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## Some practical information

- Monday + Wednesday, 6-7:15 pm in LaTourette 227 (aka here)
- Griffiths Introduction to Elementary Particles is the required text
- Expect a good, basic knowledge of quantum mechanics, though we'll hopefully cover everything you need to know
- Plan on following the book quite closely, with some important exceptions (see next slides)
- Useful formulas and equations and information in appendix at back of book cover


## When I will diverge from Griffiths

- In terms of material, it is very well explained, but we'll go a bit more in depth on certain topics (and skip others), and fill in the gaps in between equations
- I'll use slightly different notation (natural units!)
- Will cover detectors a bit
- We'll end with some discussion of "real" LHC analyses

Will also be mined for some extra material


## What we will cover (partially following Griffiths)

1. Some history of particle physics
2. Particle dynamics and a Standard Model (SM) overview
3. How do particle detectors work? Modern particle physics experiments
4. Relativistic kinematics
5. On symmetries
6. Bound states
7. Feynman rules
8. Quantum electron dynamics, QED
9. Quantum chromo dynamics, QCD (short version)
10.Weak interactions
11.Gauge theories and the Higgs mechanism
12."Real" particle physics @ the LHC!

With roughly 1 problem set per 1-2 topics above

- Problem sets every 1-2 weeks, each with the same weight: combined total, $75 \%$ of grade
- All to be due 1 week after they are given, in class, after assignment
- To be distributed after we finish 1-2 chapters/topics
- Start the HW early! If you get stuck and need help, please come by during office hours
- Please ask for help if you don't understand solutions after they are posted (we'll briefly go over them in class, but not over everything)
- Final presentation: $25 \%$ of grade
- Late homework/exams NOT accepted without valid note or excuse (for sure not if you don't talk to me as soon as possible)


## Final exam

- Final will be a bit different than the usual exam, and will be focused more on "real" particle physics
- Based on presentations in class
(your presentation, and the questions you ask of others during their presentations)
- Dates and schedule TBD
$25 \%$ of total grade
- After weighting problem sets and final, the grades will be:
- A: 85-100\%
- A-: 78-85\%
- B+: 70-77\%
- B: 62-69\%
- B-: 56-61\%
- C+: 48-55\%
- C: 40-47\%
- D: 25-39\%
- F: 25\% or less


## I reserve the right to shift this scale, but only in the direction that helps you

## On homework

- I don't want to keep you from working with others, but any work that you hand in must be your own
- Solutions found on the web are a form of plagiarism
- "Can I copy your solutions" are also plagiarism
- And "Tell me the Answer" is academically dishonest, as well
- You will anyway not get credit for answers without showing your work
- I do want you to help your classmates, however... and don't forget that office hours are there for those who need assistance, too

Office hours (Faraday 220): Monday and Wednesday 3-4 pm or by appointment

- I may spend some time at CERN or Argonne or be traveling, so if you want to meet at any time other than during the set office hours please email me (jahred.adelman@niu.edu) to set up an appointment
- You can always try and stop by, but you will have better luck if you set up an appointment
- Roughly once a week, I will try and post previous slides on the class website for you
- http://nicadd.niu.edu/~jahreda/phys684/ index.html
- Should not be considered a substitute for attendance, but can hopefully help you in preparations for exams and homework
- Goal: You should not be worried about copying down every formula, but rather instead be focused on paying attention
- Syllabus located on course website
- We may also work out some problems together in presentations here or on blackboard/whiteboard - So you can see that I can also get stuck :)
- Please come to class (shouldn't need to ask this of you, but I state it anyway)
- You can't hand in homework without being here
- The problems that we go over will be important to follow and understand
- I am not taking attendance - but this course should be fun, and you will not learn as much if you don't come to class
- Please avoid loud food in the classroom
- I know it's an evening course, but the goal should be to avoid distracting others
- Again, it's not Physics 101 so I hope it's not a problem
- Cell phones need to stay in your pocket and be turned off
- If your phone rings, we will know it was you (this class is that small)
- I know it's an evening class and some people have family or others issues - keep your phone on vibrate if possible, and if you need to take a phone call, step out of the classroom quietly
Seems silly, but mostly - be respectful!


## About me ... and you

- For those who do not know me, I am indeed a particle physicist working on measurements of and searches for new physics with Higgs bosons using the ATLAS experiment at the LHC (at CERN)
- l'll try and point out my research during the class, as appropriate


## NIU@CERN! (Even if we don't look very happy, we are)



- If I am going too fast... or too slow, or if my style (or handwriting) is incomprehensible, incomprehensible


## - l'll try to update my teaching style as the <br> - l'll try to update my teaching style as the semester goes on, based on my experience, observations and your feedback


$\qquad$
$\square$
2

## We are small enough - time to

 introduce yourselves (and apologies in advance when I forget your name)
## Any questions?

## Before we do anything else

## Let's define some units

### 0.15 kg




## Electron mass = $9 \times 10^{-31} \mathrm{~kg}$




## Units <br> -

O

$\square$

## 


都



Hydrogen Atom



Neutral pion
lifetime =
$8 \times 10^{-17}$ s

## Do not use convenient particle physics units!

$$
\frac{-\hbar^{2}}{2 m} \frac{\partial^{2} u(x)}{\partial x^{2}}+V(x) u(x)=E u(x)
$$

## $\hbar$ are pesky and annoying!

$$
\gamma=\frac{1}{\sqrt{1-\frac{v^{2}}{c^{2}}}}
$$

$$
E^{2}=(p c)^{2}+\left(m c^{2}\right)^{2}
$$

so are factors of c everywhere!

$$
\hbar=c=1
$$

Natural units, with the above choices! Simplifies a lot of notation

$$
\begin{gathered}
c=3 \times 10^{8} \mathrm{~m} / \mathrm{s} \\
\hbar=10^{-34} \mathrm{~J} \mathrm{~s}
\end{gathered}
$$

$$
1 \mathrm{GeV}=10^{9} \mathrm{ev}=1.6 \times 10^{-10} \mathrm{~J}
$$

$$
\hbar c=0.2 \times 10^{-15} \mathrm{~m}=0.2 \times 10^{-15} \mathrm{fm}
$$

|  | Not our choice | In our choice of natural units |
| :--- | :---: | :---: |
| Energy | GeV | GeV |
| Momentum | $\mathrm{GeV} / \mathrm{c}$ | GeV |
| Mass | $\mathrm{GeV} / \mathrm{c}^{2}$ | GeV |
| Time | $\mathrm{hbar} / \mathrm{GeV}$ | $\mathrm{GeV}-1$ |
| Length | $\mathrm{c}^{*} \mathrm{hbar} / \mathrm{GeV}$ | GeV -1 |
| Area | $\left(c^{*} h b a r / G e V\right)^{2}$ | $\mathrm{GeV}^{-2}$ |

## Griffiths disagrees :)



JJ Thompson, who measured the charge to mass ratio of "cathode rays" (aka electrons). Any ideas how he found their velocity and, more importantly, q/m? (1.1 in Griffiths)
http://www.phy.cam.ac.uk/history/electron/photos


## Undeflected particle: $q E=q v B, v=(E / B)$

Just magnetic field: $q v B=m v^{2} / R$
$(q / m)=v /(B R)=E /\left(B^{2} R\right)$

"It was quite the most incredible event that has ever happened to me in my life. It was almost as incredible as if you fired a 15 -inch shell at a piece of tissue paper and it came back and hit you." - let to the idea that positive charge in atom must be concentrated in a small space


Quantization was "a purely formal assumption and I really did not give it much thought except that no matter what the cost, I must bring about a positive end." (Turns out that Planck didn't quite realize what he was doing)


A radical idea! The energy of a photon is quantized, and depends on its frequency (color). Higher intensity light will knock out more electrons, but always of the same energy! Isn't light a wave and not a particle?

## Conservation of energy

$$
E+m=E^{\prime}+\sqrt{p^{2}+m^{2}}
$$



Momentum conservation in x :

$$
E=E^{\prime} \cos \theta+p \cos \phi
$$

Momentum conservation in y:
$0=E^{\prime} \sin \theta-p \sin \phi$

Compton scattering (1923)

## Momentum conservation in y :

$$
\begin{gathered}
\mathbf{E}^{\prime} \\
\gamma(\lambda) \\
\cos \phi=\sqrt{1-\frac{E^{\prime 2}}{p^{2}} \sin ^{2} \theta}
\end{gathered}
$$

## Momentum

 conservation in x :
## Compton scattering (1923)

## Conservation of energy again

$$
\begin{gathered}
E+m=E^{\prime}+\sqrt{p^{2}+m^{2}} \\
\left(E+m-E^{\prime}\right)=\sqrt{p^{2}+m^{2}} \quad \text { Plug in } \mathrm{p}^{2} \\
\left(E+m-E^{\prime}\right)^{2}=E^{2}+E^{\prime 2}-2 E E^{\prime} \cos \theta+m^{2}
\end{gathered}
$$

$$
E^{2}+E^{\prime 2}+m^{2}+2 m E-2 m E^{\prime}-2 E E^{\prime}=E^{2}+E^{\prime 2}-2 E E^{\prime} \cos \theta+m^{2}
$$

$$
2 m E-2 m E^{\prime}=2 E E^{\prime}(1-\cos \theta)
$$

$$
m\left(\frac{1}{\lambda}-\frac{1}{\lambda^{\prime}}\right)=\frac{1}{\lambda \lambda^{\prime}}(1-\cos \theta)
$$

$$
E=\frac{1}{\lambda}
$$

Nice to have these units

$$
E^{\prime}=\frac{1}{\lambda^{\prime}}
$$

Finishing up

$$
\begin{aligned}
& \text { E' } \\
& \gamma\left(\lambda^{\prime}\right) \sim^{m}\left(\frac{1}{\lambda}-\frac{1}{\lambda^{\prime}}\right)=\frac{1}{\lambda \lambda^{\prime}}(1-\cos \theta) \\
& \begin{array}{l}
m\left(\lambda^{\prime}-\lambda\right)=(1-\cos \theta) \\
\lambda^{\prime}=\lambda+\frac{1-\cos \theta}{m} \\
\text { hat happens for different }
\end{array} \\
& \text { angles? Different m? }
\end{aligned}
$$

Note that this assumes particles of light, aka photons! No discussion of waves or interference

# On force carriers 

Hydrogen Atom


## Photon as a wave



Hydrogen Atom


Photon as a particle (classical). But what we really mean is that the field is quantized (here providing an attractive force), and the quantized unit of the field transmits some momentum from one object to another

## Early particle detectors - cloud and bubble chambers

A cloud chamber is a collection of
supersaturated vapor of alcohol or water. A charge particle can ionize the vapor; the subsequent ions act as seeds for
condensation. Magnetic fields can give the charge and momenta of objects. Need to literally take pictures of the chambers!

Bubble chamber is similar, except it uses superheated liquid instead

What's happening?

## Early particle detectors - cloud and bubble chambers

Glaser invented the bubble chamber (and won a Nobel prize for it).
"Legend has it that while he was on the faculty of the University of Michigan, Glaser was chilling with colleagues over a cold beer, observed the stream of bubbles in his glass, and was inspired to build a device that could track subatomic particles with bubbles. Glaser himself later refuted this story; beer was not his inspiration, although he did use it as a liquid in early prototypes."
http://www.aps.org/publications/apsnews/201001/ physicshistory.cfm

## FNAL bubble chamber photo



## What's going on here?

## Early particle detectors - cloud and bubble chambers

http://www.symmetrymagazine.org/article/ january-2015/how-to-build-your-own-particledetector


How to build your own particle detector

The scale of the detectors at the Large Hadron Collider is
imost incomprehenssibe: They weigh thousands of tons, almost incomprehensibie: They weigh thousands of tons,
contain milions of detecting elements and support a researci program for an international community of thousands of scientists.
But particiel detectors aren't always so complicated. In fact. some particile detectors are so simple that you can make (and operate) them in your own home.

The Continuously Sensitive Diffusion Cloud Chamber is one such detector. Originally developed at UC Berkeley in 1933 , this ype of detector uses evaporated alcohol to make a 'clowd' that
s extremely sensitive to posssing particles.

Cosmic rays are particles that are constantly crashing into the Earth from space. When they hit Earth's atmosphere, they release a shower of less massive particles, many of which

Mere a cloud chamber and watch fundamen

If anyone knows any enterprising undergrads looking for work in the fall, this is something l'd like to get built for STEMfest this year


Strong meson (intermediate mass) must be the nuclear force carrier with mass $\sim 150 \mathrm{MeV}$. See Griffiths HW 1.2 for why this was only a vague estimate - any ideas how he got it (if you haven't read the textbook?)

## There are two such mesons observed in cosmic rays:

$$
\pi, \mu
$$

VERY different interactions with atomic nuclei (why feels the strong nuclear force, the other does not)


Fig. 1.3 One of Powell's earliest pictures showing the track of a pion in a photographic emulsion exposed to cosmic rays at high altitude. The pion (entering from the left) decays into a muon and a neutrino (the latter is electrically neutral, and leaves no

## From Griffiths

track). (Source: Powell, C. F., Fowler, P. H. and Perkins, D. H. (1959) The Study of Elementary Particles by the Photographic Method Pergamon, New York. First published in (1947) Nature 159, 694.)

## From Griffiths

## Hypothesized by Dirac (we'll see why in a few chapters)



Fig. 1.4 The positron. In 1932. Anderson took this photograph of the track left in a cloud chamber by a cosmic ray particle. The chamber was placed in a magnetic field (pointing into the page), which caused the particle to travel in a curve. But was it a negative charge traveling downward or a positive charge traveling upward? In order to distinguish. Anderson had placed a lead plate across the center of the chamber (the thick horizontal line in the photograph). A

particle passing through the plate slows down, and subsequently moves in a tighter circle. By inspection of the curves, it is clear that this particle traveled upward, and hence must have been positively charged. From the curvature of the track and from its texture, Anderson was able to show that the mass of the particle was close to that of the electron. (Photo courtesy California Institute of Technology.)

Protons vs anti-proton

$$
\begin{aligned}
& p=(u u d) \\
& \bar{p}=(\overline{u u} \bar{d})
\end{aligned}
$$

Neutron vs antineutron (note: neutron has no net electric charge!)

$$
n=(u d d)
$$

$$
\begin{gathered}
e^{+} \operatorname{VS} e^{-} \\
\gamma=\bar{\gamma}
\end{gathered}
$$

$$
\begin{gathered}
A+B \rightarrow C+D \rightarrow \quad \begin{array}{l}
\text { If this then } \\
\text { also... }
\end{array} \\
A \rightarrow \bar{B}+C+D \\
A+\bar{C} \rightarrow \bar{B}+D \\
\gamma+e^{-} \rightarrow \gamma+e^{-} \quad \text { Implies } \\
e^{+}+e^{-} \rightarrow \gamma+\gamma \\
\gamma+\gamma \rightarrow e^{+}+e^{-}
\end{gathered}
$$

$$
\begin{gathered}
A+B \rightarrow C+D \rightarrow \quad \begin{array}{l}
\text { If this then } \\
\text { also... }
\end{array} \\
A \rightarrow \bar{B}+C+D \\
A+\bar{C} \rightarrow \bar{B}+D
\end{gathered}
$$

All that it tells us is whether there are any symmetry rules or conservation laws forbidding such a reaction (ie whether the dynamics are possible). Says nothing about the kinematics

## Neutrinos

$$
\begin{array}{ll}
A \rightarrow B+e^{-} & \begin{array}{l}
\text { What is the } \\
\text { energy of the } \\
\text { electron in this } \\
\text { decay? }
\end{array} \\
n \rightarrow p+e^{-} \quad
\end{array}
$$

## Neutrinos


$\mathrm{m}_{\mathrm{B}}$

$\mathrm{m}_{\mathrm{e}}$

Initially, in center
After decay of mass frame, everything is at rest, $p=0$

$$
\begin{gathered}
E=m_{A} \\
p=0 \\
E=\sqrt{m_{B}^{2}+p_{B}^{2}}+\sqrt{m_{e}^{2}+p_{e}^{2}}
\end{gathered}
$$

Conservation of momentum: $\quad p_{B}=p_{e}=p$

## Neutrinos


$\mathrm{m}_{\mathrm{B}}$

$\mathrm{m}_{\mathrm{e}}$

## Initially, in center

 is at rest, $p=0$$$
\begin{gathered}
E=\sqrt{m_{B}^{2}+p^{2}}+\sqrt{m_{e}^{2}+p^{2}}=m_{A} \\
m_{B}^{2}+p^{2}+m_{e}^{2}+p^{2}+2 \sqrt{\left(m_{B}^{2}+p^{2}\right)\left(m_{e}^{2}+p^{2}\right)}=m_{A}^{2} \\
2 \sqrt{\left(m_{B}^{2}+p^{2}\right)\left(m_{e}^{2}+p^{2}\right)}=m_{A}^{2}-m_{B}^{2}-m_{e}^{2}-2 p^{2} \\
4\left(m_{B}^{2}+p^{2}\right)\left(m_{e}^{2}+p^{2}\right)=
\end{gathered}
$$

$$
m_{A}^{4}+m_{B}^{4}+m_{e}^{4}+4 p^{4}-2 m_{A}^{2} m_{B}^{2}-2 m_{A}^{2} m_{e}^{2}-4 m_{A}^{2} p^{2}+2 m_{B}^{2} m_{e}^{2}+4 m_{B}^{2} p^{2}+4 m_{e}^{2} p^{2}
$$

## Neutrinos


$\mathrm{m}_{\mathrm{B}}$

$\mathrm{m}_{\mathrm{e}}$

## Initially, in center

 of mass frame, everything$$
\begin{gathered}
4 m_{B}^{2} m_{e}^{2}+4 m_{B}^{2} p^{2}+4 m_{e}^{2} p^{2}+4 p^{4}= \\
m_{A}^{4}+m_{B}^{4}+m_{e}^{4}+4 p^{4}-2 m_{A}^{2} m_{B}^{2}-2 m_{A}^{2} m_{e}^{2}-4 m_{A}^{2} p^{2}+2 m_{B}^{2} m_{e}^{2}+4 m_{B}^{2} p^{2}+4 m_{e}^{2} p^{2} \\
m_{A}^{4}+m_{B}^{4}+m_{e}^{4}-2 m_{A}^{2} m_{B}^{2}-2 m_{A}^{2} m_{e}^{2}-4 m_{A}^{2} p^{2}-2 m_{B}^{2} m_{e}^{2}=0 \\
p^{2}=\frac{1}{4}\left(m_{A}^{2}+\left(m_{B}^{4}+m_{e}^{4}-2 m_{B}^{2} m_{e}^{2}\right) / m_{A}^{2}-2 m_{B}^{2}-2 m_{e}^{2}\right)
\end{gathered}
$$

## Neutrinos

## Energy of electron is completely specified, but we observe a range of energies in neutron decay! Must be missing some object: neutrinos!

$$
\begin{gathered}
4 m_{B}^{2} m_{e}^{2}+4 m_{B}^{2} p^{2}+4 m_{e}^{2} p^{2}+4 p^{4}= \\
m_{A}^{4}+m_{B}^{4}+m_{e}^{4}+4 p^{4}-2 m_{A}^{2} m_{B}^{2}-2 m_{A}^{2} m_{e}^{2}-4 m_{A}^{2} p^{2}+2 m_{B}^{2} m_{e}^{2}+4 m_{B}^{2} p^{2}+4 m_{e}^{2} p^{2} \\
m_{A}^{4}+m_{B}^{4}+m_{e}^{4}-2 m_{A}^{2} m_{B}^{2}-2 m_{A}^{2} m_{e}^{2}-4 m_{A}^{2} p^{2}-2 m_{B}^{2} m_{e}^{2}=0 \\
p^{2}=\frac{1}{4}\left(m_{A}^{2}+\left(m_{B}^{4}+m_{e}^{4}-2 m_{B}^{2} m_{e}^{2}\right) / m_{A}^{2}-2 m_{B}^{2}-2 m_{e}^{2}\right)
\end{gathered}
$$

## Neutrinos

Energy of electron is completely specified, but we observe a range of energies in neutron decay! Must be missing some object: neutrinos!

## From <br> Griffiths



Fig. 1.5 The beta decay spectrum of tritium ( ${ }_{1}^{3} \mathrm{H} \rightarrow{ }_{2}^{3} \mathrm{He}$ ).
(Source: Lewis, C. M. (1970) Neutrinos, Wykeham, London,
p. 30.)

## Neutrinos

## "Little neutral one" to distinguish from the neutron. Physicists really cling to the idea of conservation of energy

## From <br> Griffiths



Fig. 1.5 The beta decay spectrum of tritium ( ${ }_{1}^{3} \mathrm{H} \rightarrow{ }_{2}^{3} \mathrm{He}$ ).
(Source: Lewis, C. M. (1970) Neutrinos, Wykeham, London,
p. 30.)

## Neutrinos, Cowan and Reines

Large tank of water mixed with cadmium chloride near a nuclear reactor to look for

$$
\begin{aligned}
& \bar{\nu}+p \rightarrow n+e^{+} \\
& e^{+}+e^{-} \rightarrow \gamma \gamma
\end{aligned}
$$

What about the neutron? It gets captured by cadmium, which then emits pairs of photons shortly thereafter

|  | Why not? Well, neutrinos <br> $n+\nu \rightarrow p+e^{-}$ <br> and anti-neutrinos are <br> $n+\bar{\nu} \rightarrow p+e^{-}$ <br> not the same thing. But <br> $\gamma+\gamma \rightarrow \mu^{+}+e^{-}$ |
| :--- | :--- |
| also... this violates a $^{\text {conversation law known }}$ |  |
| $\mu^{-} \rightarrow e^{-}+\gamma$ | as conservation of <br> electron number. |
| Be careful Electrons and electron <br> neutrinos carry electron  <br> about what is number = +1, and anti- <br> +1 and what electrons and anti- <br> is $-1!$electron neutrinos $=-1$ |  |

# Define in the same way a "muon number". Muons and muon neutrinos carry muon number $=+1$, and anti-muons and antimuon neutrinos $=-1$ 

And yet the same thing for taus (which we haven't seen quite yet but we will soon)

Checks to make sure your neutrinos are in the right place

Before e mu
$\overline{\nu_{e}}+p \rightarrow n+e^{+}$ $\pi^{+} \rightarrow \mu^{+}+\nu_{\mu}$

$$
\pi^{-} \rightarrow \mu^{-}+\overline{\nu_{\mu}}
$$

$$
\mu^{-} \rightarrow e^{-}+\overline{\nu_{e}}+\nu_{\mu} 0
$$

$$
n \rightarrow p+e^{-}+\overline{\nu_{e}}
$$

| Before |  | After |  |
| :---: | :---: | :---: | :---: |
| e | mu | e | mu |
| -1 | 0 | -1 | 0 |
| 0 | 0 | 0 | $1-1=0$ |
| 0 | 0 | 0 | $1-1=0$ |
| 0 | 1 | $1-1=0$ | 1 |
| 0 | 0 | $1-1=0$ | 0 |

Conservation of baryon number
Neutron decay
$n \rightarrow e^{-}+\overline{\nu_{e}}+p$

No proton decay

$$
p \nrightarrow e^{+}+\nu_{e}
$$

$$
p \rightarrow e^{+}+\nu_{e}+\gamma
$$

Proton decay is not observed! Why not? Propose conservation of baryon number B = +1 for neutrons and protons, -1 for antineutrons and anti-protons

Proton is lightest baryon, so it cannot decay (well, not in the Standard Model!)

No "conservation of meson" number

## From Griffiths



$$
\left\{\begin{array}{l}
\text { Incident cosmicray } \\
\text { shower }
\end{array}\right.
$$



Fig. 1.7 The first strange particle. Cosmic rays strike a lead plate, producing a $K^{0}$, which subsequently decays into a pair of charged pions. (Photo courtesy of Prof. Rochester, G. D. (© 1947). Nature, 160, 855. Copyright Macmillan Journals Limited.)

$$
K^{0} \rightarrow \pi^{+}+\pi^{-}
$$

## What is this

 neutral kaon? Can produce them in accelerators, but they decay 13 orders of magnitude slower than expected! Strange...What if kaons are produced by the strong force, but decay typically via the weak force?
Strangeness is conserved in strong interactions but not in weak interactions

$$
\begin{gathered}
\pi^{-}+p \rightarrow K^{+}+\Sigma^{-} \\
\pi^{-}+p \rightarrow K^{0}+\Sigma^{0} \\
\pi^{-}+p \rightarrow K^{0}+\Lambda
\end{gathered}
$$

Initially, have zero strangeness. Assign $\mathrm{S}=+1$ to $\mathrm{K}^{+}$and $\mathrm{K}^{0}$ and $\mathrm{S}=-1$ to $\wedge$ and $\Sigma$, $S$ remains 0 . What does this say about how the above are produced? Note: strangeness not conserved in the decay.

And how to start organizing all of this?


Murray Gell-Man proposed his "Eightfold way" (apparently a slight reference to the Noble Eightfold path of Buddhism)


Moving from baryons to mesons

$$
\begin{aligned}
& s=1 \\
& s=0 \\
& s=-1
\end{aligned}
$$

$$
\pi^{-} \quad \pi^{K^{0}} \pi^{K^{0}}
$$

Similar periodic structure (remind you of anything)?

How was this verified?


This was predicted (including its mass and lifetime!)

The particle ... zoo was becoming a big mess to keep track of

Wolfgang Pauli: "Had I foreseen that, I would have gone into botany"


## We've skipped over some of the fun history

The particle ... zoo was becoming a big mess to keep track of (for some reason, physicists don't like botanists, apparently)

Fermi to Lederman: "Young man, if I could remember the names of these particles, I would have been a botanist"

Three quarks for Muster Mark! Sure he has not got much of a bark And sure any he has it's all beside the mark.
—James Joyce, Finnegans Wake

## Quark and not kwork!

Wikipedia: Finnegans Wake is a novel by Irish writer James Joyce. It is significant for its experimental style and reputation as one of the most difficult works of fiction in the English language.

## FINNEGANS WAKE

## by

James Joyce

London
Faber and Faber Limited

## The quark model

## Hadrons



All hadrons (baryons and mesons) are made themselves of smaller pieces called quarks

|  | Charge (units of e) | Strangeness |
| :--- | :---: | :---: |
| $u$ | $+2 / 3$ | 0 |
| d | $-1 / 3$ | 0 |
| s | $-1 / 3$ | 1 |
| ubar | $-2 / 3$ | 0 |
| dbar | $+1 / 3$ | 0 |
| sbar | $+1 / 3$ | -1 |

Mesons = one quark and one anti-quark Baryons = three quarks Anti-baryons = three anti-quarks

## Example of the baryon decuplet

|  | Q | S | Baryon | B number |
| :--- | :---: | :---: | :---: | :---: |
| uuu | 2 | 0 | $\boldsymbol{\Delta}^{++}$ | 1 |
| uud | 1 | 0 | $\boldsymbol{\Delta}^{+}$ | 1 |
| udd | 0 | 0 | $\boldsymbol{\Delta}^{0}$ | 1 |
| ddd | -1 | 0 | $\boldsymbol{\Delta}^{-}$ | 1 |
| uus | 1 | -1 | $\boldsymbol{\Sigma}^{*+}$ | 1 |
| uds | 0 | -1 | $\boldsymbol{\Sigma}^{*}$ | 1 |
| dds | -1 | -1 | $\boldsymbol{\Sigma}^{*-}$ | 1 |
| uss | 0 | -2 | $\boldsymbol{\Xi}^{* 0}$ | 1 |
| dss | -1 | -2 | $\boldsymbol{\Xi}^{\star-}$ | 1 |
| sss | -1 | -3 | $\Omega^{-}$ | 1 |

Note that this fills in nicely and makes predictions, but we have yet to account for different energy levels and spin

# It really is a particle zoo（from the PDG） 

Meson Summary Table

See also the table of suggested $q \bar{q} q u a r k-m o d e l ~ a s s i g n m e n t s ~ i n ~ t h e ~ Q u a r k ~ M o d e l ~ s e c t i o n . ~$
Indicates particles that appear in the preceding Meson Summary Table．We do not regard the other entries as being established．

|  | LIGHT UNFLAVORED$(S=C=B=0)$ |  |  | $\begin{gathered} \text { STRANGE } \\ (S= \pm 1, C=B=0) \end{gathered}$ |  | CHARMED，STRANGE$\begin{array}{r} (C=S= \pm 1) \\ \left(J^{P}\right) \end{array}$ |  | ${ }^{C \bar{C}}{ }_{1}{ }^{G}\left(J^{P C}\right)$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $I^{G}\left(J^{P C}\right)$ |  | $I^{G}\left(J^{P C}\right)$ |  | $1\left(J^{P}\right)$ |  |  | （15） | （ $0^{-+}$） |
| $\bullet \pi$ | $1^{-}\left(0^{-}\right)$ | －$\phi$（1680） | $0^{-}\left(1^{--}\right)$ | －$K^{ \pm}$ | 1／2（0－） |  | $0\left(0^{-}\right)$ | －J／$/(15$ ） | $0^{-}(1-$ |
| －$\pi^{0}$ | $1^{-}\left(0^{-+}\right)$ | －$p_{3}(1690)$ | $1^{+}\left(3^{--}\right)$ | －$K^{0}$ | 1／2（0－） | －$D_{s}^{* \pm}$ | $0\left(?{ }^{\text {？}}\right.$ ） | －$\chi_{\text {co }}(1 P)$ | $0^{+}\left(0^{+}\right.$ |
|  | $0^{+}\left(0^{-+}\right)$ | －$\rho(1700)$ | $1^{+}\left(1^{--}\right)$ | －$K_{S}^{0}$ | 1／2（ $0^{-}$） | －$D_{s 0}^{*}$ | $0\left(0^{+}\right)$ | －$\chi_{C 1}(1 P)$ | $0^{+}\left(1^{++}\right)$ |
| －$f_{0}(500)$ | $0^{+}\left(0^{++}\right)$ | $a_{2}(1700)$ | $1^{-}\left(2^{++}\right)$ | －$K_{L}^{0}$ | 1／2（0－） | －$D_{s 1}$ | $0\left(1^{+}\right)$ | －$h_{c}(1 P)$ | $?{ }^{?}\left(1^{+-}\right)$ |
| －$\rho(770)$ | $1^{+}\left(1^{--}\right)$ | －$f_{0}(1710)$ | $0^{+}\left(0^{++}\right)$ | $K_{0}^{*}(800)$ | $1 / 2\left(0^{+}\right)$ | －$D_{s 1}$ | $0(1+)$ | －$\chi_{\text {c2 }}(1 P)$ | $0^{+}\left(2^{+}\right.$ |
| －$\omega$（782） | $0^{-}\left(1^{--}\right)$ | $\eta(1760)$ | $0^{+}\left(0^{-+}\right)$ | －$K^{*}$（892） | 1／2（ $1^{-}$） |  | $0(?$ ？$)$ | －$\eta_{c}(2 S)$ | $0^{+}\left(0^{-}\right.$ |
| －$\eta^{\prime}(958)$ | $0^{+}\left(0^{-+}\right)$ | －$\pi(1800)$ | $1^{-}\left(0^{-+}\right)$ | －$K_{1}(1270)$ | 1／2（ $1^{+}$） | －$D_{S}^{*}$ | $0\left(1^{-}\right)$ | －$\psi(2 S)$ | $0^{-}\left(1^{--}\right)$ |
| －$f_{0}(980)$ | $0^{+}\left(0^{++}\right)$ | $f_{2}(1810)$ | ${ }^{0^{+}\left(2^{++}\right.}$ | －$K_{1}(1400)$ | 1／2（ $1^{+}$） |  | 0（？？） | －$\psi(3770)$ | $0^{-(1--)}$ |
| －$a_{0}(980)$ | $1^{-}\left(0^{++}\right)$ | X（1835） | ？？${ }^{\text {？}}$ ？${ }^{-+}$＋ | －$K^{*}(1410)$ | 1／2（ $1^{-}$） |  | 0（？？） | X（3823） | $?^{?}$ ？$\left(?+{ }^{\text {？}}\right.$ ） |
| －$\phi(1020)$ | $0^{-}\left(1^{--}\right)$ | $X(1840)$ | ？？（？？？${ }^{\text {a }}$ | －$K_{0}^{*}(1430)$ | 1／2（ $0^{+}$） |  |  | － $\mathrm{X}(3872)$ | $0^{+}(1++)$ |
| －$h_{1}(1170)$ | $0^{-}\left(1^{+-}\right)$ | －$\phi_{3}(1850)$ | $0^{-}\left(3^{--}\right)$ $0^{+}\left(2^{-+}\right)$ | －$K_{2}^{*}(1430)$ | 1／2（2＋） |  |  | －$X(3900)^{ \pm}$ $x(3900)^{0}$ | $?\left(1^{+}\right)$ |
| －$b_{1}(1235)$ | $1^{+}\left(1^{+-}\right)$ | $\eta_{2}(1870)$ | $0^{+}\left(2^{-+}\right)$ | K（1460） | 1／2（ $0^{-}$） |  |  | $x(3900)^{0}$ | ？${ }^{+}$？${ }^{+}\left(0^{++}\right.$ |
| －at（1260） | $1^{-}\left(1^{++}\right)$ | －$\pi_{2}(1880)$ | $1^{-}\left(2^{-+}\right)$ | $K_{2}(1580)$ | 1／2（2－） | －$B^{ \pm}$ | 1／2（0） | －$\chi$ co（ $2 P$ ） | $0^{+}\left(0^{++}\right)$ |
| － $\mathrm{f}_{2}(1270)$ | $0^{+}(2++)$ | $\rho(1900)$ | $1^{+}\left(1^{--}\right)$ | K（1630） | 1／2（？？${ }^{\text {a }}$ | －$B^{0}$ | 1／2（0－） | －$\chi_{\text {c } 2(2 P)}(2900)$ | ${ }^{0}{ }^{+}\left(2^{++}\right.$？${ }^{+}$？$)$ |
| －$f_{1}(1285)$ | $0^{+}\left(1^{++}\right)$ | $f_{2}(1910)$ | $0^{+}\left(2^{++}\right)$ | $K_{1}(1650)$ | 1／2（ $1^{+}$） | －$B^{ \pm} / B^{\text {a }}$ | XTURE | $X(3940)$ $X(402)^{ \pm}$ | ？？（？？？${ }^{\text {？}}$ ？ |
| －$\eta(1295)$ | $0^{+}\left(0^{-+}\right)$ | －$f_{2}(1950)$ | $0^{+}\left(2^{++}\right)$ | －$K^{*}(1680)$ | 1／2（1－） | －$B^{ \pm} / B^{\prime}$ | －baryon | $X(4020){ }^{ \pm}$ |  |
| －$\pi(1300)$ | $1^{-}\left(0^{-+}\right)$ | $\rho_{3}(1990)$ | $1^{+}\left(3^{--}\right)$ | －K $\mathbf{2}^{(1770)}$ | $1 / 2\left(2^{-}\right)$ | ${ }^{\text {A }}$ ch |  | －$\psi(4040)$ | $\begin{aligned} & 0^{-}\left(1^{--}\right) \\ & ?(? ?) \end{aligned}$ |
| － $\mathrm{a}_{2}(1320)$ | $1^{-}\left(2^{++}\right)$ | －$f_{2}(2010)$ | $0^{+}\left(2^{++}\right)$ | －$K_{3}^{*}(1780)$ | $1 / 2\left(3^{-}\right)$ | $V_{\text {cb }}$ | KM Ma－ | $x(4050)^{ \pm}$ | $\begin{aligned} & ?(? ?) \\ & 0^{+}(? ?+) \end{aligned}$ |
| －$f_{0}(1370)$ | $0^{+}\left(0^{++}\right)$ | $f_{0}(2020)$ | $0^{+}\left(0^{++}\right)$ | －K $\mathrm{K}_{2}(1820)$ | 1／2（2－） | －$B^{*}$ | 1／2（1－） | $X(4140)$ | $0^{+}\left(?^{?+}\right)$ |
| $h_{1}(1380)$ | $?^{-}\left(1^{+-}\right)$ | －$a_{4}(2040)$ | $1^{-(4++)}$ | K（1830） | 1／2（0－） | $B_{j}^{*}(5$ | ？${ }^{\text {？}}$ ？${ }^{(1)}$ | －$\psi(4160)$ | $0_{2}^{-(1--)}$ |
| －$\pi_{1}(1400)$ | $1^{-}\left(1^{-+}\right)$ | －$f_{4}(2050)$ | $0^{+}\left(4^{++}\right)$ | $K_{0}^{*}(1950)$ | $1 / 2\left(0^{+}\right)$ | －$B_{1}(5$ | 1／2（ $1^{+}$） | $X(4160)$ $X(425)^{ \pm}$ | $?_{?}^{?}\left(?_{?}^{? ?}\right)$ |
| －$\eta(1405)$ | $0^{+}\left(0^{-+}\right)$ | $\pi_{2}(2100)$ | $1^{-}\left(2^{-+}\right)$ | $K_{2}^{*}(1980)$ | 1／2（2＋） | －$B_{2}^{*}$ | 1／2（2＋） | ${ }^{X(4250)}{ }^{ \pm}$ | $\begin{aligned} & ? ? ? ?(?) \\ & ? ?(1--1 \end{aligned}$ |
| －$f_{1}(1420)$ | $0^{+}\left(1^{++}\right)$ | $f_{0}(2100)$ | $0^{+}\left(0^{++}\right)$ | －$K_{4}^{*}$（2045） | 1／2（4＋） |  |  | － $\begin{array}{r}\text { X（4260）} \\ \times(4350)\end{array}$ | $\begin{aligned} & ? ?(1--) \\ & 0^{+}\left(?^{?}++\right. \end{aligned}$ |
| $\omega(1420)$ $f_{2}(1430)$ | $0^{-}\left(1{ }^{--}\right)$ $0^{+}\left(2^{++}\right)$ | $f_{2}(2150)$ $\rho(2150)$ | $0^{+}\left(2^{++}\right)$ $1^{+}\left(1^{--}\right)$ | $K_{2}(2250)$ | 1／2（2－） |  | $\begin{aligned} & \text { RANGE } \\ & =\mp \mp 1) \end{aligned}$ | $\begin{array}{r} X(4350) \\ \cdot X(4360) \end{array}$ | $\begin{aligned} & 0_{?}^{+} ?\left(?^{?+}\right) \\ & ?(1--) \end{aligned}$ |
| － $0_{0}(1450)$ | $1^{-\left(0^{+}+\right.}$ | －$\phi(2170)$ | $0^{-}\left(1^{--}\right)$ | $K_{3}(2320)$ | 1／2（3＋） | $\bullet B_{s}^{0}$ | $0\left(0^{-}\right)$ | －$\psi(4415)$ | $0^{-}\left(1^{--}\right)$ |
| －$\rho(1450)$ | $1^{+}\left(1^{--}\right)$ | $f_{0}(2200)$ | $0^{+}\left(0^{++}\right)$ | $\begin{aligned} & K_{5}^{z}(2380) \\ & K_{4}(2500) \end{aligned}$ | $1 / 2(5)$ $1 / 2\left(4^{-}\right)$ |  | $0\left(1^{-}\right)$ | $X(4430)^{ \pm}$ | ？ $1^{+}$） |
| －$\eta(1475)$ | ${ }^{+}\left(0^{-+}\right)$ | $f_{f}(2220)$ | $0^{+}\left(2^{++}\right.$ | $\begin{aligned} & K_{4}(2500) \\ & K(3100) \end{aligned}$ | $1 / 2\left(4^{-}\right)$ $? ?(? ?)$ |  | ${ }_{0}\left(1^{+}\right)$ | －$\times(4660)$ | $? ?\left(1^{-}\right.$ |
| －$f_{0}(1500)$ | $0^{+}\left(0^{++}\right)$ |  | or $4^{++}$ $0^{+}\left(0^{-+}\right.$ |  |  | － $\mathrm{B}_{52}^{*}$ | O（ $2^{+}$） | $b \bar{b}$ |  |
| $\begin{gathered} f_{1}(1510) \\ \bullet f_{2}^{\prime}(1525) \end{gathered}$ | $0^{+}\left(1^{++}\right)$ $0^{+}\left(2^{++}\right)$ | $\eta(2225)$ $\rho_{3}(2250)$ | $0^{+}\left(0^{-+}\right)$ $1^{+}\left(3^{--}\right)$ | $\begin{aligned} & \text { CHARI } \\ & (C= \end{aligned}$ |  |  | ？（？？） | $\eta_{b}(1 S) \quad 0$ | $0^{+}\left(0^{-+}\right)$ |
| ${ }_{2}{ }_{2}(1565)$ | $0^{+}(2++)$ $1^{+}\left(1^{+-}\right)$ 0 | － $\mathrm{f}_{2}(23300)$ | $0^{+}(2++)$ $0^{+}(4++)$ | －$D^{ \pm}$ | 1／2（0－） |  | ARMED <br> $\pm 1)$ |  | $\begin{aligned} & 0^{-}\left(1^{--}\right) \\ & 0^{+}\left(0^{++}\right) \end{aligned}$ |
| $\rho(1570)$ $h_{1}(1595)$ | $1^{+}\left(1^{--}\right)$ $0^{-}\left(1^{+-}\right)$ | $\mathrm{f}_{4}(2300)$ $\mathrm{f}_{0}(2330)$ | $0^{+}\left(4^{++}\right)$ | －$D^{0}$ | 1／2（0－） |  |  | －$\chi_{\text {bo }}(1 P)$ <br> －$\chi_{b_{1}}(1 P)$ | $\begin{aligned} & 0^{+}\left(0^{++}\right) \\ & 0^{+}\left(1^{++}\right) \end{aligned}$ |
| －${ }_{1}(1595)$ | $0^{-}\left(1^{+-}\right)$ $1^{-}\left(1^{-+}\right)$ | － $\begin{array}{r}f_{0}(2330) \\ \text {－} f_{2}(2340)\end{array}$ | $0^{+}\left(0^{++}\right)$ $0^{+}\left(2^{++}\right)$ | －$D^{*}(2007)^{0}$ | 1／2（ $1^{-}$） | －$B_{c}^{ \pm}$ | $0\left(0^{-}\right)$ | －$\chi_{b 1}(1 P)$ <br> －$h_{b}(1 P)$ | $\begin{aligned} & 0_{?}^{+} ?\left(1^{++}\right) \\ & ?\left(1^{+}\right) \end{aligned}$ |
| －$\pi_{1}(1600)$ | $1^{-}\left(1^{-+}\right)$ $1^{-}\left(1^{++}\right)$ | － $\begin{array}{r}\text { f } \\ \hline\end{array}(2340)$ | $0^{+}\left(2^{++}\right)$ | －$D^{*}(2010)^{ \pm}$ | 1／2（ $1^{-}$） |  |  |  | $\begin{aligned} & ? ?(1+-) \\ & 0^{+}\left(2^{++}\right) \end{aligned}$ |
| $a_{1}(1640)$ $f_{2}(1640)$ | $1^{-}\left(1^{++}\right)$ $0^{+}\left(2^{++}\right)$ | $\rho_{5}(2350)$ | $1^{+}\left(5^{--}\right)$ | －$D_{0}^{*}(2400)^{0}$ | 1／2（0＋） |  |  | －$\chi_{b 2}(1 P)$ $\eta_{b}(2 S)$ | $\begin{aligned} & 0^{+}\left(2^{++}\right) \\ & 0^{+}\left(0^{-+}\right) \end{aligned}$ |
| － $\begin{array}{r}\mathrm{f}_{2}(1640) \\ \text {－}{ }_{2}(1645)\end{array}$ | $0^{+}\left(2^{++}\right)$ | $a_{6}(2450)$ | $1^{-}\left(6^{++}\right)$ | $D_{0}^{*}(2400)^{ \pm}$ | 1／2（0＋） |  |  | $\begin{aligned} & \eta_{b}(2 S) \\ - & r(2 S) \end{aligned}$ |  |
| －$\eta_{2}(1645)$ | $0^{+}\left(2^{-+}\right)$ | $f_{6}(2510)$ | $0^{+}\left(6^{++}\right)$ | －$D_{1}(2420)^{0}$ | 1／2（ $1^{+}$） |  |  | －$r(2 S)$ <br> －$r(1 D)$ | $\begin{aligned} & 0^{-}\left(1^{--}\right) \\ & 0^{-}\left(2^{--}\right) \end{aligned}$ |
| －$\omega$（1650） <br> －$\omega_{3}(1670)$ | $\begin{aligned} & 0^{-}\left(1^{--}\right) \\ & 0^{-}\left(3^{--}\right) \end{aligned}$ | OTHER | LIGHT | （ $D_{1}(2420)^{ \pm}$ | 1／2（？${ }^{\text {？}}$ ） |  |  | $\text { - } \chi_{b 0}(2 P)$ | $0^{+}\left(0^{++}\right)$ |
| $\cdot \pi_{2}(1670)$ | $1^{-}\left(2^{-+}\right)$ | Further St |  |  | $\begin{aligned} & 1 / 2\left(1^{+}\right) \\ & 1 / 2\left(2^{+}\right) \end{aligned}$ |  |  | －$\chi_{b 1}(2 P)$ | ${ }^{+}{ }^{+}(1++)$ |
|  |  |  |  | －$D_{2}^{*}(2460)^{0}$ <br> －$D_{2}^{*}(2460)^{ \pm}$ | $\begin{aligned} & 1 / 2\left(2^{+}\right) \\ & 1 / 2\left(2^{+}\right) \end{aligned}$ |  |  | $h_{b}(2 P)$ | ？？${ }^{(1+-}$ ） |
|  |  |  |  | $\begin{gathered} \bullet D_{2}^{*}(2460)^{ \pm} \\ D(2550)^{0} \end{gathered}$ | $\begin{aligned} & 1 / 2\left(2^{+}\right) \\ & 1 / 2\left(0^{-}\right) \end{aligned}$ |  |  | －$\chi_{\text {b2 }}(2 P)$ | $0^{+}\left(2^{++}\right)$ |
|  |  |  |  |  | $\begin{aligned} & 1 / 2\left(0^{-}\right. \\ & 12(?) \end{aligned}$ |  |  | －$\Upsilon(3 S)$ | $0^{-}\left(1^{--}\right)$ |
|  |  |  |  | $\begin{aligned} & D(2600) \\ & D^{*}(2640)^{ \pm} \end{aligned}$ | $\begin{aligned} & 1 / 2(? ?) \\ & 1 / 2(? ?) \end{aligned}$ |  |  | －$\chi_{b}(3 P)$ | $?^{?}\left(?^{?+}\right)$ |
|  |  |  |  | $\begin{aligned} & D^{*}(2640)^{ \pm} \\ & D(2750) \end{aligned}$ |  |  |  | －$\gamma(4 S)$ | $0^{-}\left(1^{--}\right)$ |
|  |  |  |  |  |  |  |  | $X(10610)^{ \pm} 1$ | $1^{+}\left(1^{+}\right)$ |
|  |  |  |  |  |  |  |  | $X(10610)^{0} 1$ | $1^{+}\left(1^{+}\right)$ |
|  |  |  |  |  |  |  |  | $X(10650)^{ \pm}$？ | $?^{+}\left(1^{+}\right)$ |
|  |  |  |  |  |  |  |  | －$r(10860)$ | $0^{-}\left(1^{--}\right)$ |
|  |  |  |  |  |  |  |  | －$r(11020)$ | $0^{-}\left(1^{--}\right)$ |

Baryon Summary Table
This short table gives the name，the quantum numbers（where known），and the status of baryons in the Review．Only the baryons with 3－or 4－star status are included in the Baryon Summary Table．Due to insufficient data or uncertain interpretation，the other entries in the table
are not established baryons．The names with masses are of baryons that decay strongly．The spin－parity $J^{P}$（when known）is given with each particle．For the strongly decaying particles，the $J^{P}$ values are considered to be part of the names．

| $p$ | 1／2 ${ }^{+}$ | ＊＊＊＊ | $\Delta(1232)$ | $3 / 2^{+}$ | ＊＊＊＊ | $\Sigma^{+}$ | 1／2 ${ }^{+}$ | ＊＊＊＊ | 三0 | 1／2＋ |  | $\Lambda_{c}^{+}$ | $1 / 2^{+}$ | ＊＊＊＊ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $n$ | 1／2 ${ }^{+}$ | ＊＊＊＊ | $\Delta(1600)$ | $3 / 2^{+}$ | ＊＊＊ | $\Sigma$ | 1／2 ${ }^{+}$ | ＊＊＊ | 三－ | $1 / 2^{+}$ | ＊＊＊＊ | $\Lambda_{c}(2595)^{+}$ | $1 / 2^{-}$ | ＊＊＊ |
| $N(1440)$ | $1 / 2^{+}$ | ＊＊＊＊ | $\Delta(1620)$ | $1 / 2^{-}$ | ＊＊＊＊ | $\Sigma$ | $1 / 2^{+}$ | ＊＊＊＊ | 三（1530） | 3／2＋ | ＊＊＊＊ | $\Lambda_{c}(2625)^{+}$ | $3 / 2^{-}$ | ＊＊＊ |
| $N(1520)$ | $3 / 2^{-}$ | ＊＊＊＊ | $\Delta(1700)$ | $3 / 2^{-}$ | ＊＊＊＊ | $\Sigma(1385)$ | $3 / 2^{+}$ | ＊＊＊＊ | 三（1620） |  | ＊ | $\Lambda_{c}(2765)^{+}$ |  | ＊ |
| $N(1535)$ | $1 / 2^{-}$ | ＊＊＊＊ | $\Delta(1750)$ | $1 / 2^{+}$ | ＊ | $\Sigma(1480)$ |  | ＊ | 三（1690） |  | ＊＊＊ | $\Lambda_{c}(2880)^{+}$ | 5／2 ${ }^{+}$ | ＊＊＊ |
| $N(1650)$ | 1／2－ | ＊＊＊＊ | $\Delta(1900)$ | $1 / 2^{-}$ | ＊＊ | $\Sigma(1560)$ |  | ＊＊ | 三（1820） | 3／2－ | ＊＊＊ | $\Lambda_{c}(2940)^{+}$ |  | ＊＊＊ |
| $N(1675)$ | 5／2－ | ＊＊＊＊ | $\Delta(1905)$ | 5／2＋ | ＊＊＊＊ | $\Sigma(1580)$ | 3／2－ | ＊ | 三（1950） |  | ＊＊＊ | $\Sigma_{C}(2455)$ | $1 / 2^{+}$ | ＊＊＊＊ |
| $N(1680)$ | 5／2 ${ }^{+}$ | ＊＊＊＊ | $\Delta$（1910） | $1 / 2^{+}$ | ＊＊＊＊ | $\Sigma(1620)$ | 1／2－ | ＊ | 三（2030） | $\geq \frac{5}{2}$ ？ | ＊＊＊ | $\Sigma_{C}(2520)$ | $3 / 2^{+}$ | ＊＊＊ |
| $N(1685)$ |  | ＊ | $\Delta(1920)$ | $3 / 2^{+}$ | ＊＊＊ | $\Sigma(1660)$ | $1 / 2^{+}$ | ＊＊ | 三（2120） |  | ＊ | $\Sigma_{c}(2800)$ |  | ＊＊＊ |
| $N(1700)$ | $3 / 2^{-}$ | ＊＊＊ | $\Delta(1930)$ | 5／2－ | ＊＊＊ | $\Sigma(1670)$ | $3 / 2^{-}$ | ＊＊＊＊ | 三（2250） |  | ＊＊ | $\Xi_{c}^{+}$ | $1 / 2^{+}$ | ＊＊ |
| $N(1710)$ | $1 / 2^{+}$ | ＊＊＊ | $\Delta(1940)$ | $3 / 2^{-}$ | ＊＊ | $\Sigma(1690)$ |  | ＊＊ | 三（2370） |  | ＊＊ | ${ }^{0}$ | 1／2 ${ }^{+}$ | ＊＊＊ |
| $N(1720)$ | $3 / 2^{+}$ | ＊＊＊＊ | $\Delta(1950)$ | 7／2＋ | ＊＊＊＊ | $\Sigma(1730)$ | $3 / 2^{+}$ | ＊ | 三（2500） |  | ＊ | ${ }_{\text {E }}{ }_{c}^{\prime+}$ | 1／2 ${ }^{+}$ | ＊＊＊ |
| $N(1860)$ | 5／2＋ | ＊＊ | $\Delta(2000)$ | 5／2 ${ }^{+}$ | ＊＊ | $\Sigma(1750)$ | 1／2－ | ＊＊＊ |  |  |  | $\Xi_{c}^{\prime 0}$ | 1／2 ${ }^{+}$ | ＊＊＊ |
| $N(1875)$ | 3／2 ${ }^{-}$ | ＊＊＊ | $\Delta(2150)$ | $1 / 2^{-}$ | ＊ | $\Sigma(1770)$ | $1 / 2^{+}$ | ＊ | $\Omega^{-}$ | $3 / 2^{+}$ | ＊＊＊＊ | $\bar{E}_{c}(2645)$ | $3 / 2^{+}$ | ＊＊＊ |
| $N(1880)$ | $1 / 2^{+}$ | ＊＊ | $\Delta(2200)$ | 7／2－ | ＊ | $\Sigma(1775)$ | 5／2－ | ＊＊＊ | $\Omega(2250)^{-}$ |  | ＊＊＊ | $\bar{\Xi}_{C}(2790)$ | $1 / 2^{-}$ | ＊＊＊ |
| $N(1895)$ | $1 / 2^{-}$ | ＊＊ | $\Delta(2300)$ | 9／2＋ | ＊＊ | $\Sigma(1840)$ | $3 / 2^{+}$ | ＊ | $\Omega(2380)^{-}$ |  | ＊＊ | $\bar{\Xi}_{C}(2815)$ | $3 / 2^{-}$ | ＊＊＊ |
| $N(1900)$ | $3 / 2^{+}$ | ＊＊＊ | $\Delta(2350)$ | 5／2 ${ }^{-}$ | ＊ | $\Sigma(1880)$ | $1 / 2^{+}$ | ＊＊ | $\Omega(2470)^{-}$ |  | ＊＊ | $\bar{\Xi}_{C}(2930)$ |  | ＊ |
| $N(1990)$ | 7／2 ${ }^{+}$ | ＊＊ | $\Delta(2390)$ | 7／2＋ | ＊ | $\Sigma(1900)$ | $1 / 2^{-}$ | ＊ |  |  |  | $\overline{-}_{C}(2980)$ |  | ＊＊＊ |
| $N(2000)$ | 5／2 ${ }^{+}$ | ＊＊ | $\Delta(2400)$ | 9／2－ | ＊＊ | $\Sigma(1915)$ | $5 / 2^{+}$ | ＊＊＊＊ |  |  |  | $\overline{-}^{-}$c 3055 ） |  | ＊＊ |
| $N(2040)$ | $3 / 2^{+}$ | ＊ | $\Delta(2420)$ | 11／2 ${ }^{+}$ | ＊＊＊＊ | $\Sigma(1940)$ | $3 / 2^{+}$ | ＊ |  |  |  | $\bar{E}_{C}(3080)$ |  | ＊＊＊ |
| $N(2060)$ | 5／2－ | ＊＊ | $\Delta(2750)$ | 13／2 | ＊＊ | $\Sigma(1940)$ | $3 / 2^{-}$ | ＊＊＊ |  |  |  | $\bar{E}_{c}(3123)$ |  | ＊ |
| $N(2100)$ | $1 / 2^{+}$ | ＊ | $\Delta(2950)$ | 15／2 ${ }^{+}$ | ＊＊ | $\Sigma(2000)$ | $1 / 2^{-}$ | ＊＊＊＊ |  |  |  |  | $1 / 2^{+}$ | ＊＊＊ |
| $N(2120)$ | $3 / 2^{-}$ | ${ }_{* *}^{* *}$ |  |  |  | $\Sigma(2030)$ | 7／2＋ | ＊＊＊＊ |  |  |  | $\Omega_{c}(2770)^{0}$ | $3 / 2^{+}$ | ＊＊＊ |
| $N(2190)$ | 7／2－ | ＊＊＊＊ | 1 | $1 / 2^{+}$ | ＊＊＊ | $\Sigma(2070)$ | 5／2＋ | ＊ |  |  |  |  |  |  |
| $N(2220)$ | 9／2 $2^{+}$ | ＊＊＊＊ | $\wedge$（1405） | $1 / 2^{-}$ | ＊＊＊＊ | $\Sigma(2080)$ | $3 / 2^{+}$ | ＊＊ |  |  |  | $\Xi_{c c}^{+}$ |  | ＊ |
| $N(2250)$ | 9／2－ | ＊＊＊＊ | $\wedge$（1520） | 3／2－ | ＊＊＊＊ | $\Sigma(2100)$ | 7／2 ${ }^{-}$ | ＊ |  |  |  |  |  |  |
| $N(2300)$ | $1 / 2^{+}$ | ＊＊ | $\wedge$（1600） | $1 / 2^{+}$ | ＊＊＊ | $\Sigma(2250)$ |  | ＊＊＊ |  |  |  |  | 1／2 ${ }^{+}$ | ＊＊＊ |
| $N(2570)$ | 5／2 ${ }^{-}$ | ＊＊ | $\wedge$（1670） | $1 / 2^{-}$ | ＊＊＊＊ | $\Sigma(2455)$ |  | ＊＊ |  |  |  | $\Lambda_{b}(5912)^{0}$ | $1 / 2^{-}$ | ＊＊＊ |
| $N(2600)$ | 11／2 | ＊＊＊ | $\wedge$＾1690） | $3 / 2^{-}$ | ＊＊＊＊ | $\Sigma(2620)$ |  | ＊＊ |  |  |  | $\Lambda_{b}(5920)^{0}$ | $3 / 2^{-}$ | ＊＊＊ |
| $N(2700)$ | $13 / 2^{+* *}$ |  | $\wedge(1710)$ | $1 / 2^{+}$ | ${ }_{*}^{* *}$ | $\Sigma(3000)$ |  | ＊ |  |  |  |  | 1／2 ${ }^{+}$ | ＊＊＊ |
|  |  |  | ＾（1800） | $1 / 2^{-}$ | ＊＊＊ | $\Sigma(3170)$ |  |  |  |  |  |  | $3 / 2^{+}$ | ＊＊＊ |
|  |  |  | $\wedge$（1810） | $1 / 2^{+}$ | ＊＊＊ |  |  |  |  |  |  | $\bar{E}_{b}^{0}$ ， $\bar{E}_{b}^{-}$ | $1 / 2^{+}$ |  |
|  |  |  | $\wedge$＾1820） | 5／2＋ | ＊＊＊＊ |  |  |  |  |  |  |  | $3 / 2^{+}$ | ＊＊＊ |
|  |  |  | $\Lambda(1830)$ $\Lambda(1890)$ |  | $\begin{aligned} & * * * * \\ & * * * * \end{aligned}$ |  |  |  |  |  |  |  | $1 / 2^{+}$ |  |
|  |  |  | $\wedge(2000)$ |  | ＊ |  |  |  |  |  |  |  |  |  |
|  |  |  | $\wedge$（2020） | 7／2＋ | ＊ |  |  |  |  |  |  |  |  |  |
|  |  |  | 1 （2050） | $3 / 2^{-}$ | ＊ |  |  |  |  |  |  |  |  |  |
|  |  |  | $\wedge$（2100） | 7／2－ | ＊＊＊＊ |  |  |  |  |  |  |  |  |  |
|  |  |  | 1 （2110） |  | ＊＊＊ |  |  |  |  |  |  |  |  |  |
|  |  |  | 1 （2325） |  | ＊ |  |  |  |  |  |  |  |  |  |
|  |  |  | $\wedge(2350)$ | 9／2 ${ }^{+}$ | ＊＊＊ |  |  |  |  |  |  |  |  |  |
|  |  |  | $\wedge$（2585） |  | ＊＊ |  |  |  |  |  |  |  |  |  |

Existence is certain，and properties are at least fairly well explored．
＊＊＊Existence ranges from very likely to certain，but further confirmation is desirable and／or quantum numbers，branching fractions，etc．are not well determined．
＊＊Evidence of existence is only fair．
＊Evidence of existence is poor．

Quarks are confined to hadrons, and cannot be observed as bare objects. In other words, they are social beasts, and don't like to exist on their own. We'll discuss them more later on

## What about Pauli exclusion principle?

## sss hadron ( $\Omega^{-}$)

 should violate Pauli exclusion principle (multiple times!) There needs to be some fundamental difference between the quarks for this to be allowed: QCD color charge (beware comparisons to real "color")

Fig. 1.11 (a) tn Rutherford scattering, the number of particles deflected through large angles indicates that the atom has internal structure (a nucleus). (b) in deep inelastic scattering, the number of particles deflected through large angles indicates that the proton has internal structure (quarks). The dashed lines show what you would expect
if the positive charge were unif ormly distributed over the volume of (a) the atom, (b) the proton. (Source: Halzen, F. and Martin, A. D. (1984) Quarks and Leptons, John Wiley \& Sons, New York, p. 17. Copyright © john Wiley \& Sons, Inc. Reprinted by permission.)

## Colorless objects only: Explains why we don't have qq (or q) final states

November 1974, $\psi$ meson discovered at SLAC, J meson at Brookhaven. Hence the name $\mathrm{J} / \psi$, a new, electrically neutral particle with a long lifetime. Began the "November revolution"

¡Viva la Revolución!


## https://www.bnl.gov/ bnlweb/history/nobel/ nobel 76.asp

Sam Ting and his team, showing a plot of mass of $\mathrm{e}^{+} \mathrm{e}^{-}$pairs. As we will see shortly, the mass of objects is an invariant even after decay, so we see a bump at 3.1 GeV = JPsi mass


## We know that the JPsi is a charmanticharm bound state with spin = 1

## Add in the third generation

Table I. From Perl (1975). A table of 2-charged-particle events collected at 4.8 GeV in the Mark I detector. The table, containing $24 e \mu$ events with zero total charge and no photons, was the strongest evidence at that time for the $\tau$. The caption read:
"Distribution of $513,4.8 \mathrm{GeV}$, 2-prong, events which meet the criteria: $p_{e}>0.65 \mathrm{GeV} / \mathrm{c}, p_{\mu}>0.65 \mathrm{GeV} / \mathrm{c}, \theta_{\text {copl }}>20^{\circ}$."

|  | Total Charge $=0$ |  |  | Total Charge $= \pm 2$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Number photons $=$ | 0 | 1 | $>1$ | 0 | 1 | $>1$ |
| $c c$ | 40 | 111 | 55 | 0 | 1 | 0 |
| $e \mu$ | 24 | 8 | 8 | 0 | 0 | 3 |
| $\mu \mu$ | 16 | 15 | 6 | 0 | 0 | 0 |
| $e h$ | 18 | 23 | 32 | 2 | 3 | 3 |
| $\mu h$ | 15 | 16 | 31 | 4 | 0 | 5 |
| $h h$ | 13 | 11 | 30 | 10 | 4 | 6 |
| Sum | 126 | 184 | 162 | 16 | 8 | 17 |



## Martin Perl (1975) discovery of tau lepton (tau neutrino not until 2000!)

Lederman and E288 collaborators - discovery of the bottom quark at nearby Fermilab:

$$
\Upsilon=b \bar{b}
$$



Announced jointly 1994-1995 by DZero and CDF (at Fermilab) in proton-antiproton collisions, but top quarks decay so quickly that they do not form stable/metastable bound states. Mass of top quark $=173 \mathrm{GeV}$ !


Putting it all together, aka the Standard Model (SM)

## Fermions Bosons



This is really the full Standard Model (modulo the Higgs boson, h), though it of course ... hides some details


Are there additional generations of quarks? We've been looking for them

Three generations of quarks, with each generation getting more massive. Each quark carries electric charge (+2/3,-1/3), and also QCD color (rgb). Quarks are confined, and do not exist alone in nature, but rather only in hadrons: baryons and mesons. Quarks also contain "flavor" (strangeness, topness, etc) that is conserved in QCD, but not in weak interactions. Anti-quarks not shown


Are there additional leptons? We've been looking for them, though, though extra neutrinos have to be very massive or rarely interact. Masses of observed neutrinos unknown, but are very small

Three generations of leptons, with each generation (at least of charged leptons) getting more massive. Charged leptons carry electric charge, neutrinos do not. All leptons carry electron, muon and tau number, which is conserved. Anti-particles not shown

## Study

number of light
neutrinos with Z production at $\mathrm{e}^{+} \mathrm{e}^{-}$machines


## Photon never changes matter flavor



Force carriers are bosons with integer spin. The photon is the force carrier from
E\&M, and has spin-1
(it's a vector boson) and zero mass.
Interacts only with electrically charged particles

## Gluon never changes matter flavor



The gluon is the force carrier of QCD, and has spin 1 (it's a vector boson) and zero mass. It has no electric charge, but it carries QCD color charge (there are 8 types of gluons). Hence, it couples not only to quarks, but also to itself and other gluons (but not leptons)



W bosons
always change matter flavor,
$Z$ bosons do not

The $W^{ \pm}$and $Z^{0}$ bosons are the weak force carriers, with spin-1 (vector bosons) and both having large, non-zero mass (W~80 $\mathrm{GeV}, \mathrm{Z} \sim 91 \mathrm{GeV}$ ). The weak force is called exactly that due to their large mass. Weak force carriers are special - they are the only way to change one quark generation into another (see JPsi lifetime!), and have other special properties that we'll get to. Responsible for nuclear $\beta$ decay and fusion

The Higgs boson (h) was hypothesized in 1960s, but was not discovered until July 2012. Long timeline! We'll see later in the course how the Higgs mechanism explains why the weak force carriers are so weak/massive, and why the fermions have mass

