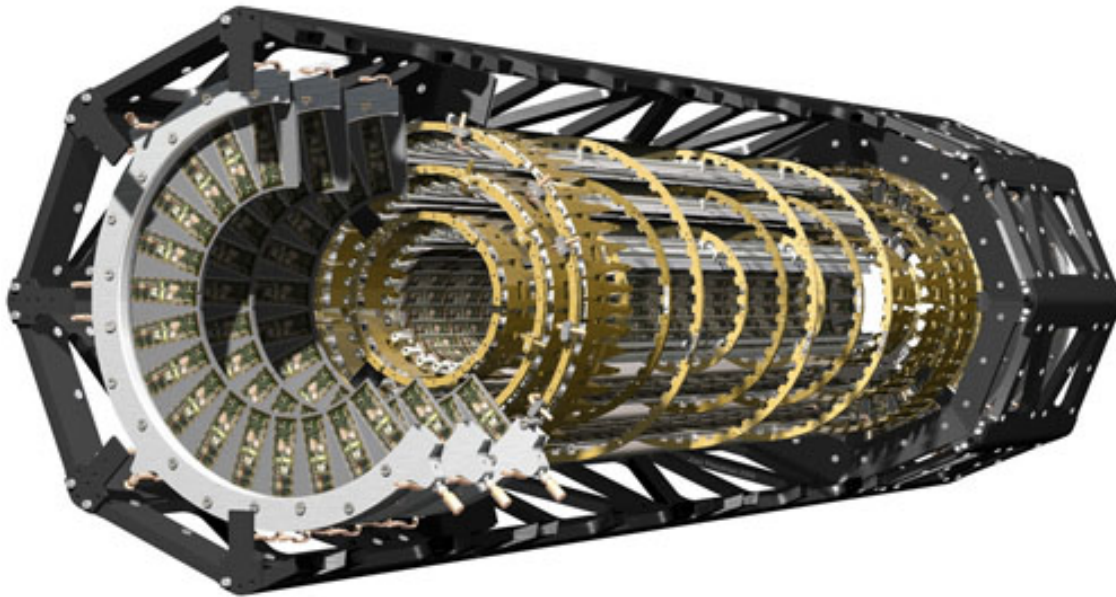
Muons are highly penetrating and minimally ionizing

Other tricks like Cherenkov radiation, measurements of  $dE/dx$ , looking for transition radiation at material boundaries, ...



Inner tracking system nearest collision point immersed in 2T solenoid magnetic field: measure  $p$  and  $q$





100 million  
readout  
channels  
(recently  
upgraded for an  
extra layer  
during  
shutdown) to  
measure precise  
location of  
charged particle  
trajectory

# Semiconductors

Slide  
from  
Markus  
Elsing

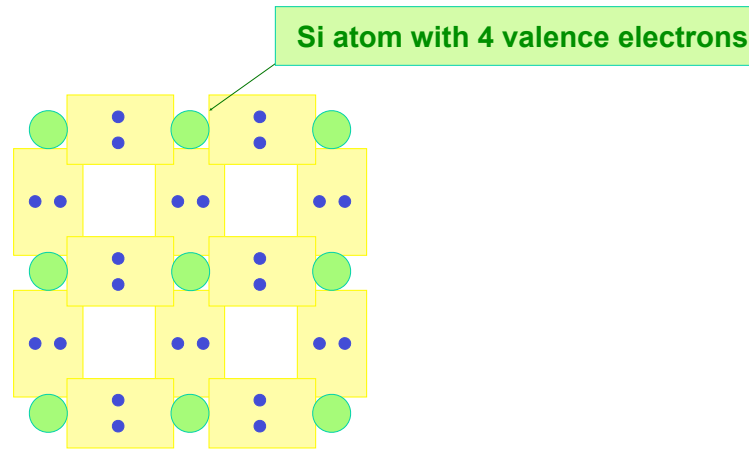




# Semiconductors

Slide  
from  
Markus  
Elsing

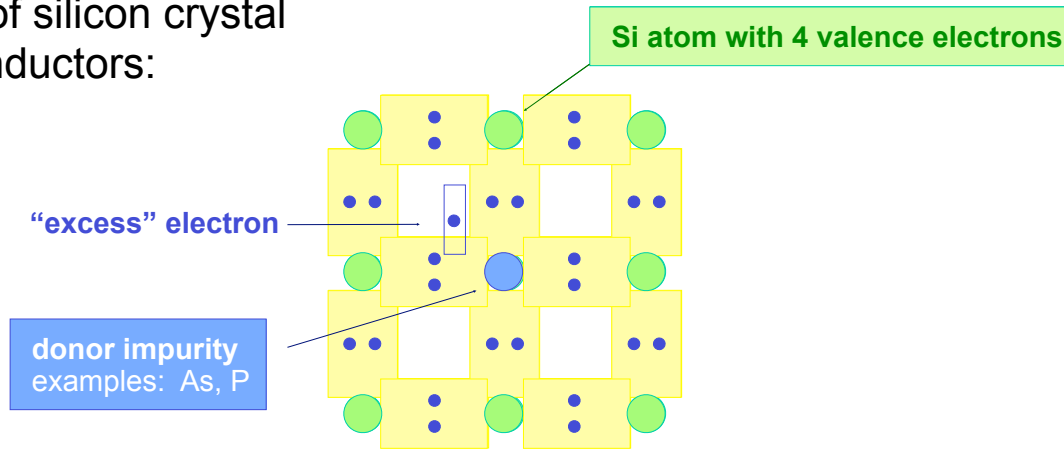
- doping of silicon crystal semiconductors:



# Semiconductors

Slide  
from  
Markus  
Elsing

- doping of silicon crystal semiconductors:

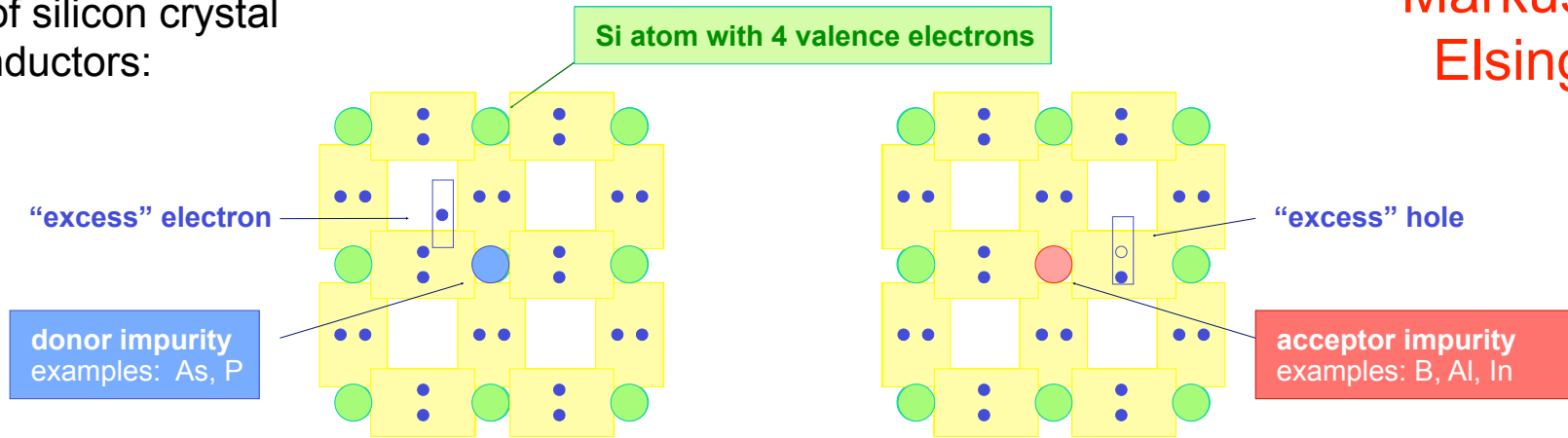




# Semiconductors

Slide  
from  
Markus  
Elsing

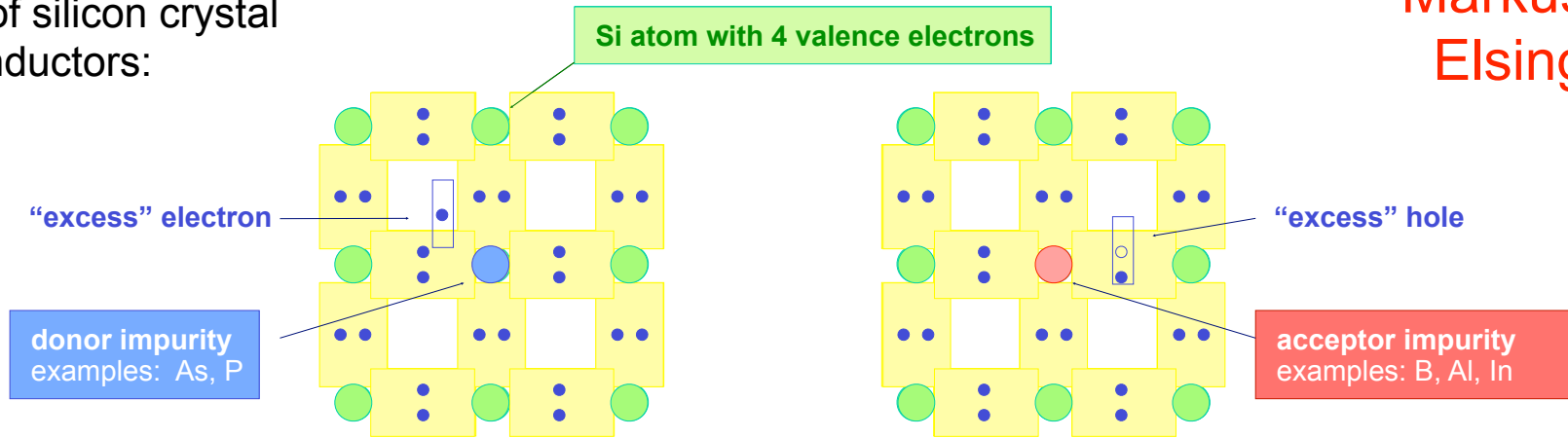
- doping of silicon crystal semiconductors:



# Semiconductors

Slide  
from  
Markus  
Elsing

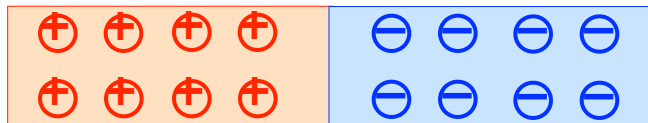
- doping of silicon crystal semiconductors:



$p-n$  junction

$p^+$  hole carrier

$n^-$  electron carrier



e acceptor impurity

e donor impurity

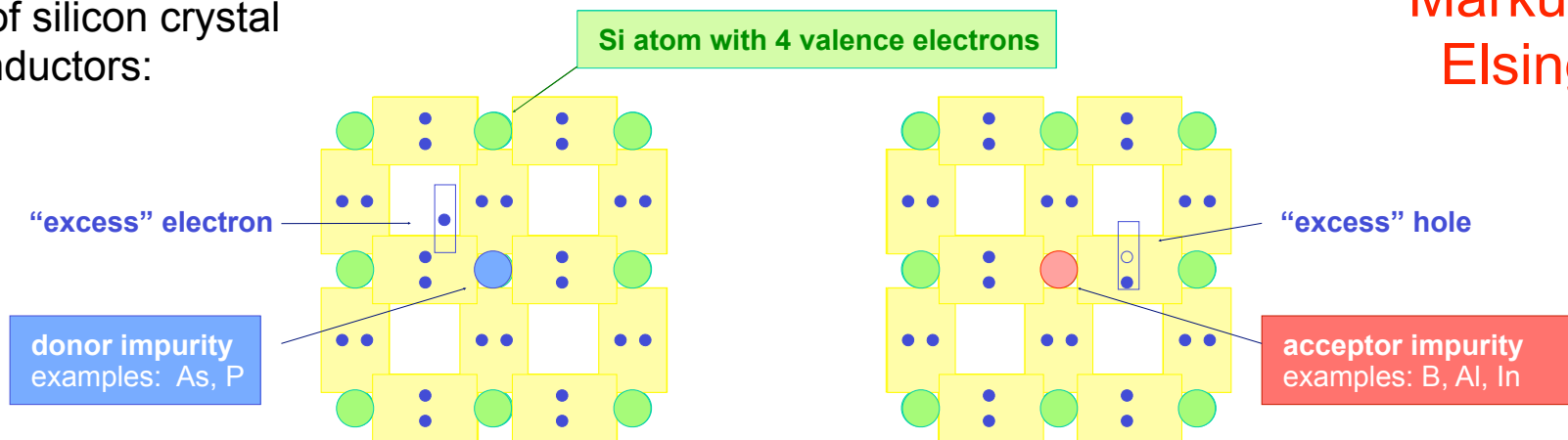
- $p$  doping adds electro-phile atoms
- $n$  doping adds electro-phobe atoms



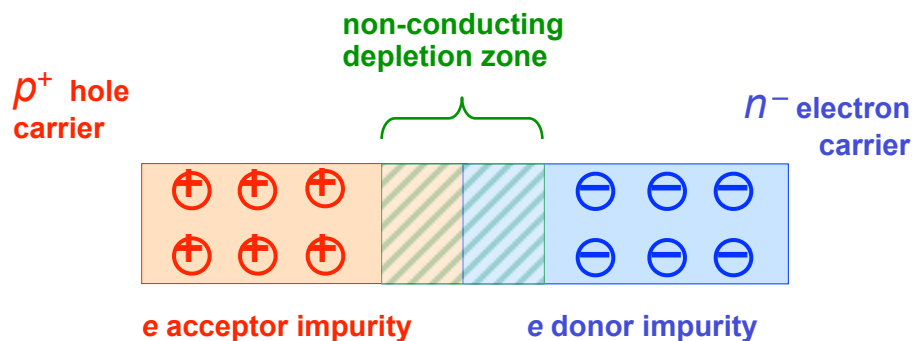
# Semiconductors

Slide  
from  
Markus  
Elsing

- doping of silicon crystal semiconductors:



$p-n$  junction



- in the junction zone, electron-hole pairs recombine creating depletion
- the potential barrier in the junction counter-weighs the doping potential

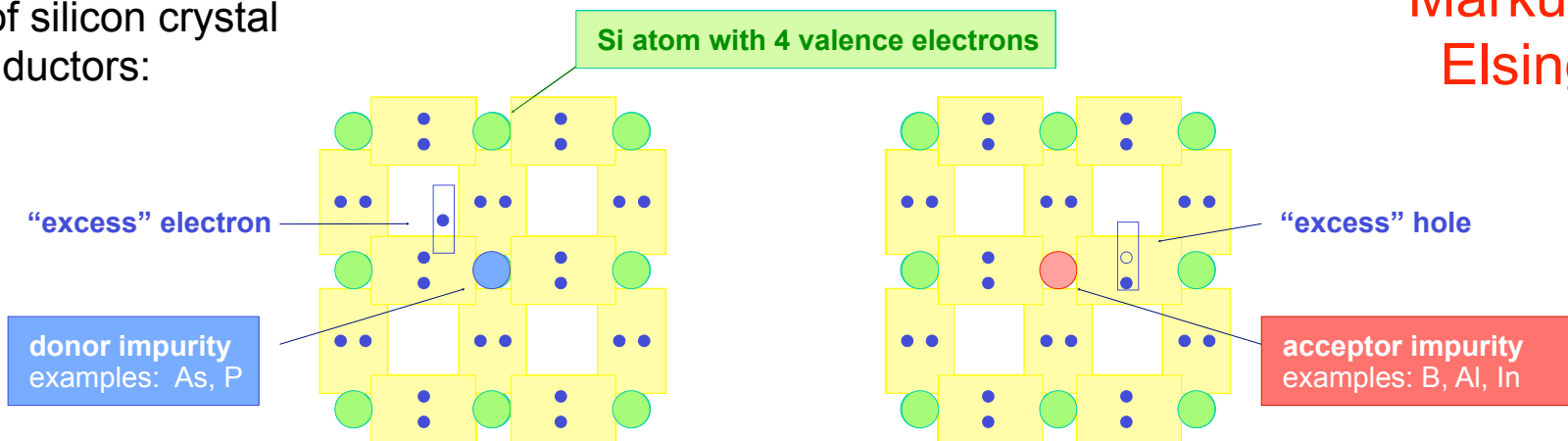




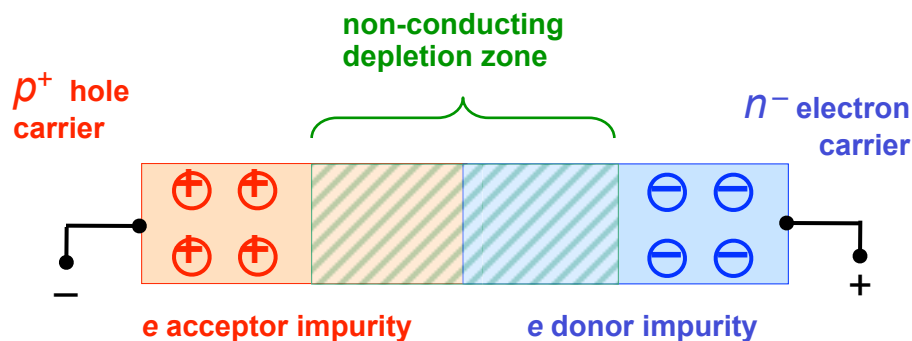
# Semiconductors

Slide  
from  
Markus  
Elsing

- doping of silicon crystal semiconductors:



reverse bias  $p-n$  junction

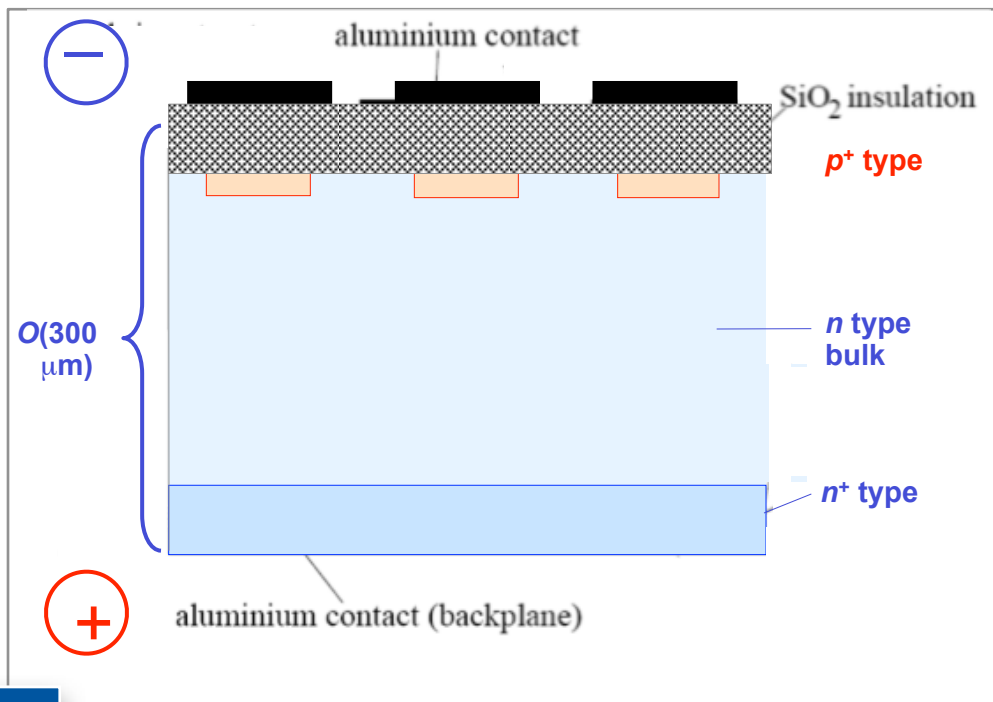


- the reversed bias voltage increases the potential barrier in the depletion zone, enhancing its resistance
- minimal current across the junction



# The $p-n$ Junction as a Tracking Detector

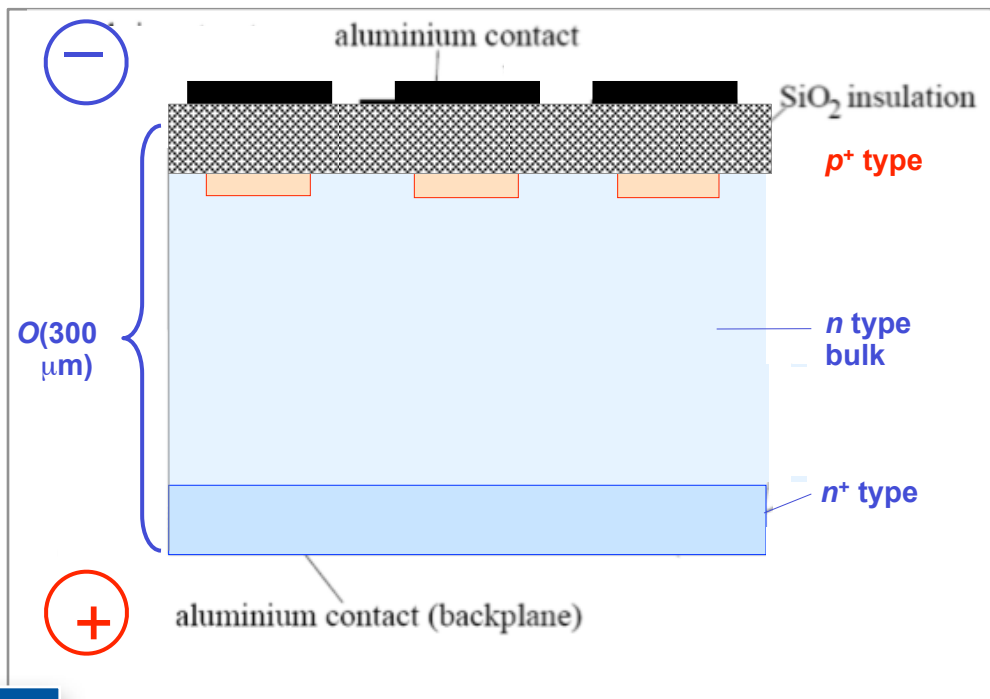
Slide  
from  
Markus  
Elsing



# The $p-n$ Junction as a Tracking Detector

- thin ( $\sim\mu\text{m}$ ), highly doped  $p^+$  ( $\sim 10^{19}\text{ cm}^{-3}$ ) layer on lightly doped  $n$  ( $\sim 10^{12}\text{ cm}^{-3}$ ) substrate
- high mobility of charge carriers in Si allows fast charge collection ( $\sim 5\text{ ns}$  for electron)
- high Si density & low electron-hole creation potential (3.6 eV compared to  $\sim 36\text{ eV}$  for gaseous ionization) allows use of very thin detectors with reasonable signal

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from  
Markus  
Elsing



## schema of silicon microstrip sensor

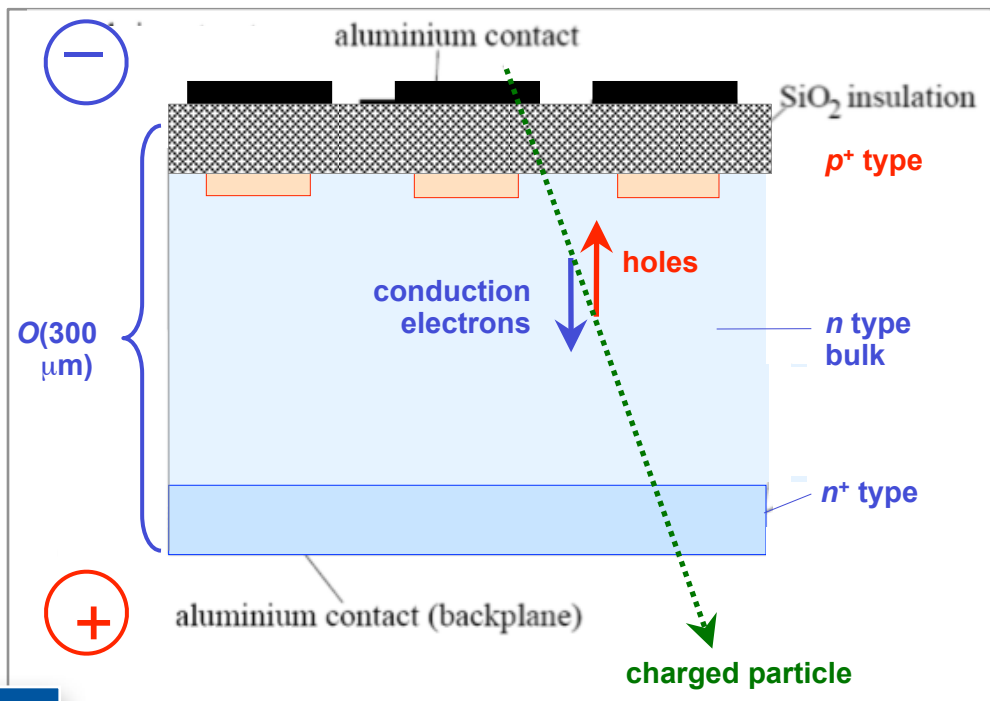
- reverse bias: backplane set to positive voltage ( $< 500\text{ V}$ )
- a traversing charged particle ionizes silicon, creating conduction electrons and holes that induce a measurable current by drifting to electrodes
- metal-semiconductor transition forms charge (Schottky) barrier similar to  $p-n$  junction. Highly doped  $n^+$  layer reduces width of potential barrier and hence resistance



# The $p-n$ Junction as a Tracking Detector

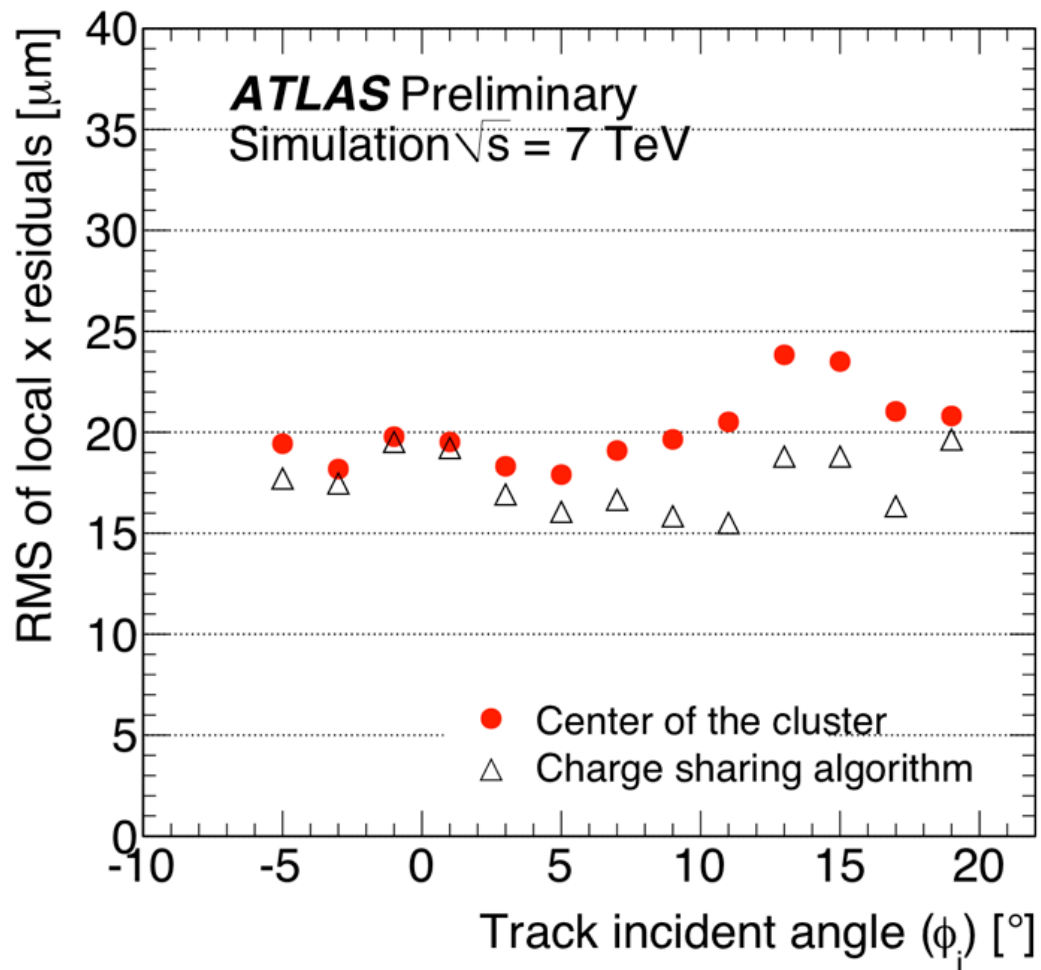
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Slide  
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Markus  
Elsing

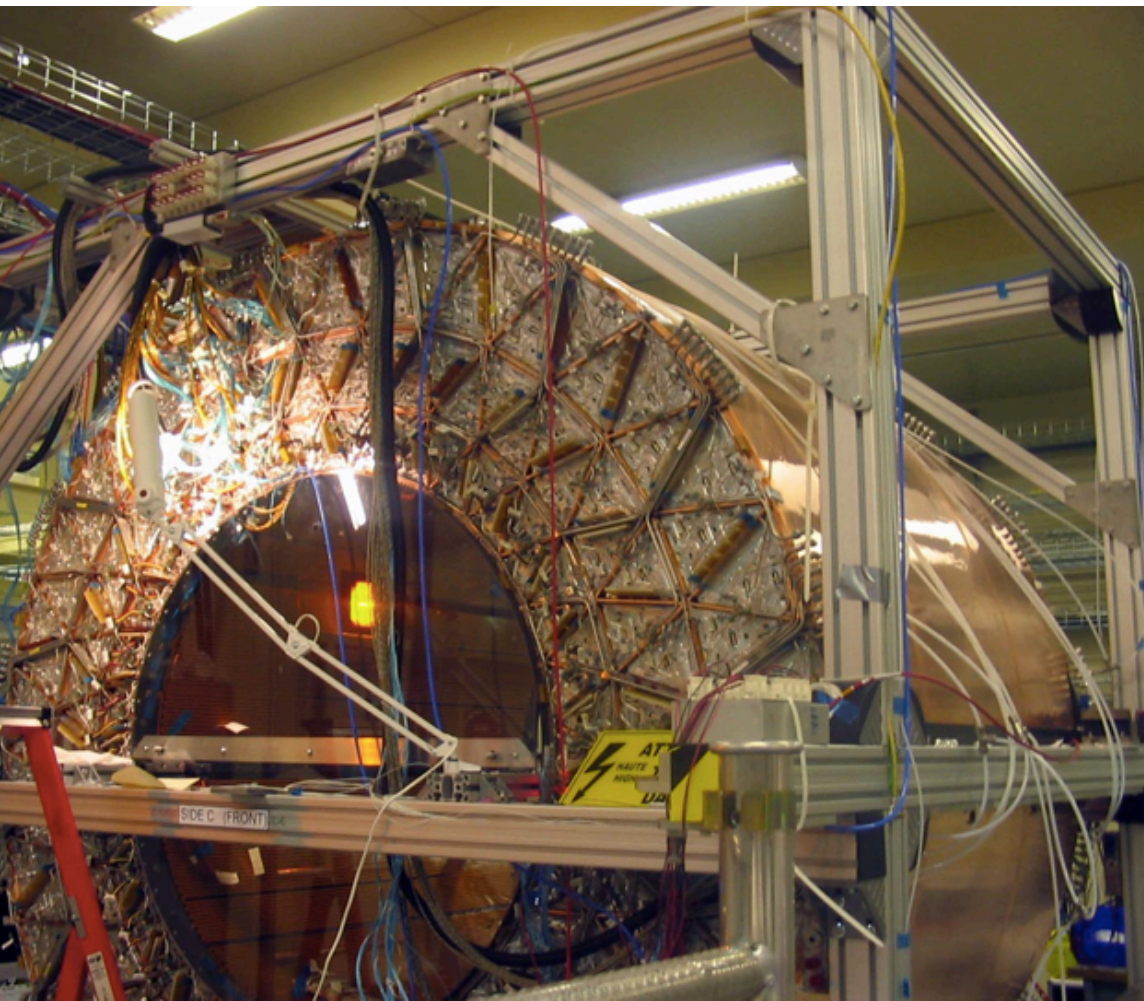


## schema of silicon microstrip sensor

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Tens of micron resolution from single hits! The alignment for all the modules gets quite ... tricky

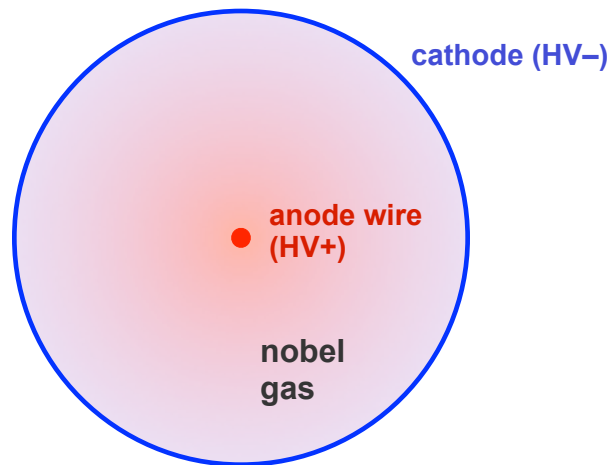


300,000 straws  
(4 mm in  
diameter) at  
larger track  
radius,  $\sim 35$   
measurements  
per track. Also  
helps with  
particle  
identification



# Drift Tubes in ATLAS: Inner Detector and Muon Spectrometer

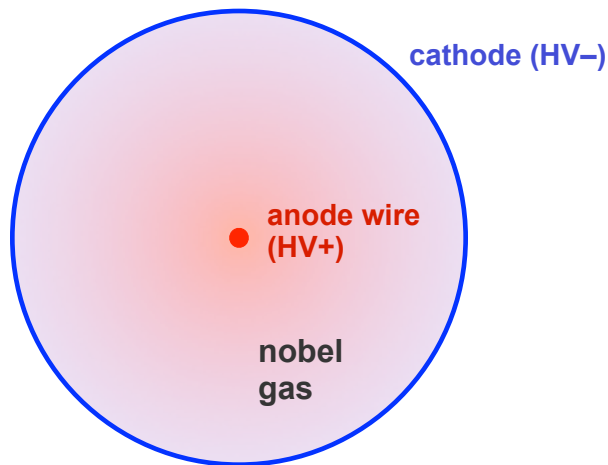
- classical detection technique for charged particles based on gas ionization and drift time measurement



Slide from  
Markus Elsing

# Drift Tubes in ATLAS: Inner Detector and Muon Spectrometer

- classical detection technique for charged particles based on gas ionization and drift time measurement



- drift tubes used in muon systems and ATLAS TRT
- primary electrons drift towards thin anode wire
- charge amplification during drift ( $\sim 10^4$ ) in high  $E$ -field in vicinity of wire:  $E(r) \sim U_0 / r$
- signal rises with number of primary  $e$ 's ( $dE/dx$ ) [signal dominated by ions]
- macroscopic drift time:  $v_D / c \sim 10^{-4} \rightarrow \sim 30$  ns/mm
- determine  $v_D$  from difference between signal peaking time and expected particle passage
- spatial resolution of  $O(100 \mu\text{m})$

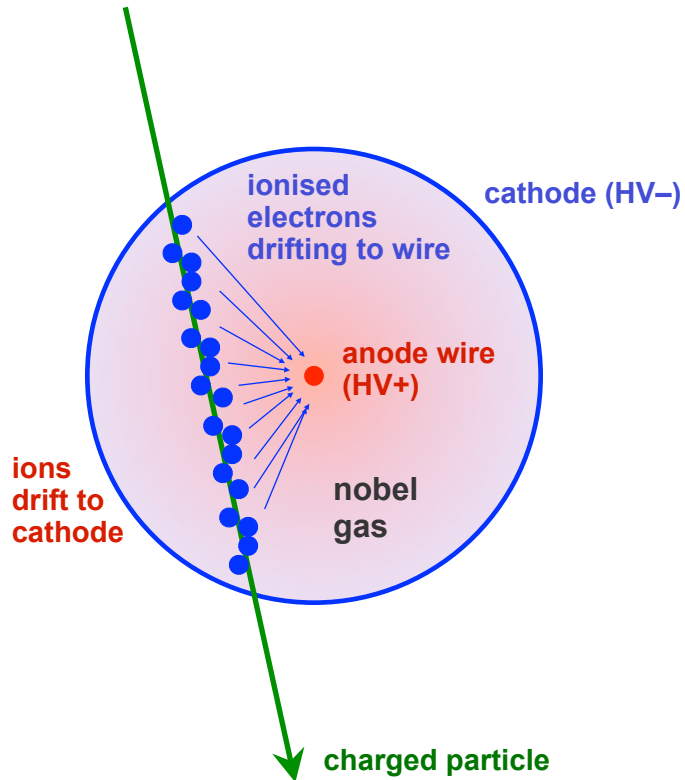
TRT: Kapton tubes,  $\varnothing = 4$  mm  
MDT: Aluminium tubes,  $\varnothing = 30$  mm

Slide from  
Markus Elsing



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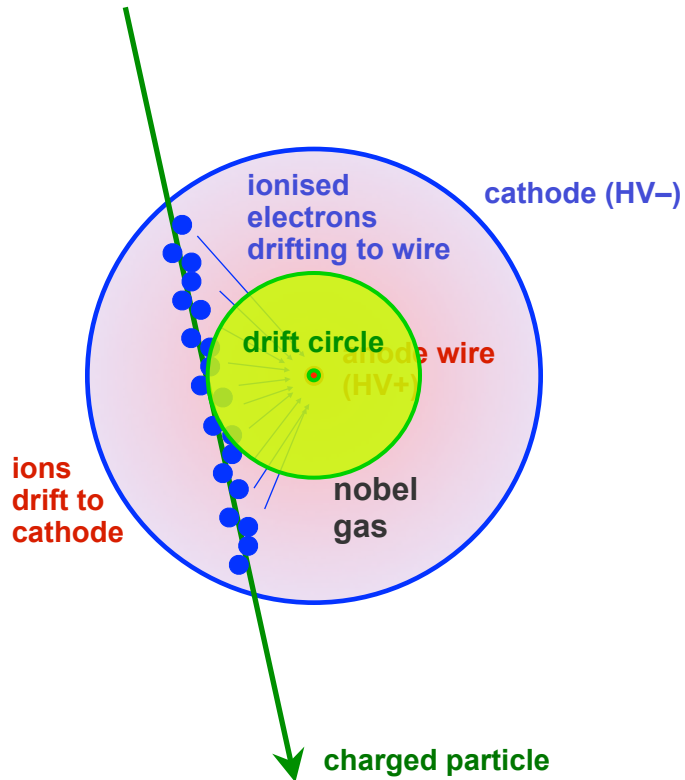
TRT: Kapton tubes,  $\varnothing = 4 \text{ mm}$   
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Slide from  
Markus Elsing

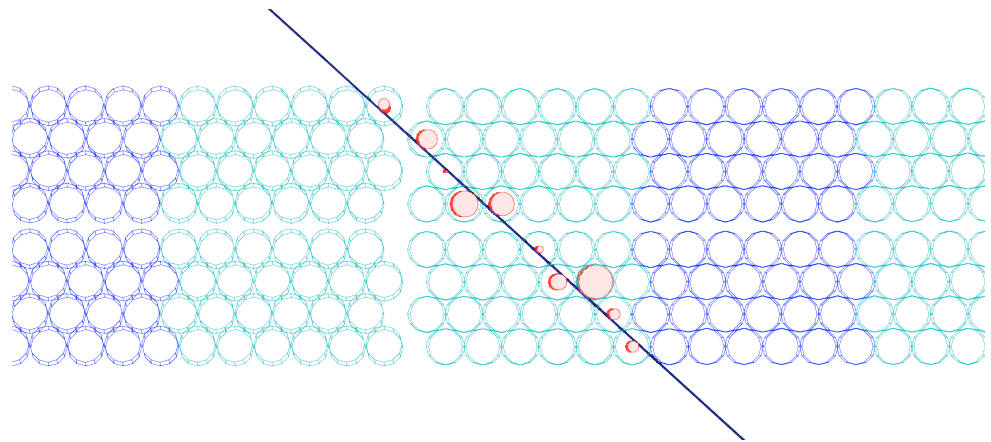


# Drift Tubes in ATLAS: Inner Detector and Muon Spectrometer

- classical detection technique for charged particles based on gas ionization and drift time measurement



example: segment in muon drift tubes reconstruction from measured drift circles (left-right ambiguity)

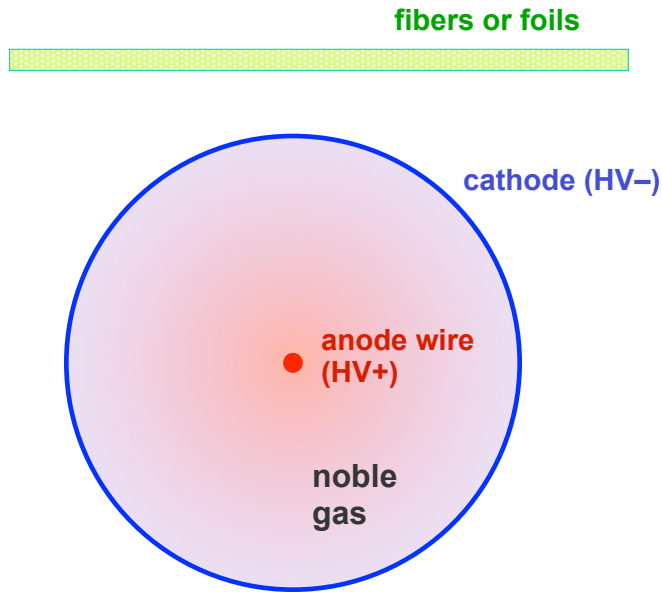


TRT: Kapton tubes,  $\varnothing = 4$  mm  
MDT: Aluminium tubes,  $\varnothing = 30$  mm

Slide from  
Markus Elsing

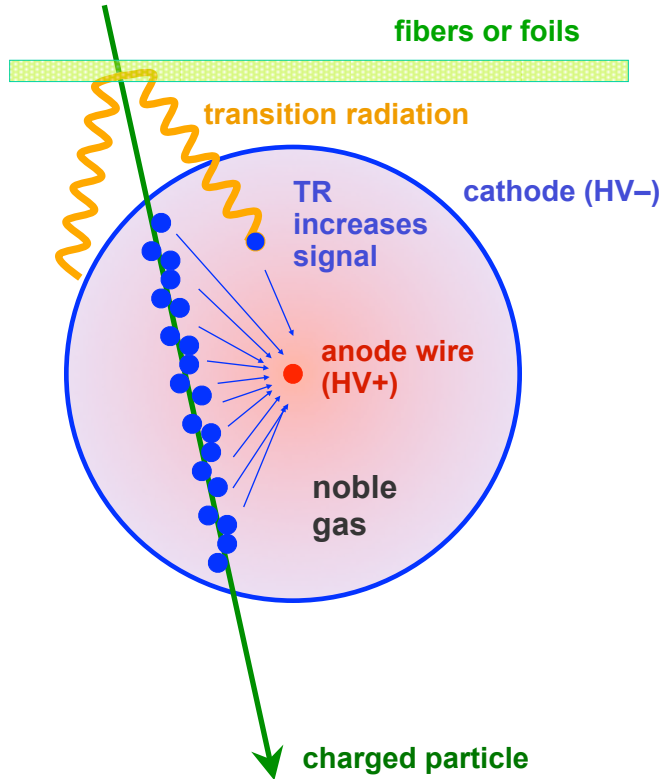
# Combining Tracking with PID: the ATLAS TRT

- $e/\pi$  separation via transition radiation: polymer (PP) fibers/foils interleaved with drift tubes



# Combining Tracking with PID: the ATLAS TRT

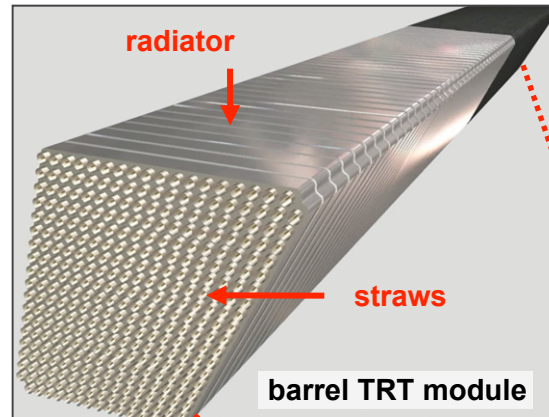
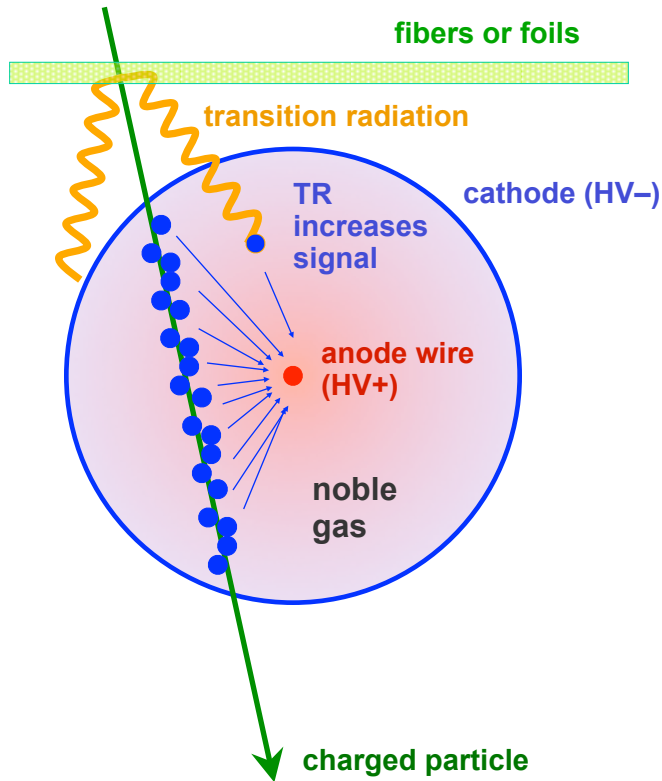
- $e/\pi$  separation via transition radiation: polymer (PP) fibers/foils interleaved with drift tubes



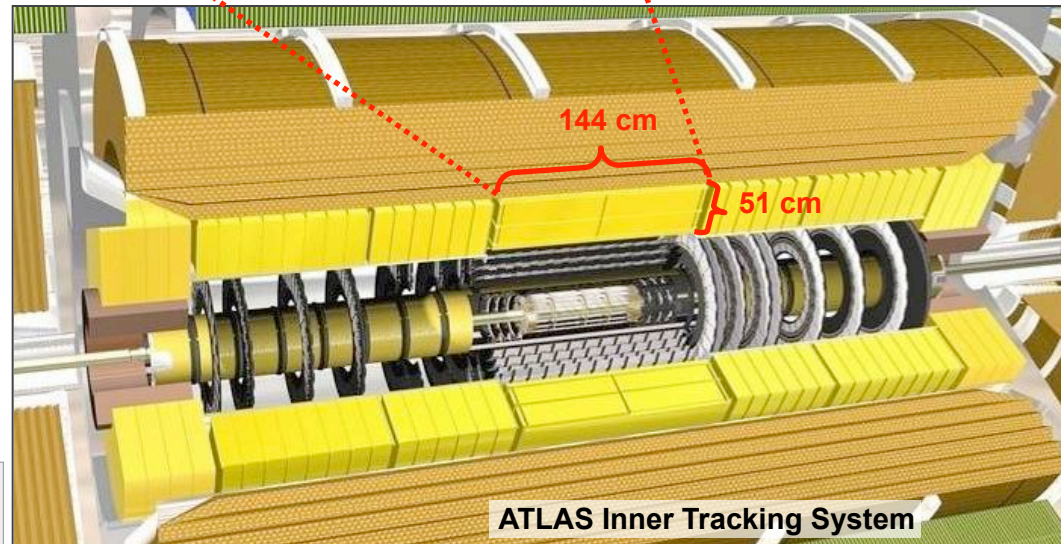
electrons radiate → higher signal  
PID info by counting  
high-threshold hits

# Combining Tracking with PID: the ATLAS TRT

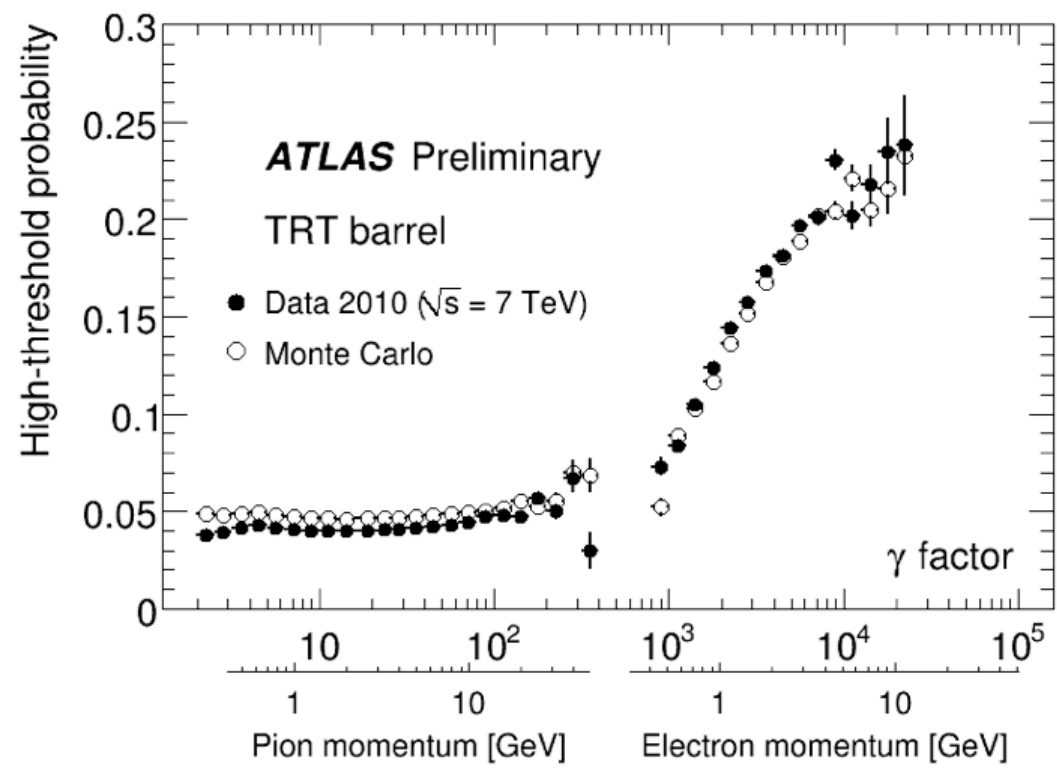
- $e/\pi$  separation via transition radiation: polymer (PP) fibers/foils interleaved with drift tubes



total: 370k straws  
barrel ( $|\eta| < 0.7$ ):  
36  $r-\phi$  measurements / track  
resolution  $\sim 130 \mu\text{m}$  / straw  
14 end-cap wheels ( $|\eta| < 2.1$ ):  
40 or less  $z-\phi$  points



electrons radiate  $\rightarrow$  higher signal  
PID info by counting  
high-threshold hits

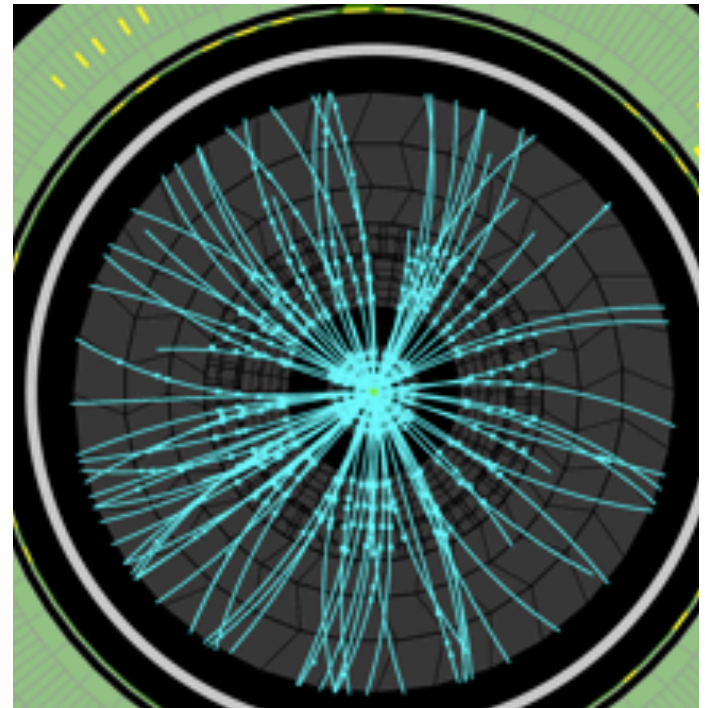


Given ~30 hits per track, small difference in probability to measure hits with a higher threshold can give significant particle identification/background rejection for electron ID



$$p \propto B \cdot R$$

For precise measurement of  $p$ , want precise measurement of radius of curvature. 100 GeV object at ATLAS has  $R = 166\text{m}$ ! A 1 TeV pion will have  $R$  close to 1 km... need precision in silicon systems order ( $\sim 10$  microns per measurement)



Particle travels  $\sim c\tau$  before decaying **in its own rest frame** but in lab frame,  $\sim \gamma c\tau$ . Typically interested in objects with substantial Lorentz gamma factors, so muons, neutrons and charged pions and kaons travel and decay in the detector

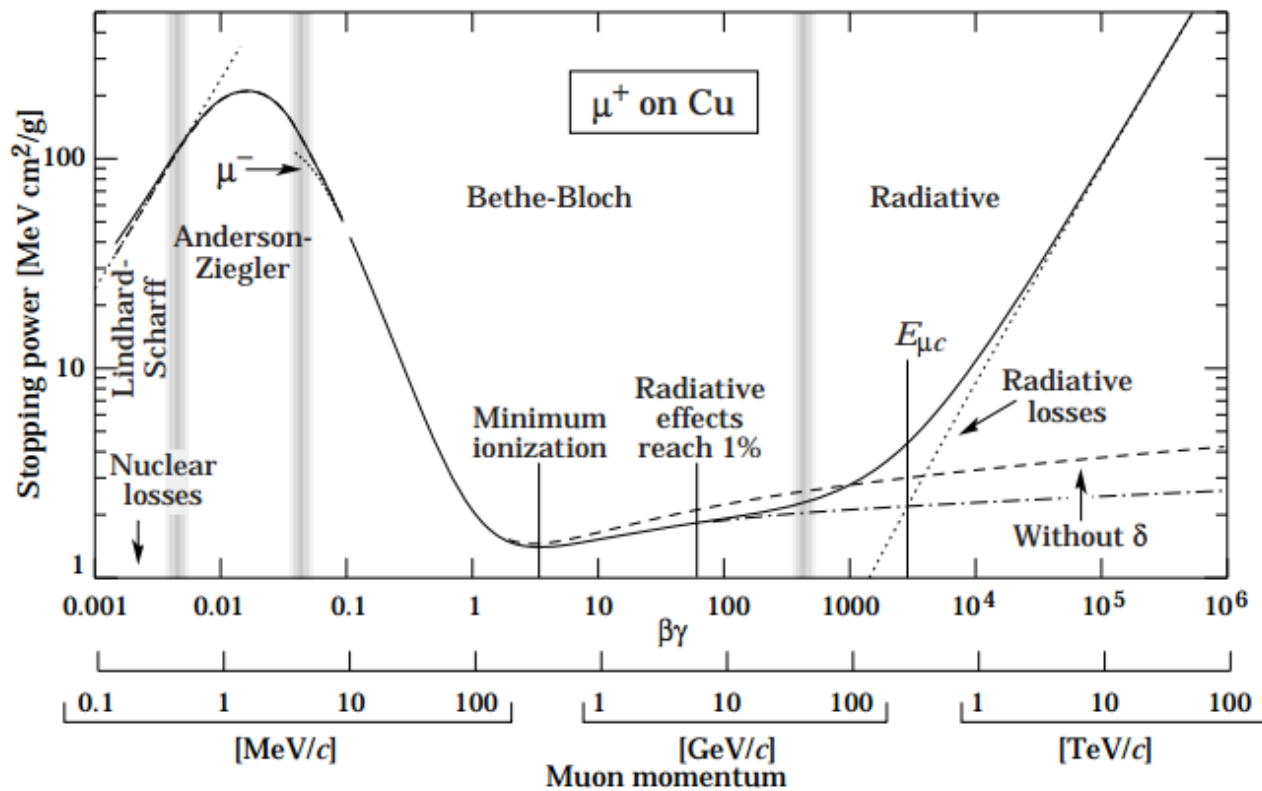
# Bethe-Bloch equation

When a relativistic charged particle passes through some material with atomic number  $Z$  and electron density  $n$ , it ionizes the atoms and thus loses energy.  $I$  is the mean excitation energy in the material  $\sim 10 Z$  [eV]

$$-\frac{dE}{dx} = \frac{4\pi}{m_e c^2} \cdot \frac{n z^2}{\beta^2} \cdot \left( \frac{e^2}{4\pi\epsilon_0} \right)^2 \cdot \left[ \ln \left( \frac{2m_e c^2 \beta^2}{I \cdot (1 - \beta^2)} \right) - \beta^2 \right]$$

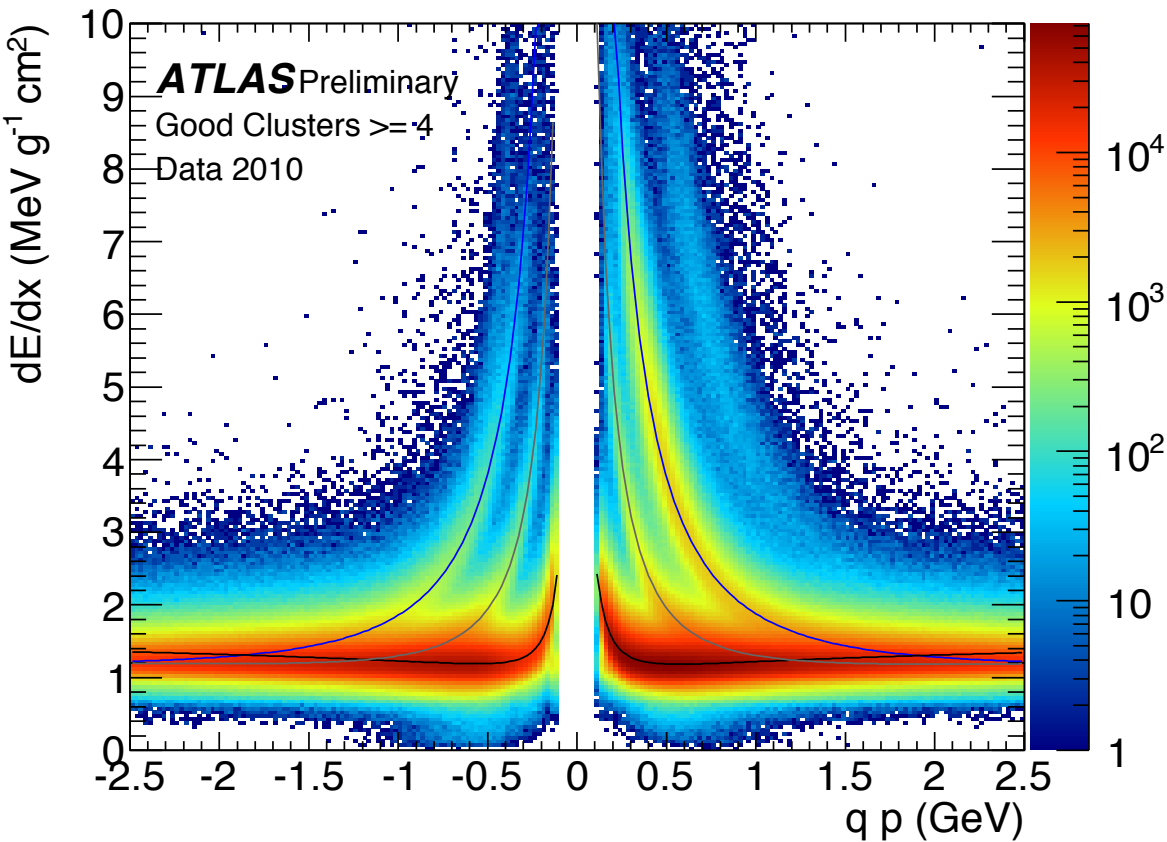
Not very intuitive :)

# Bethe-Bloch equation



**Fig. 27.1:** Stopping power ( $= \langle -dE/dx \rangle$ ) for positive muons in copper as a function of  $\beta\gamma = p/Mc$  over nine orders of magnitude in momentum (12 orders of magnitude in kinetic energy). Solid curves indicate the total stopping power. Data below the break at  $\beta\gamma \approx 0.1$  are taken from ICRU 49 [4], and data at higher energies are from Ref. 5. Vertical bands indicate boundaries between different approximations discussed in the text. The short dotted lines labeled “ $\mu^-$ ” illustrate the “Barkas effect,” the dependence of stopping power on projectile charge at very low energies [6].

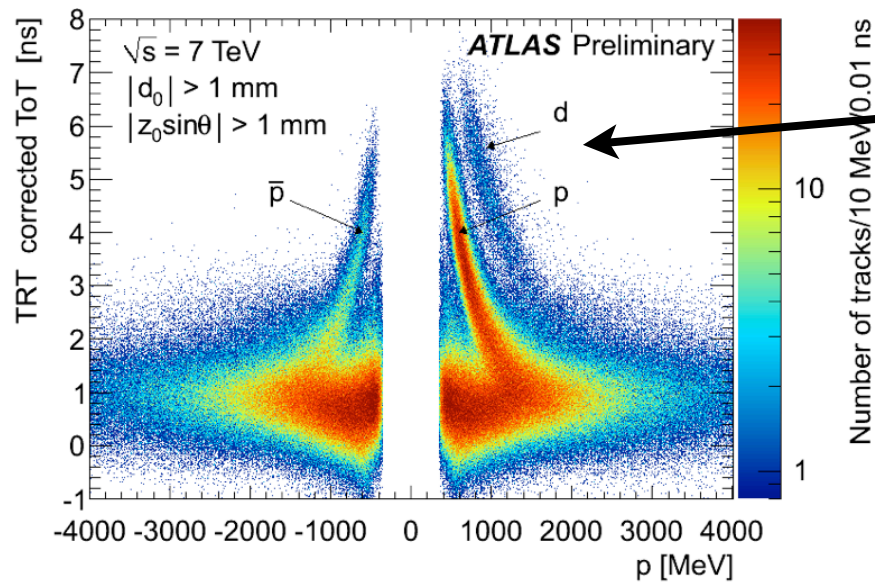
From PDG.  
 Particles with  $\beta\gamma \sim 3$  lose the least amount of energy as they travel, and are referred to as “minimum ionizing” particles



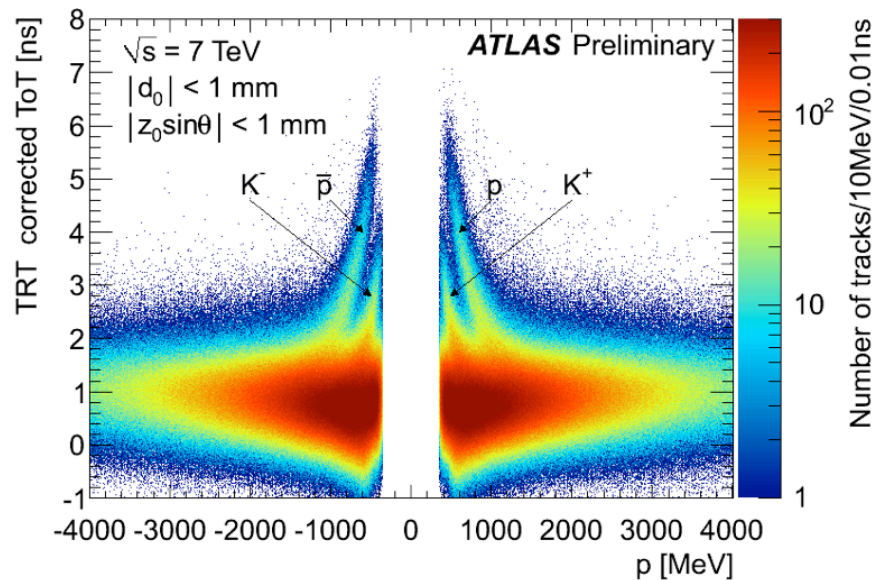
Can see  
pions, kaons  
and protons



# Using $dE/dx$ in the TRT system of ATLAS



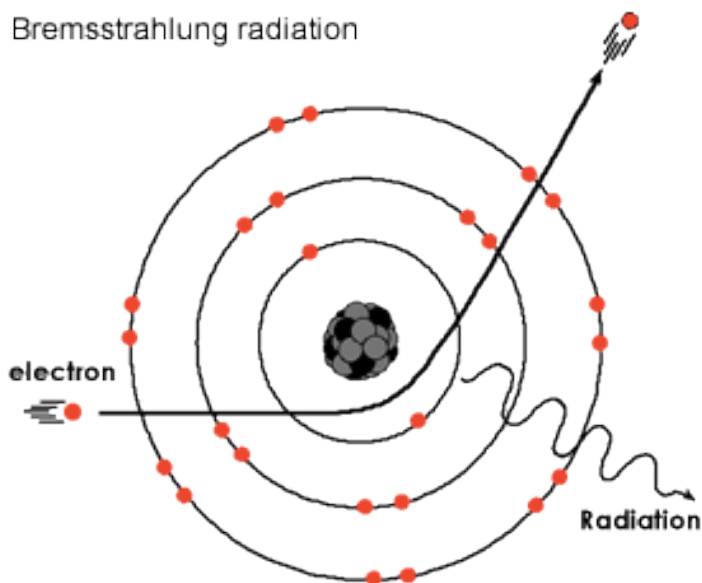
Asymmetry! Why?



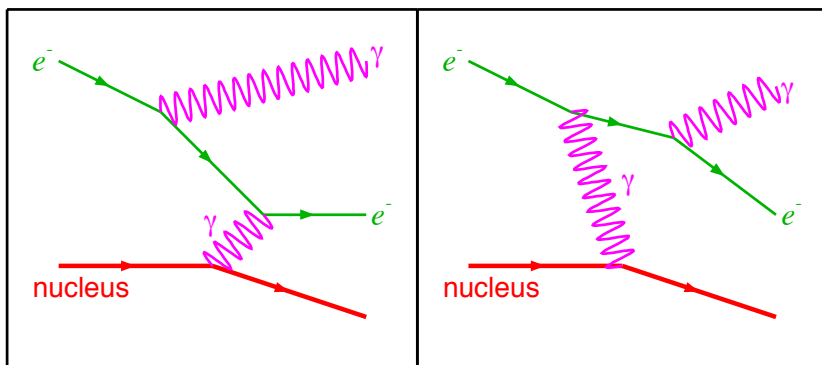
Using “time over threshold” can also do particle identification with straw detectors

# Bremsstrahlung

Bremsstrahlung radiation



Bremsstrahlung

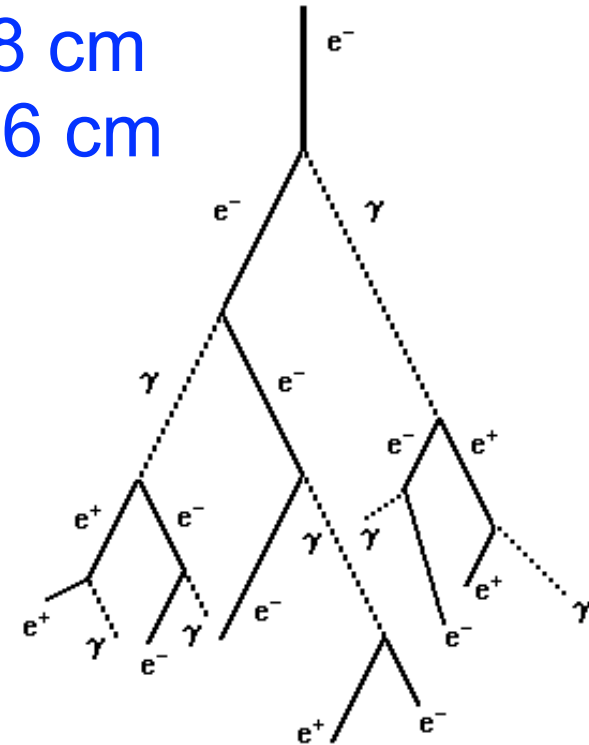
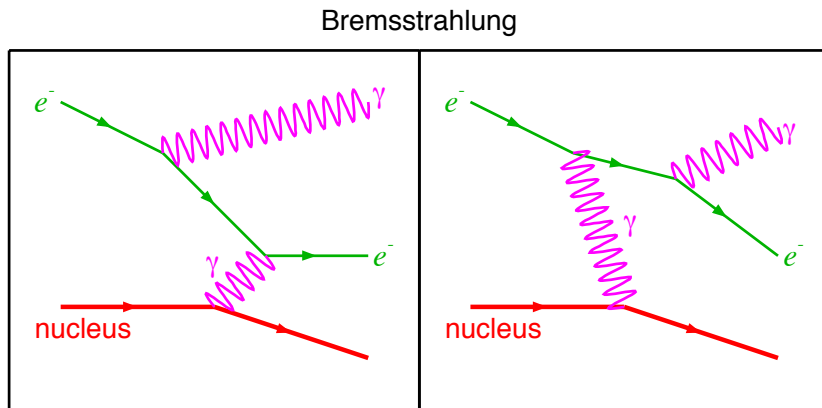
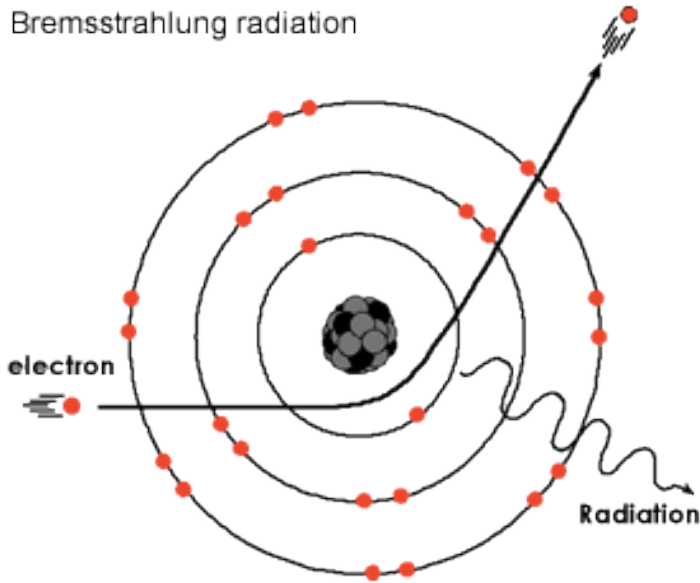


Literally “braking radiation” in German, **bremsstrahlung** is the main way that electrons of interest at ATLAS lose energy. In EM you might have seen that the amount of energy radiated away goes as  $1/\text{mass}^2$ , which is why one reason why ee accelerators need to be so big, and why muons don't lose much energy in the detector

# Radiation length for high-energy electrons/photons

Radiation length  $X_0$  is the average distance over which the energy of an electron is reduced by  $1/e$  (characteristic distance scale for material effects)

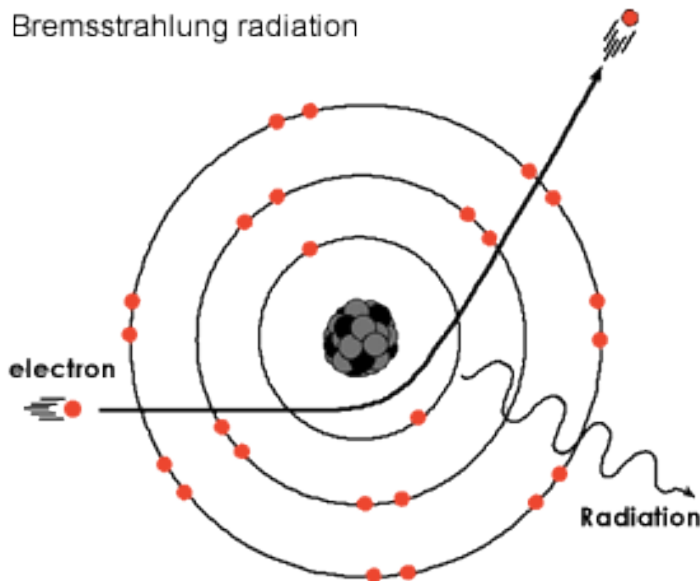
$X_0(\text{iron}) = 1.8 \text{ cm}$   
 $X_0(\text{lead}) = 0.6 \text{ cm}$



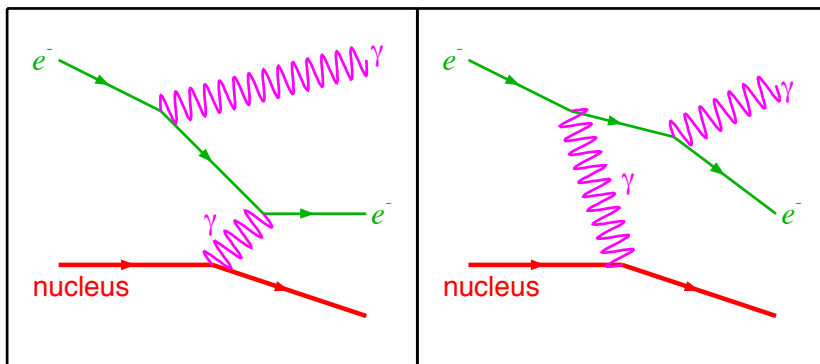
Very similar for photons

# Radiation length for high-energy electrons/photons

Bremsstrahlung radiation



Bremsstrahlung



After 1  $X_0$  we have roughly twice as many particles, with half the original energy

After 2  $X_0$ , we have  $\sim 4x$  as many particles, with  $1/4$  the original energy

After  $n$   $X_0$ , we have  $\sim 2^n$  as many particles, and the energy of each is  $\sim 2^{-n}$  of the original value

At some critical energy  $E_c$ , the Brem process stops

$$\langle E \rangle_n = \frac{E}{2^n} = E_c$$

$$\ln E - \ln 2^n = \ln E_c$$

$$\ln E - n \ln 2 = \ln E_c$$

$$n \ln 2 = \ln(E/E_c)$$

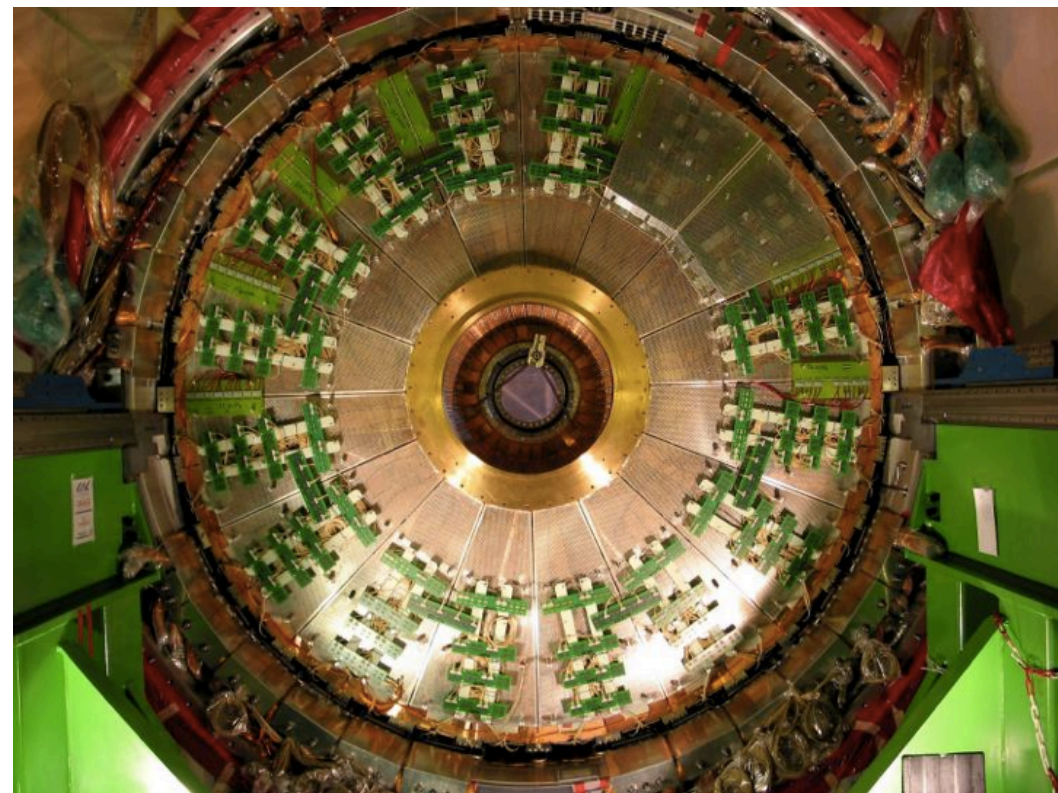
$$n = \frac{\ln(E/E_c)}{\ln 2}$$

Here  $n$  is the number of radiation lengths where the maximum number of particles is observed, aka where Brem stops (for lead, 100 GeV electron gives 13  $X_0$ , which is just a few cm)



Need some dense material to absorb energy, and some active material to notice this and produce an output signal. Can be the same material, often is not.  
ATLAS EM calorimeter is lead-liquid argon

A view inside the ATLAS LAr calorimeter



Trickier, as hadrons can be electrically neutral but even then the constituents (quarks) have electric charge. And sometimes have an overall electric charge

Defined by the nuclear interaction length ( $\lambda_{\text{I}}$ ), which is the mean distance between hadronic interactions.

$\lambda_{\text{I}}(\text{lead}) = 17 \text{ cm}$  (compare with  $X_0(\text{lead}) = 0.6 \text{ cm}$ )

Also tricky because neutral pions decay 99% of the time to a pair of photons

Intersperse steel absorber with plastic scintillator tiles, plastic doped with organic material. When charged secondary particles emerge from the steel, they excite the doped material, and emit UV light that can be re-emitted as one color by a dye

## The ATLAS tile calorimeter

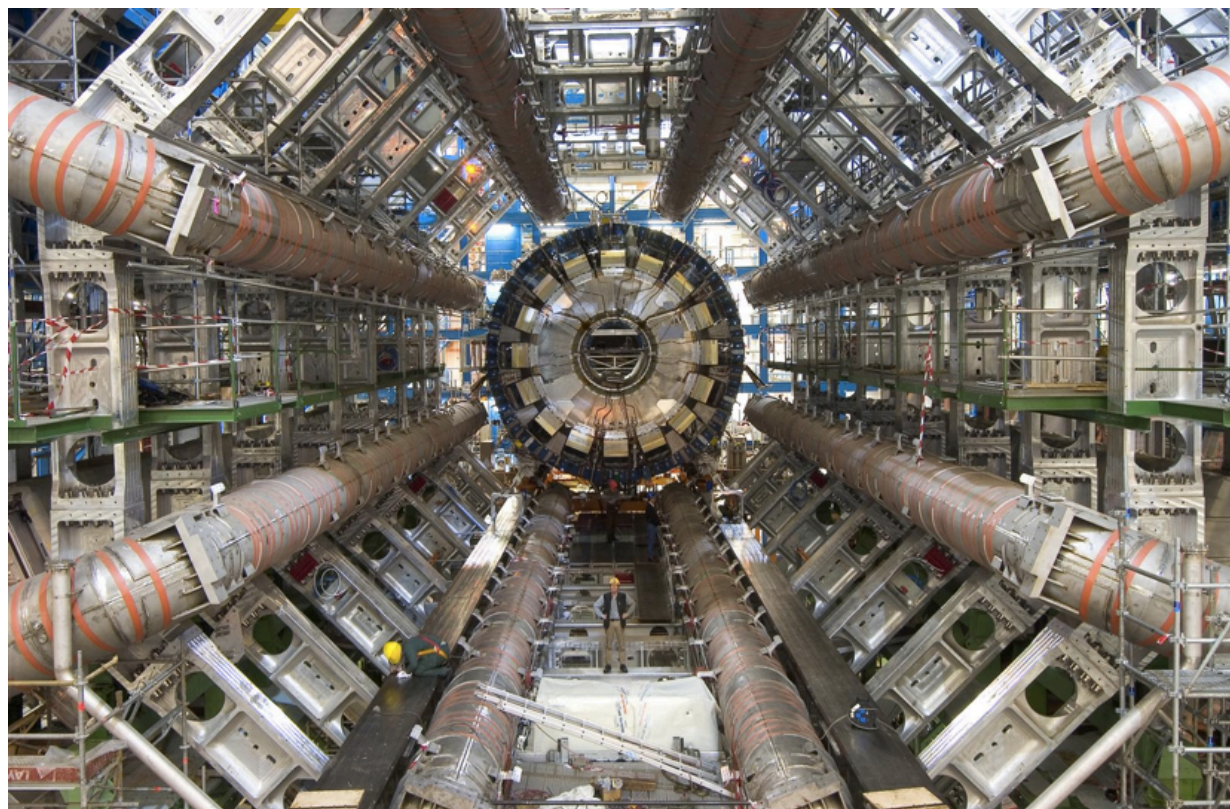




# What emerges from the calorimeters?

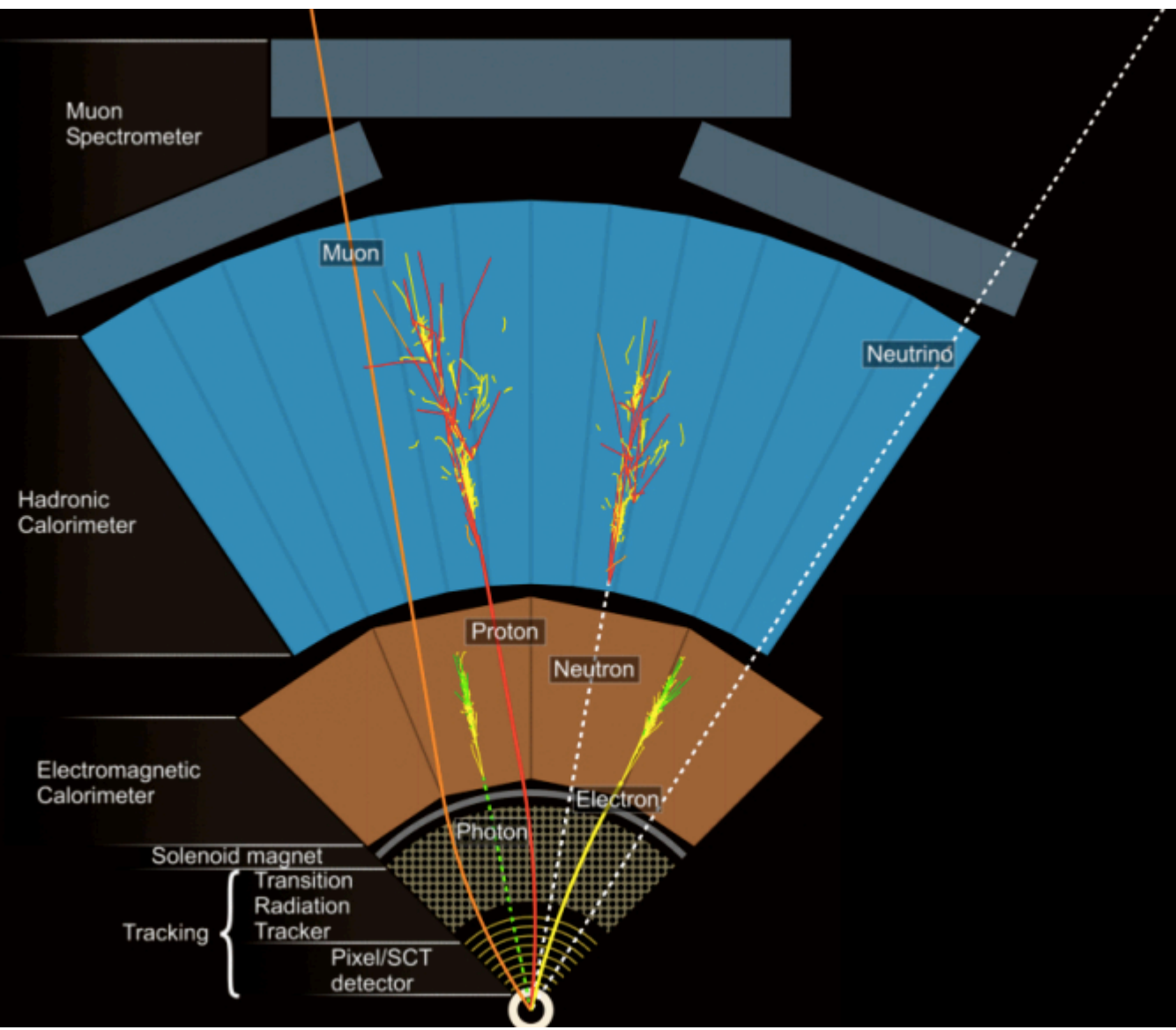
Neutrinos... we “detect” them (indirectly) by applying momentum conservation in the plane perpendicular to the beam

And muons! Have a set of toroidal magnets (giving ATLAS its shape and name) and more muon systems on outside of detector



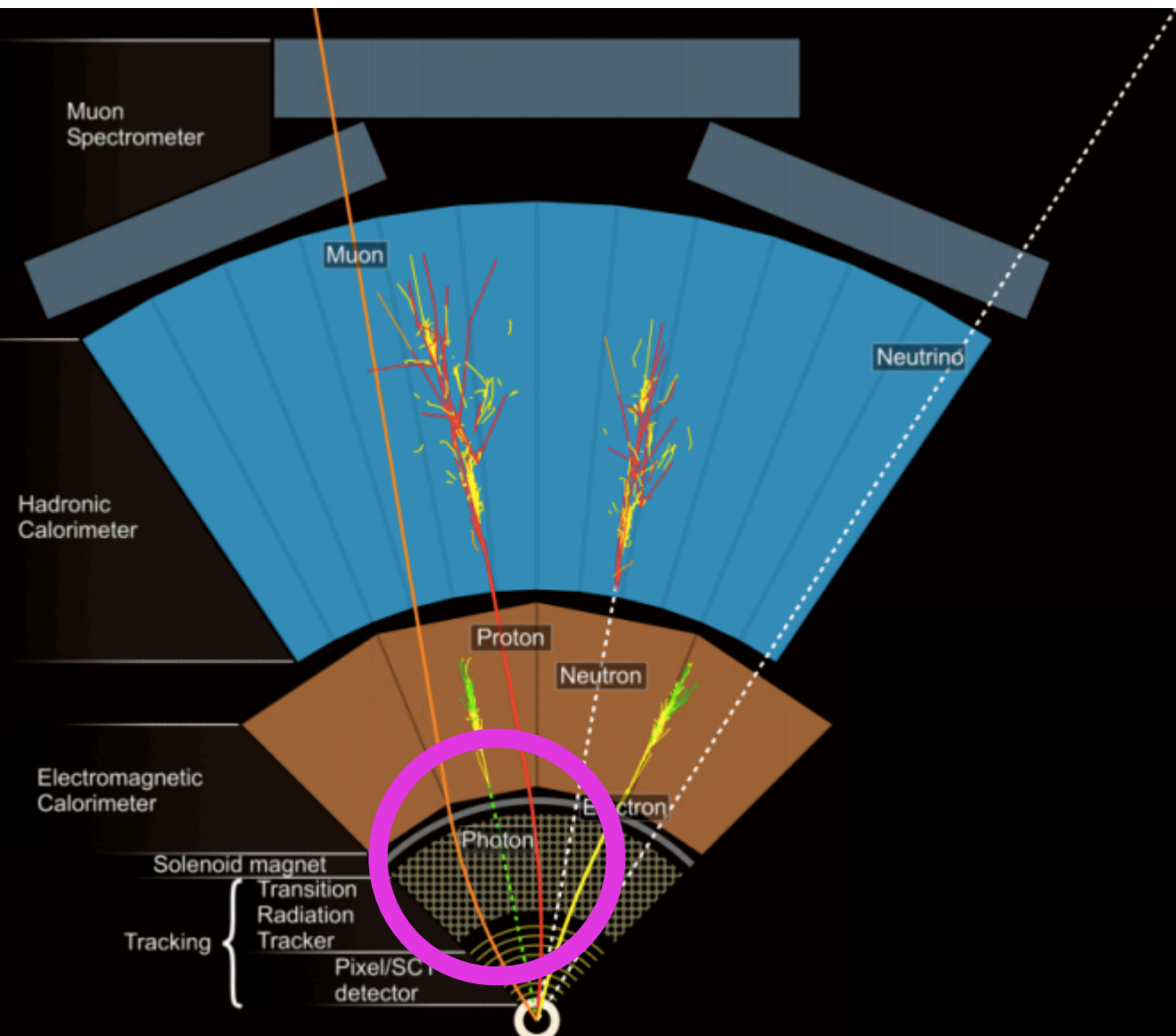
Highly non-trivial B field. Need to monitor not just alignment but also field itself

# Putting it all together



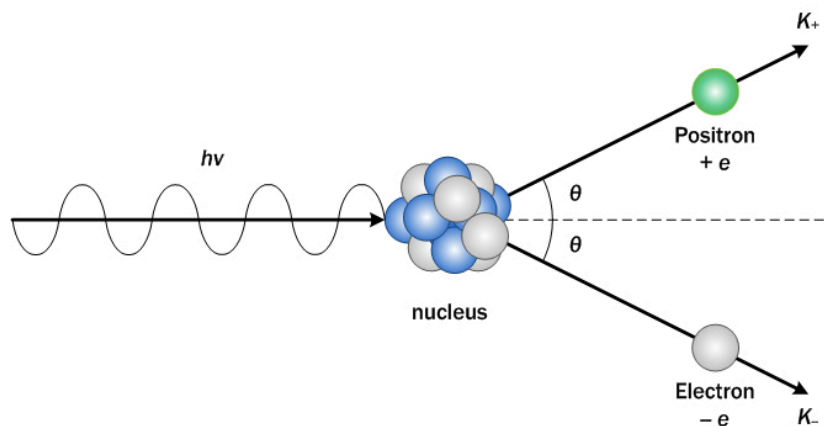
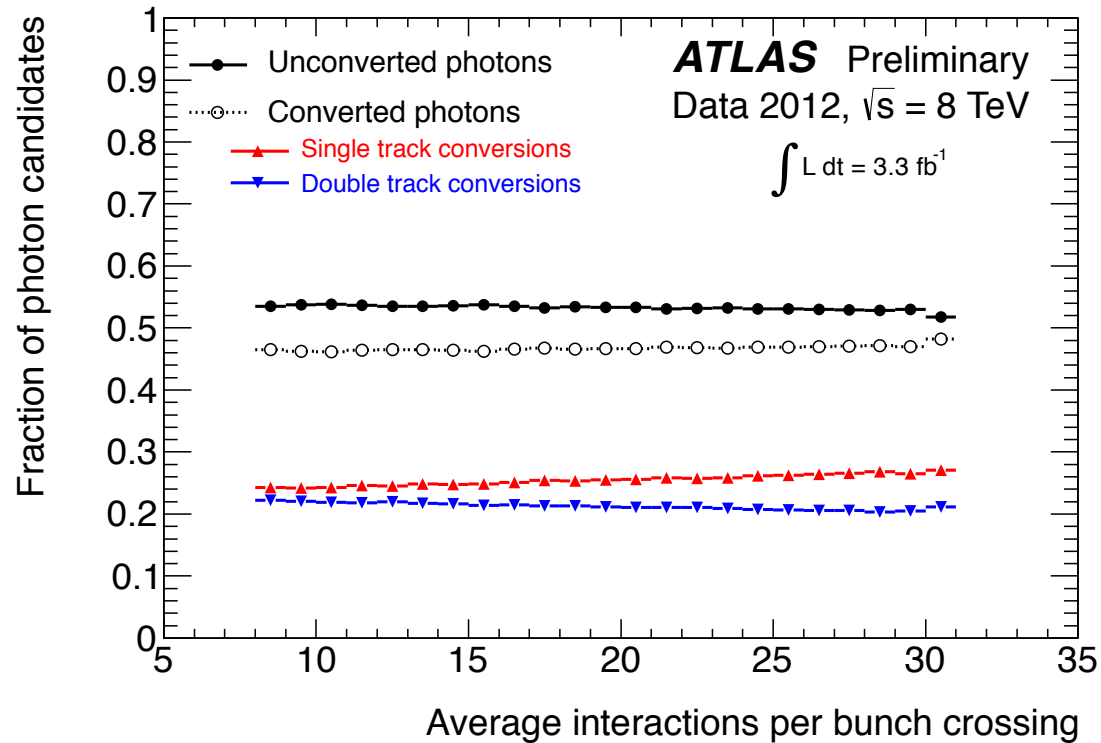


# Putting it all together



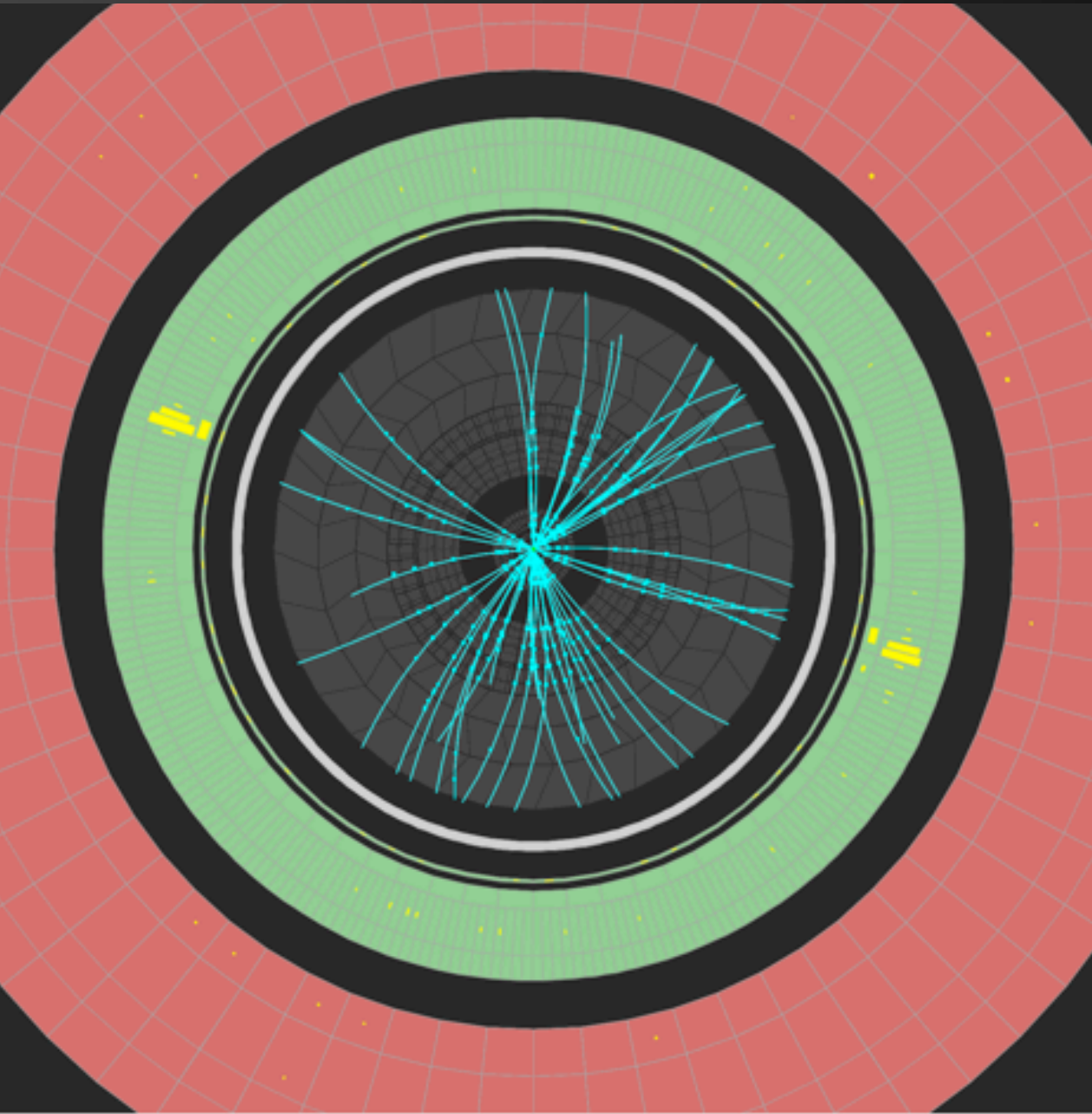
Photon can appear as isolated cluster in the EM calorimeter with nothing in hadronic calorimeter behind it and nothing else nearby. NO charged track pointing at calorimeter. Careful: lots of neutral pions!

# Putting it all together



Need to be careful because almost half of the photons at ATLAS interact with material in the detector before reaching the calorimeter! These photons look similar, except there are one or two clusters of energy with charged tracks not coming from the original interaction. How can there be only one track? Other one can be very **soft** (low momentum)

# Higgs boson decaying to two photons

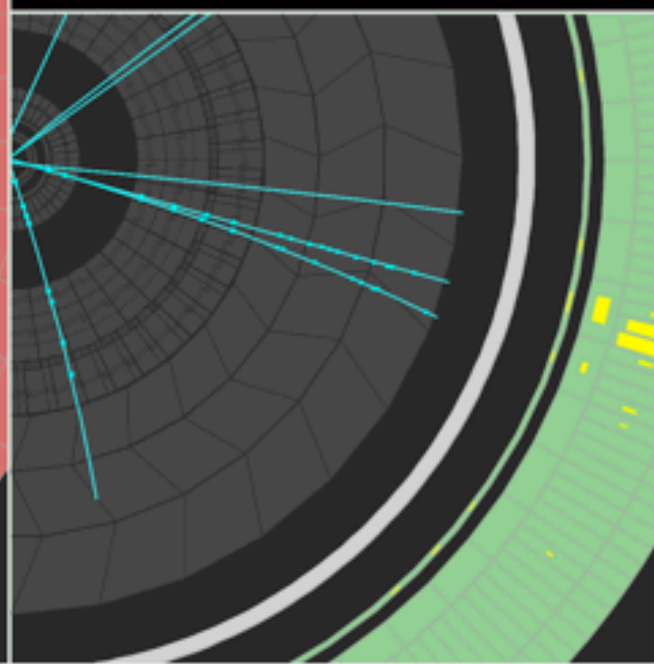


# ATLAS EXPERIMENT

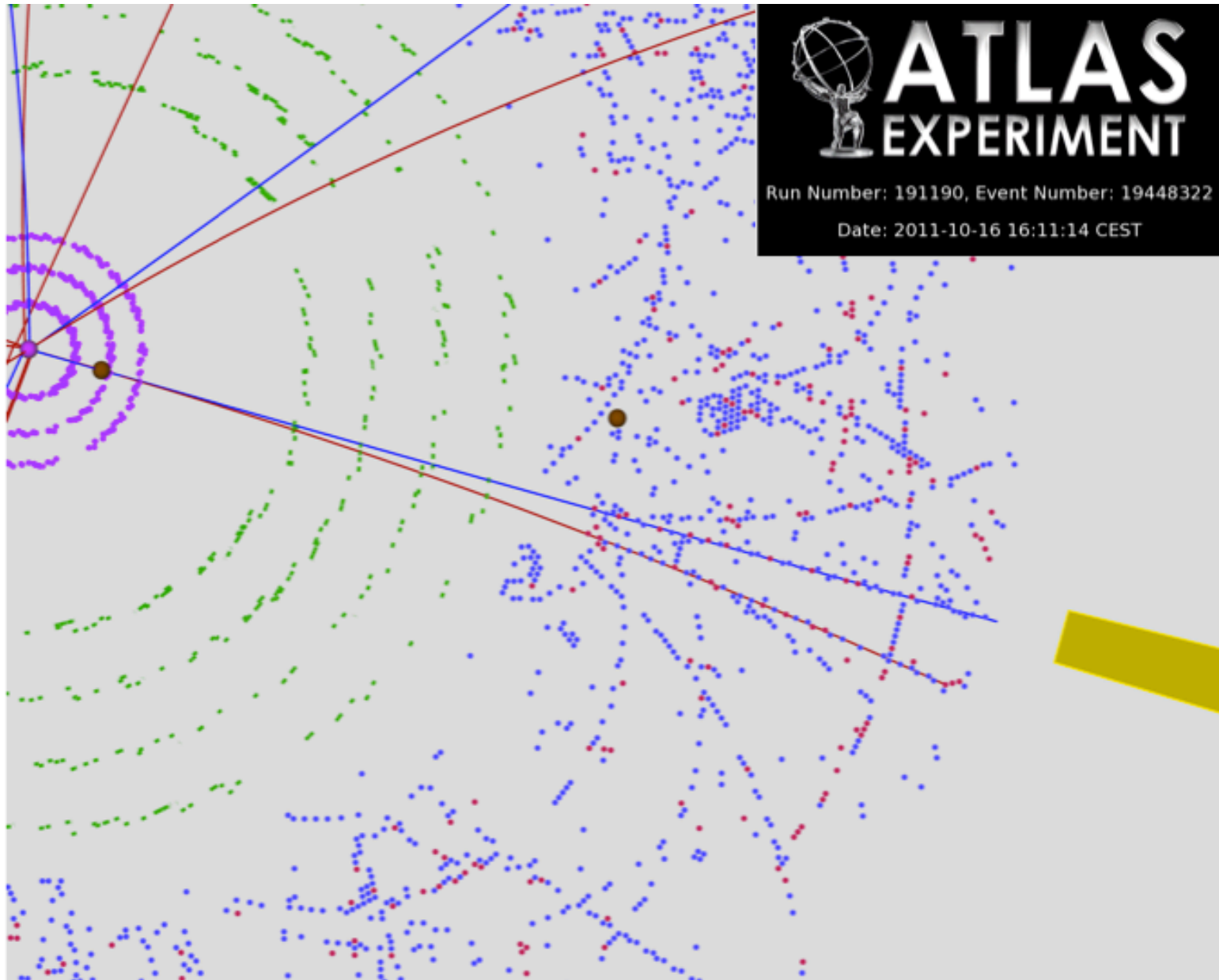
Run Number: 191190, Event Number: 19448322

Date: 2011-10-16 16:11:14 CEST

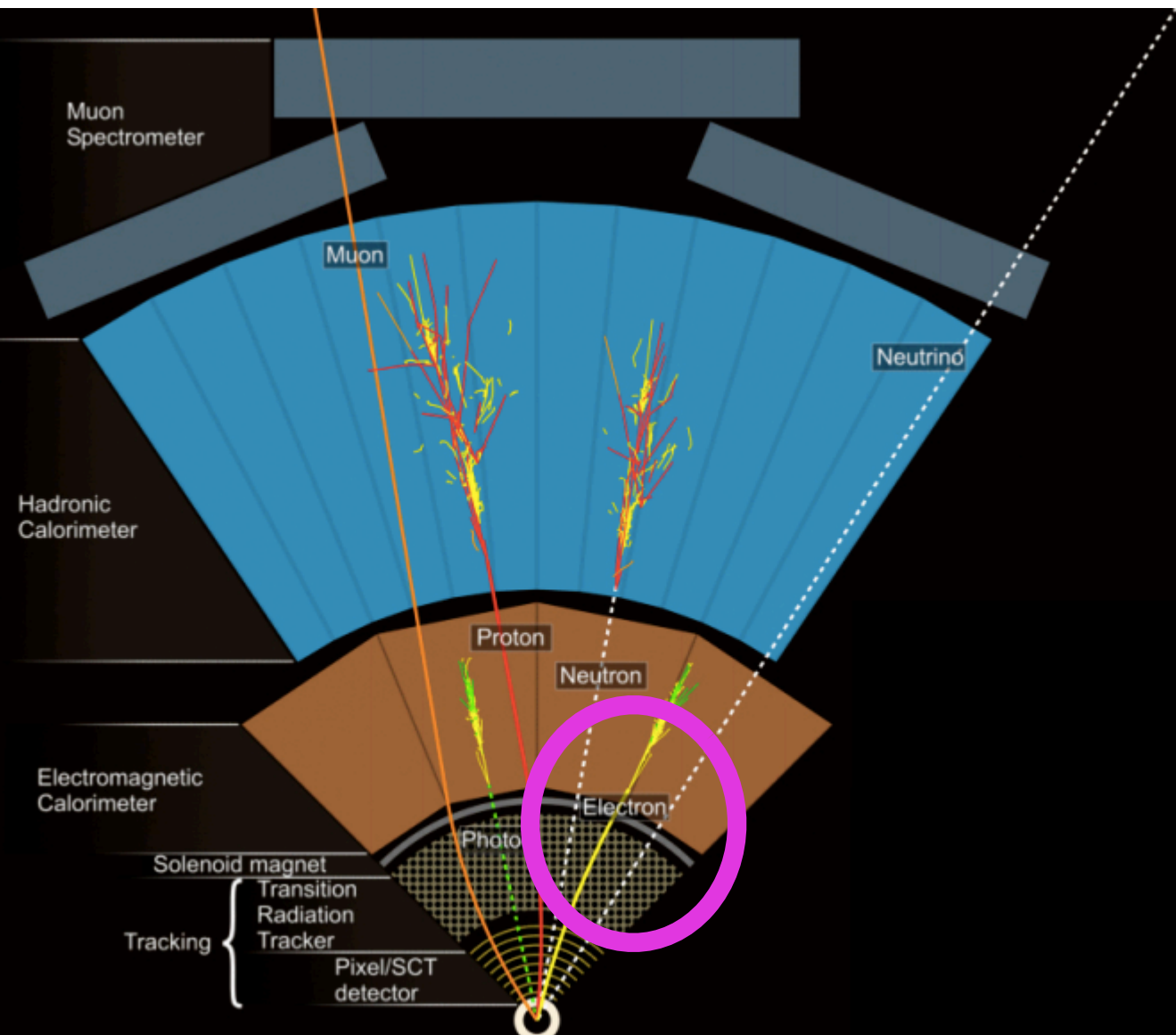
$$m_{\gamma\gamma} = 125.8 \text{ GeV}$$



# Zooming in on a converted photon



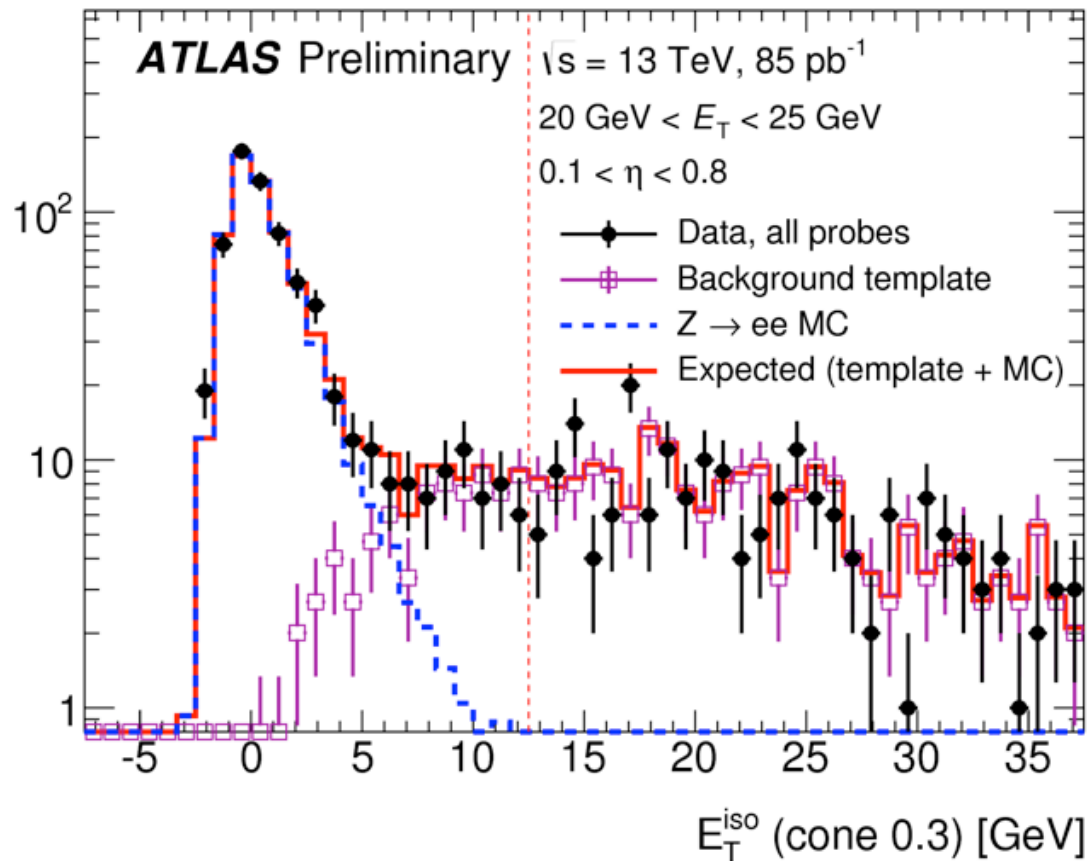
# Putting it all together



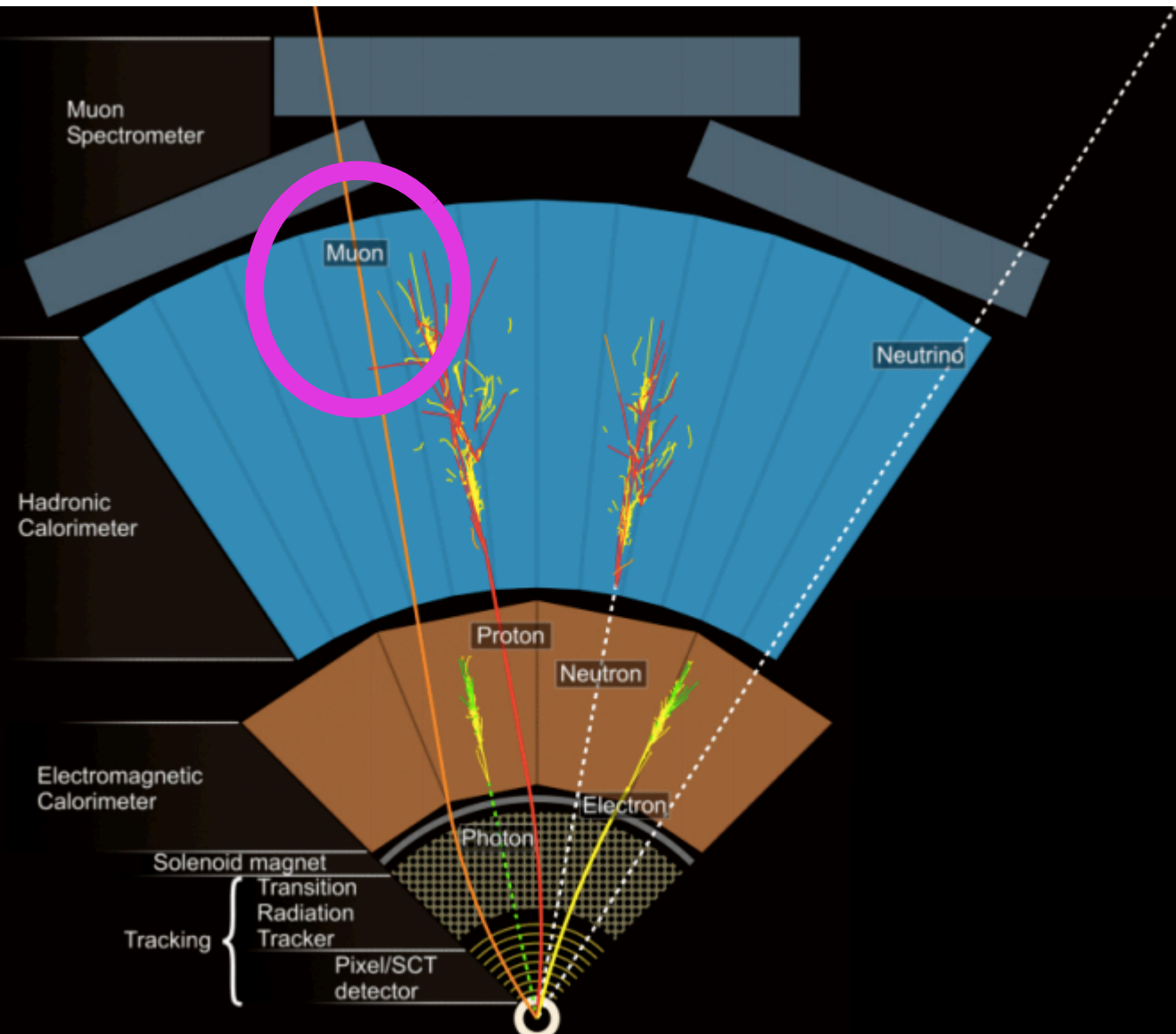
Electron appears as isolated cluster in the EM calorimeter with nothing in hadronic calorimeter behind it and a charged track. Photons and charged hadrons look like this too!



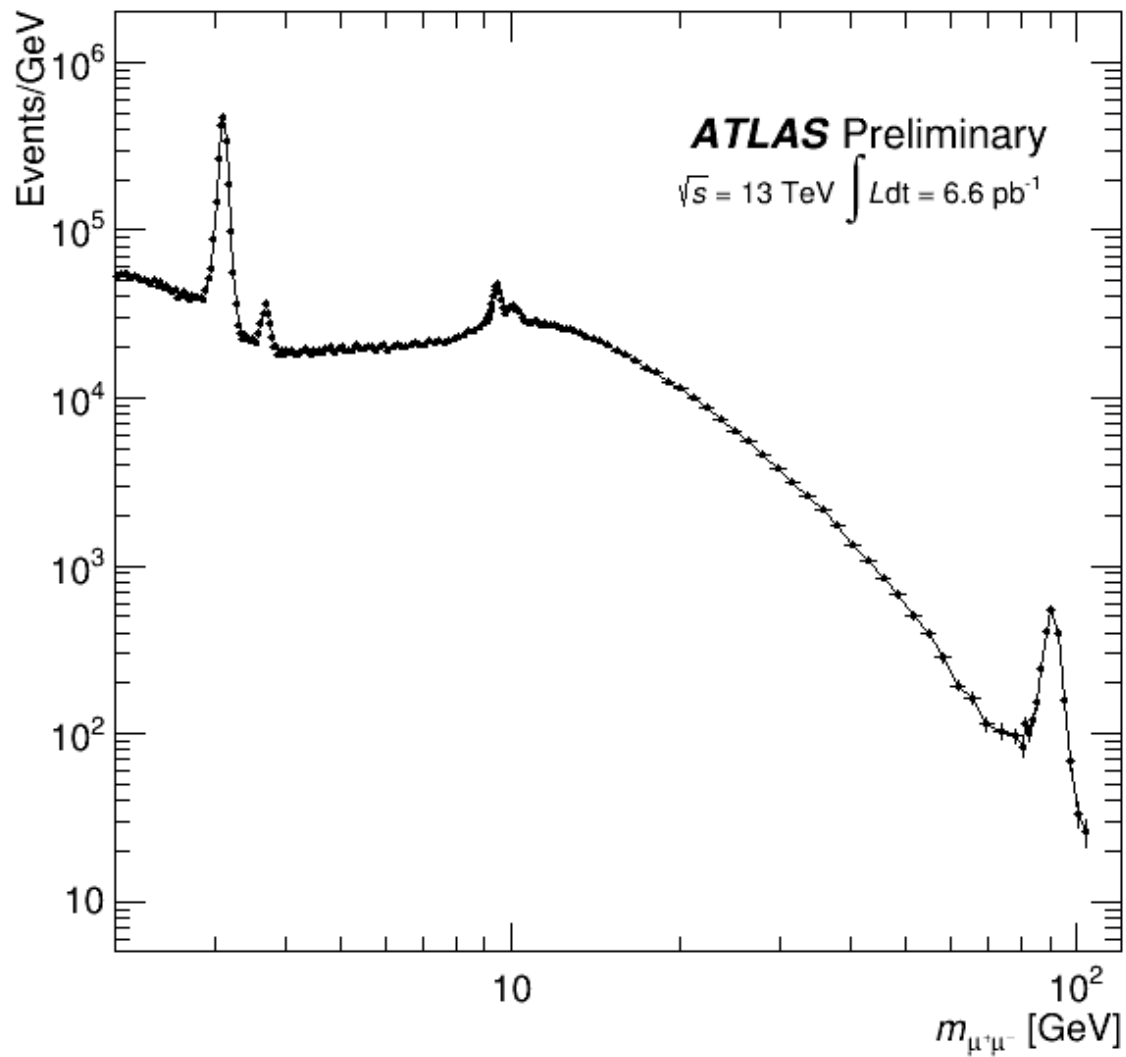
Entries / 8.33 GeV



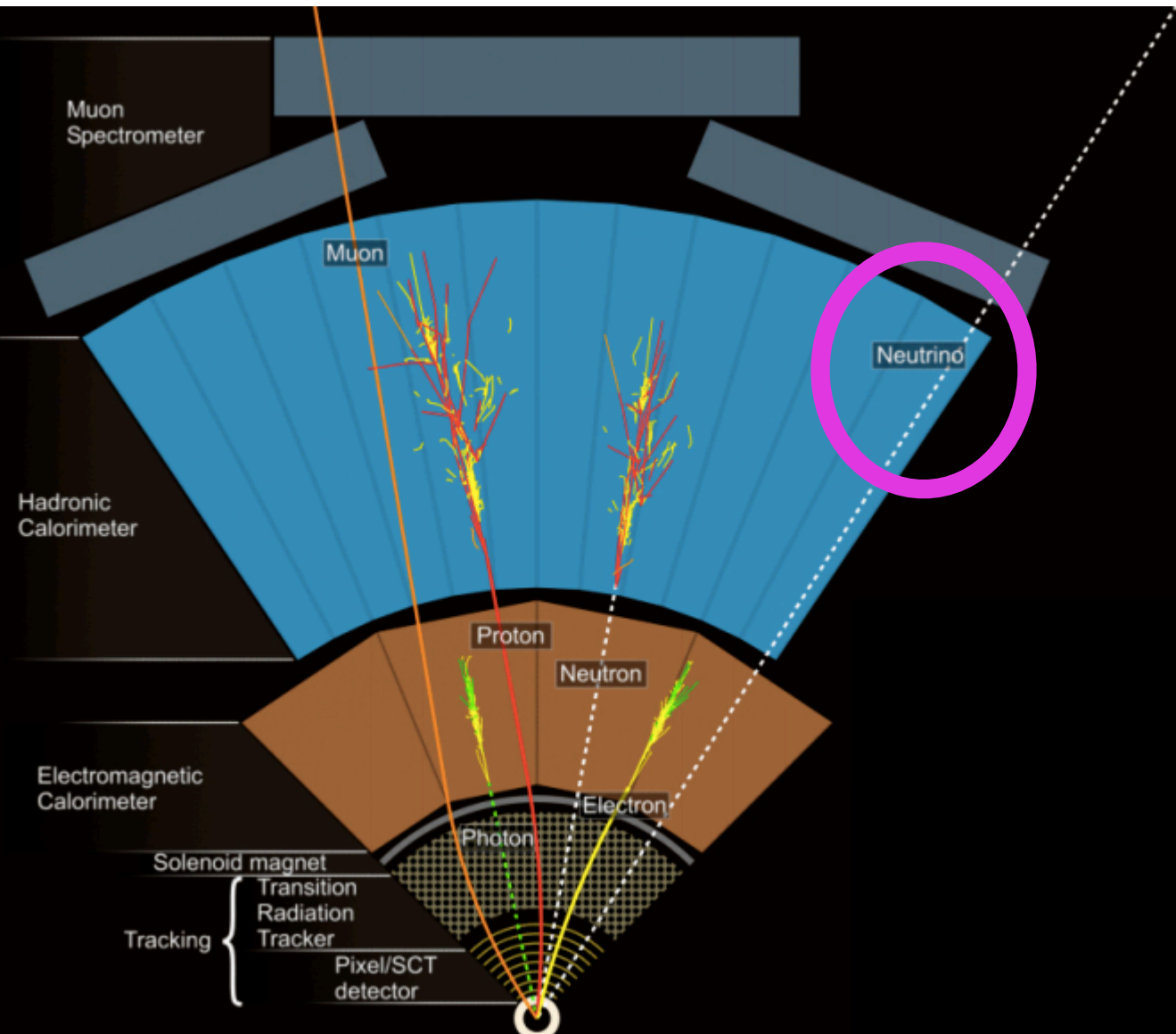
“Isolation” of nearby activity (in calorimeters and also tracking system) can help us to distinguish real electrons from fake electrons



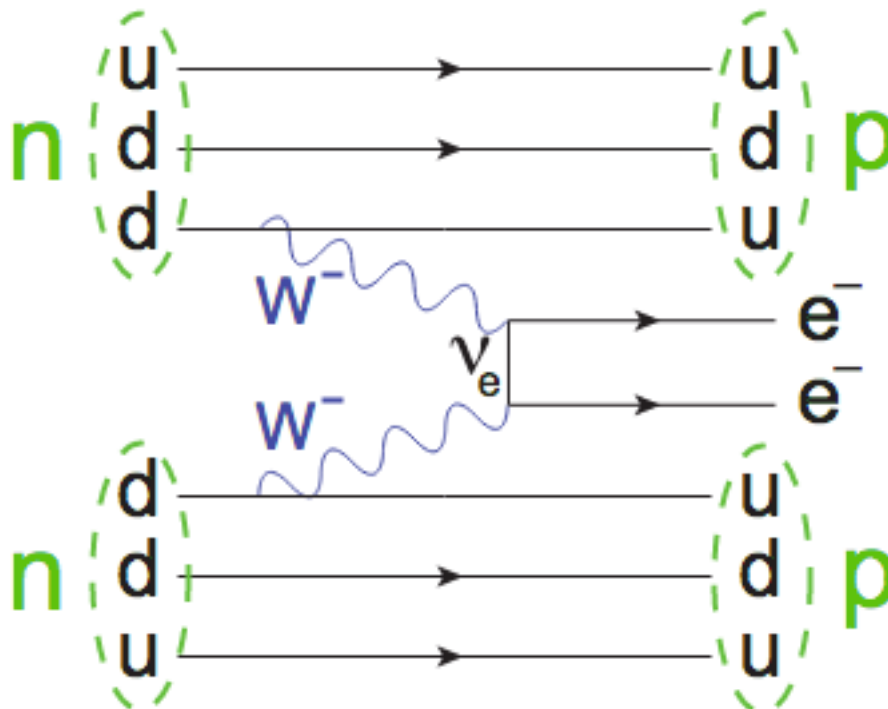
Muons appear as isolated, minimally ionizing particles in the calorimeter, with charged tracks in both the inner detector and also the muon spectrometer. Typically not so many fake muons, but can have muons from hadron decays



Beautiful  
 invariant mass  
 plot with early  
 Run 2 ATLAS  
 data

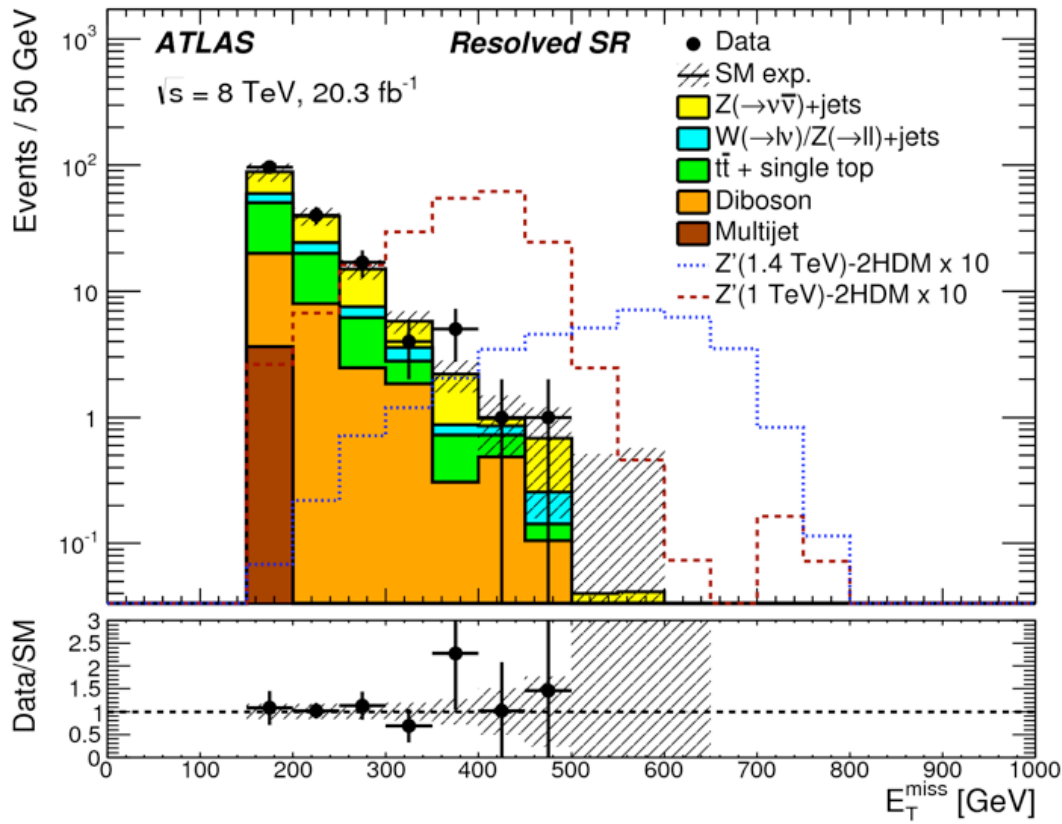


Neutrinos are not measured directly but inferred by applying the conservation of momentum to all measured objects

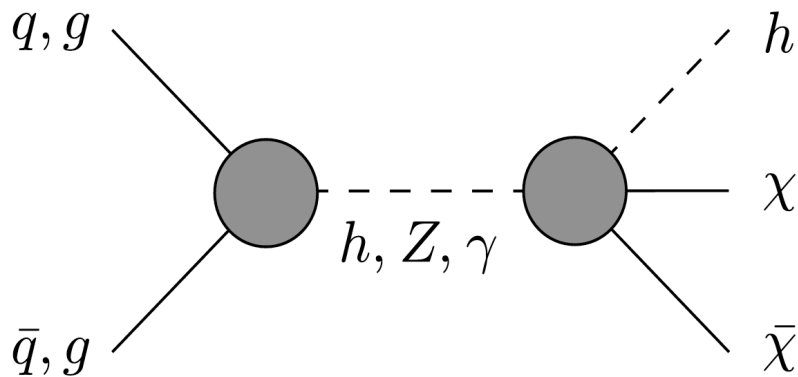


Are neutrinos Majorana particles (ie their own anti-particles)? Different than Dirac particles (not their own) anti-particles. Would violate electron flavor number! How to observe this?

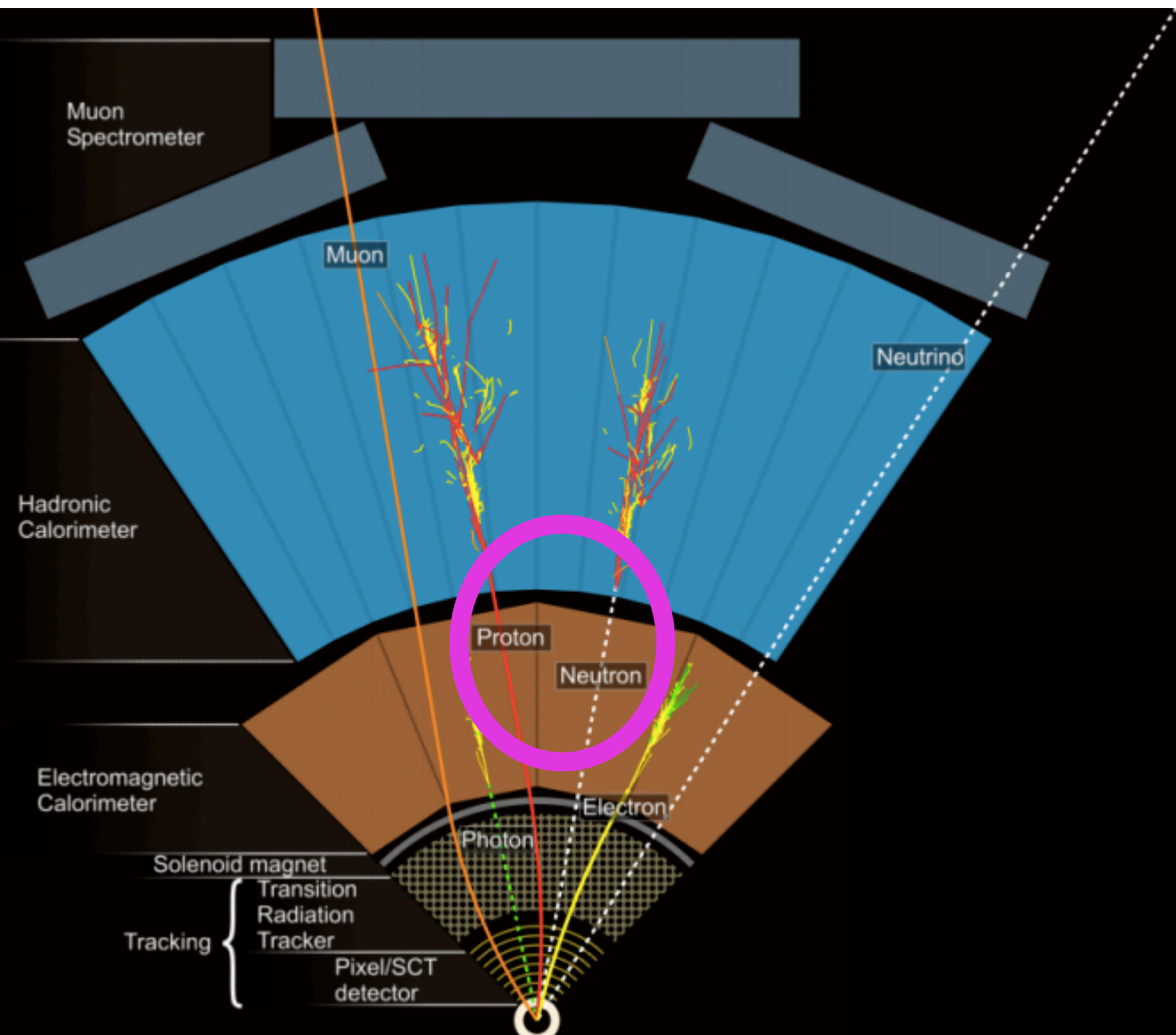




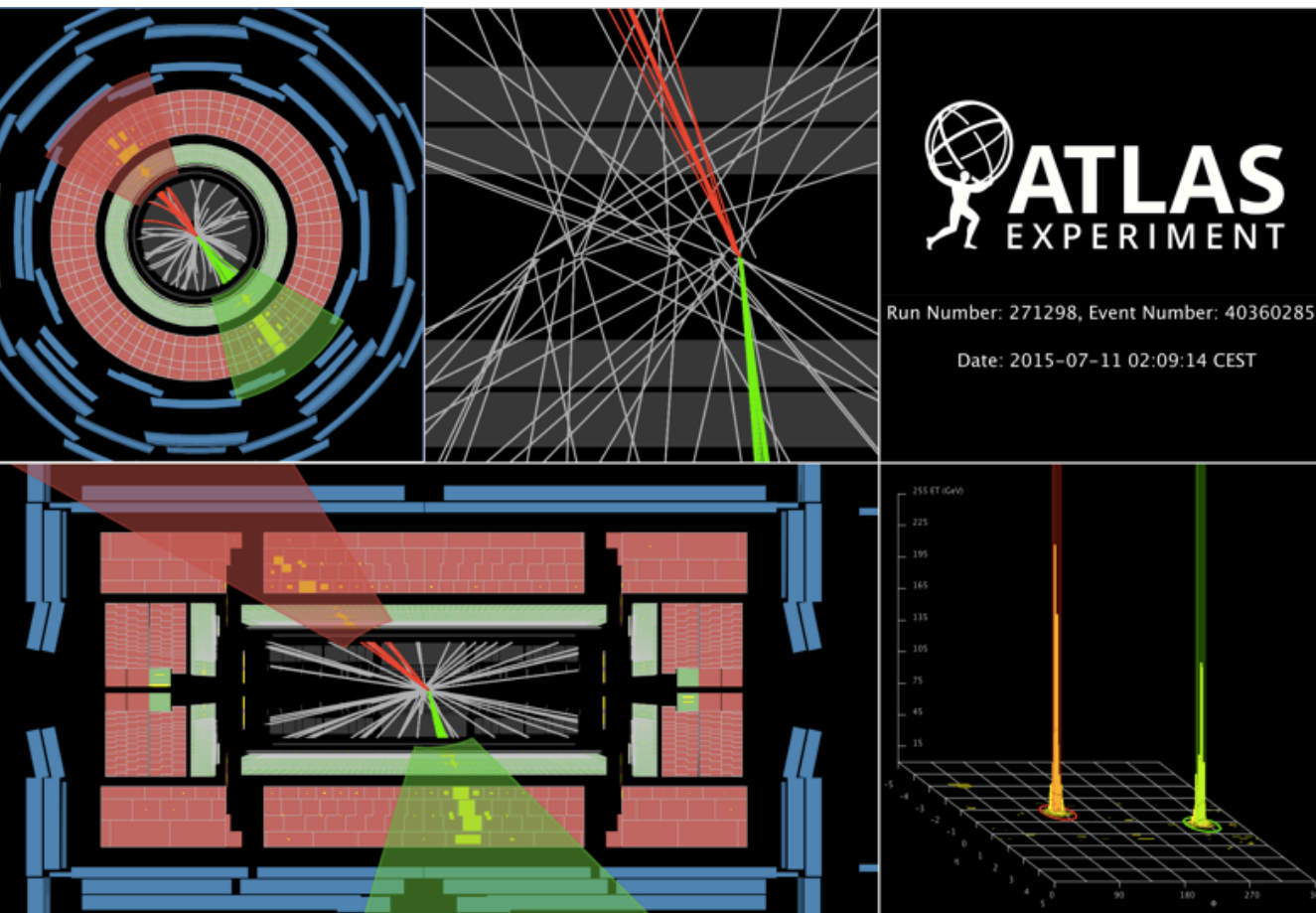
Using momentum imbalance to look for dark matter production



# Putting it all together



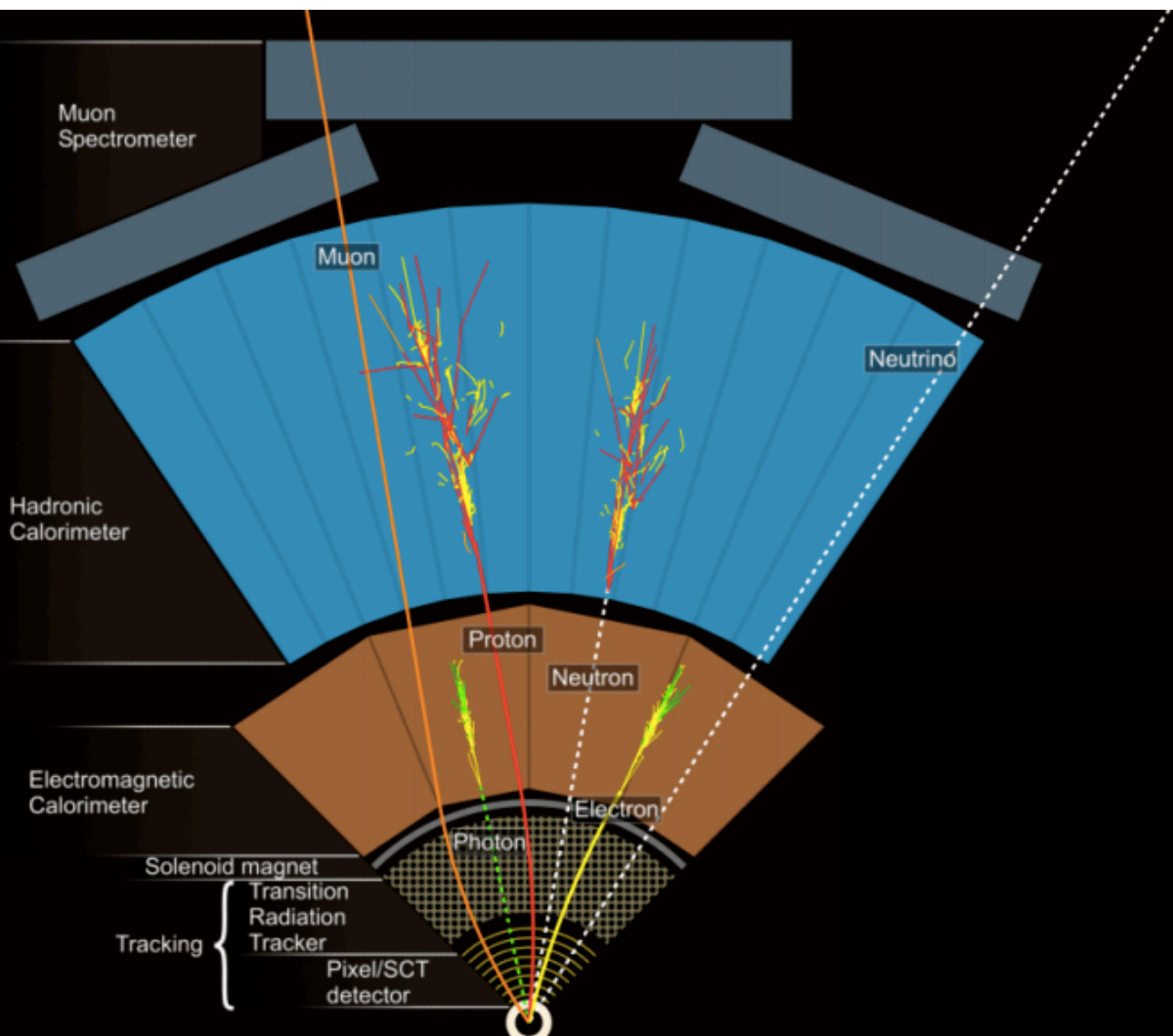
Protons leave charged tracks, neutrons do not. Both deposit energy in both the electromagnetic and hadronic calorimeters. Both typically not produced on their own but with lots of other particles nearby inside of a **jet**



Typical jet has  
 ~60% of energy  
 in charged  
 particles (mostly  
 pions), ~30% in  
 photons from  
 neutral pion  
 decay, and 10%  
 neutrals. On  
 average, of  
 course

In a process like  $pp \rightarrow qq\bar{q}$ , quarks are flying apart in opposite direction. They do not form a bound state together, but the energy pulling them apart leads to radiation of gluons and lots of other quarks, which decay to other objects with QCD color charge, which decay, etc into a collection of particles called a **jet**

# Putting it all together



Taus can decay to

an electron (18%);

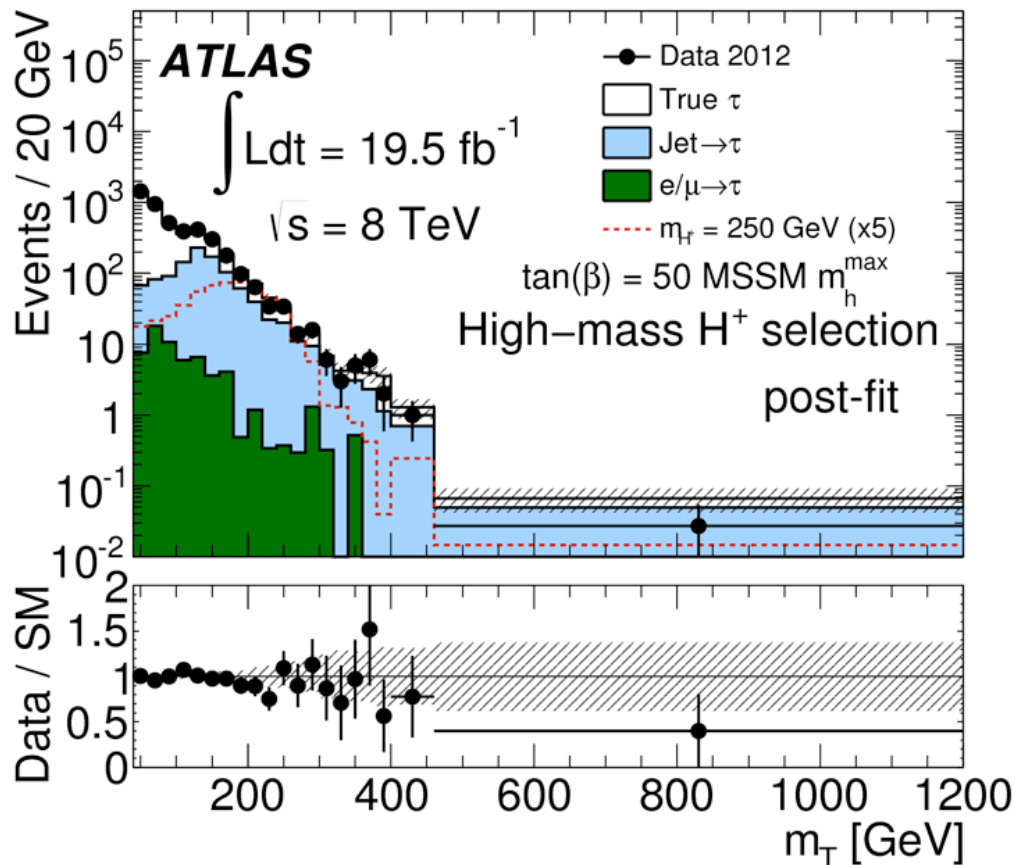
a muon (17%);

a single charged pion and extra neutral pions decaying to photons (48%);

three charged pions plus extra neutral pions decaying to photons (15%)

Taus thus often reconstructed as a narrow collimated jet of 1 or 3 tracks

(Ignoring neutrinos)



In many models of new physics, new Higgs-like particles like to decay to heavy objects. Can have charged Higgs bosons decay to a tau (and a neutrino)